

# $B^0 \rightarrow K^{0*}(K\pi)\mu\mu$ full angular analysis

A plan for a plan

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CERN, 28 May 2015

## Intro

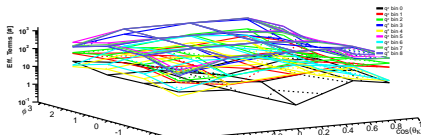
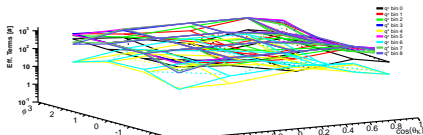
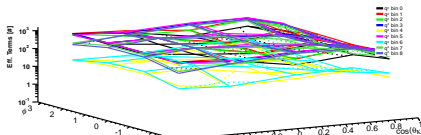
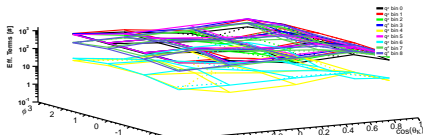
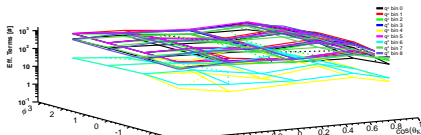
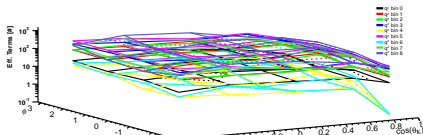
**Team** Stefano (staff), Alessio (PhD student)

**Goal** Provide suitable description of the signal efficiency vs.  $\theta_L, \theta_K, \phi$  to be used for fully angular fit of  $B^0 \rightarrow K^{0*}(K\pi)\mu\mu$  decay.

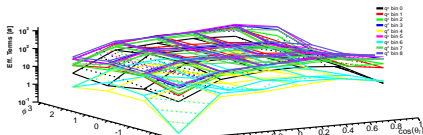
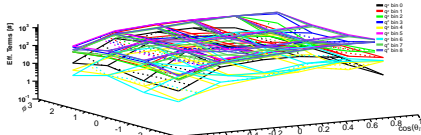
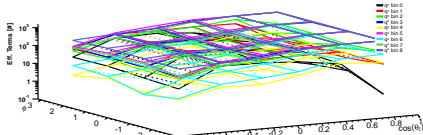
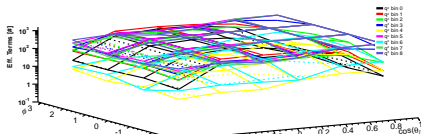
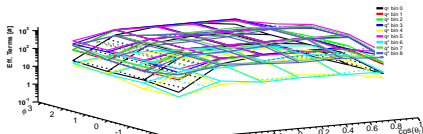
**Status** : very fruitful full-day discussion with Mauro at Milano (many thanks!)

- ▶ learned how the 2D analysis was performed, in particular as far as efficiency is concerned;
- ▶ learned how to run Mauro's code and macros (almost);
- ▶ got all ntuple used for BPH-13-010 (2012 and 2011, data and MC)
  - ★ ntuple have been copied to Legnaro-Padova T2, and available to be copied elsewhere if needed.
- Mauro's ntuple have all the needed information (including  $\phi$ ). No need to re-access data!
- Some initial distribution for efficiency vs  $\phi$  already available!

# 2D efficiency vs $(\theta_L, \phi)$ for the various $q^2$ bins



# 2D efficiency vs $(\theta_K, \phi)$ for the various $q^2$ bins



## Deliverable:

- **Final deliverable:**  $\epsilon(\theta_L, \theta_K, \phi)$  as a RooAbsPdf
  - ▶ For correct-tag and wrong-tag separately
  - ▶ to be used directly by the fitting procedure;
  - ▶ following current (2D) fit implementation;
    - ★ to be discussed and agreed with fit-team
  - ▶ **Focus on 2012 (8 TeV) data**

## Plan

- Study parametrization of  $\epsilon(\theta_L, \theta_K, \phi)$
- Start with trivial MC closure test

**Unit test** Compare MC-RECO with MC-GEN  $\otimes \epsilon(\theta_L, \theta_K, \phi)$  for various kinematic variables;

**Longer term** Compare parameters from MC-GEN-fit to MC-RECO-fit (as done in 2D analysis) once the 3D-fit is in place;

# Ideas about parametrization of $\epsilon(\theta_L, \theta_K, \phi)$

## Unit test

- Setup unit test using directly  $\epsilon$  histogram (first step);
- Which histograms?
- What about MC statistics?
  - ▶ 3D histogram?
  - ▶ 2D histograms?
  - ▶  $\epsilon(\theta_L, \theta_K, \phi) = \epsilon(\theta_L, \theta_K) \times \epsilon(\phi)$
  - ▶  $\epsilon(\theta_L, \theta_K, \phi) = \epsilon(\theta_L, \theta_K) \times \epsilon(\theta_L, \phi) \times \epsilon(\theta_K, \phi)$
- Mostly to test machinery and look at  $\epsilon$  distribution as well as histogram statistics;
  - ▶ is  $\epsilon(\phi)$  symmetric wrt to  $\phi = 0$ ?

