

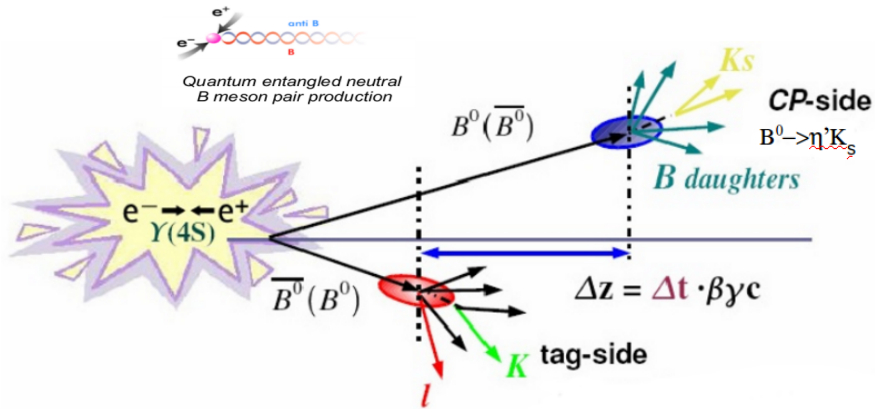
Status of $B_0 \rightarrow \eta' K_0$

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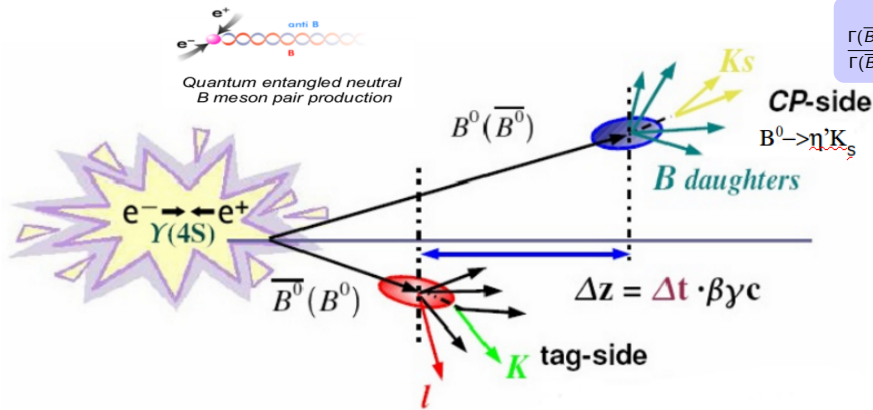
INFN Padova

6th Belle II Italian collaboration meeting,
Roma, 14 december 2016

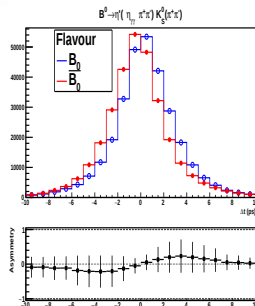


Time Dep. $\mathcal{CP}$:
a powerful tool to both perform