## Parametrization

- Try to expand actual polynomial parametrization to 3D
  - 2D Now is  $\text{pol-5} \times \text{pol-3}$ : 24 parameters with  $6 \times 5 = 30$  bins;
  - 3D If  $\text{pol-5} \times \text{pol-3} \times \text{pol-3}$ : 96 parameters with  $6 \times 5 \times 4 = 120$  bins;
- Alternatives:
  - LHCb used a Legendre polynomial expansion, using principal moment analysis;
  - Cranmer Kernel estimator: unbinned and non-parametric [arXiv:hep-ex/0011057](https://arxiv.org/abs/hep-ex/0011057)
    - ★ should be done independently for numerator and denominator (unbinned)  $\epsilon = \frac{N}{D}$ ;
    - ★ implemented in TMVA;
    - ★ should work also for 2 and 3D distribution.

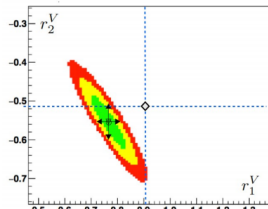
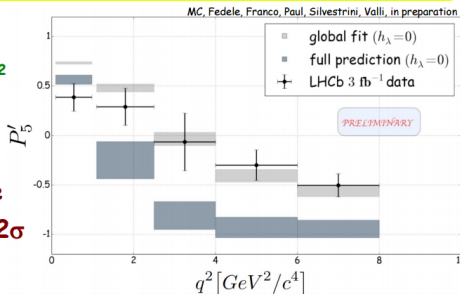
## B physics: $B \rightarrow K^* \ell^+ \ell^-$

LHCb claims  $P_5'$  to be  $3.7\sigma$  off for  $4.3 < q^2 < 8.7 \text{ GeV}^2$

Factorized formulae cannot fully reproduce the data: a fit shows that  $P_5'$  can be addressed but deviations  $\geq 2\sigma$  are present in the other angular coefficients

+ constraints on the FFs

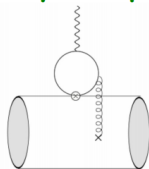
Bin $q^2 [\text{GeV}^2/c^4]$	$A_{FB}$	$F_L$	$S_3$	$S_4$	$S_5$	$S_7$	$S_8$	$S_9$
[0.1, 0.98]	1.6	0.2	-0.9	0.6	-1.2	0.3	1.0	-1.4
[1.1, 2.5]	0.1	-0.6	-0.9	-0.6	-0.8	-2.2	-0.8	-1.3
[2.5, 4]	-0.6	0.7	0.8	-1.1	-0.1	0.6	0.2	-0.8
[4, 6]	-1.3	-2.4	1.8	-1.0	0.3	-0.2	1.8	-0.4
[6, 8]	-1.4	-1.6	1.4	-2.3	0.2	-0.7	-1.2	-0.4
[1.1, 6]	-1.2	-1.5	1.6	-1.2	-0.1	-1.5	0.6	-0.6





# Slides stolen to Marco Ciuchini (INFN-Roma3)

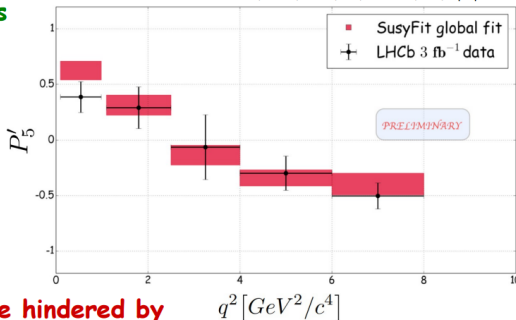
**Non-factorizable terms may be important:**



partly estimated in  
Kodjamirian et al.,  
arXiv:1006.4945

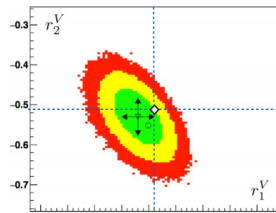
$$h_\lambda = h_\lambda^{(0)} + h_\lambda^{(1)} q^2 + \underbrace{h_\lambda^{(2)} q^4}_{\text{non-factorizable}}$$

MC, Fedele, Franco, Paul, Silvestrini, Valli, in preparation



**BSM sensitivity could be hindered by hadronic uncertainties. Inclusive  $B \rightarrow X_s \mu^+ \mu^-$  may help shedding light on this issue**

Bin $q^2$ [ $\text{GeV}^2/c^4$ ]	$A_{\text{FB}}$	$F_L$	$S_3$	$S_4$	$S_5$	$S_7$	$S_8$	$S_9$
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[6, 8]	0.1	0.1	0.5	-2.3	-1.3	-0.4	-1.3	0.4
[1.1, 6]	-1.0	0.1	1.0	-1.3	0.1	-0.9	0.2	-0.6



- We have a team;
- We have data;
- We have code;
- We have a plan;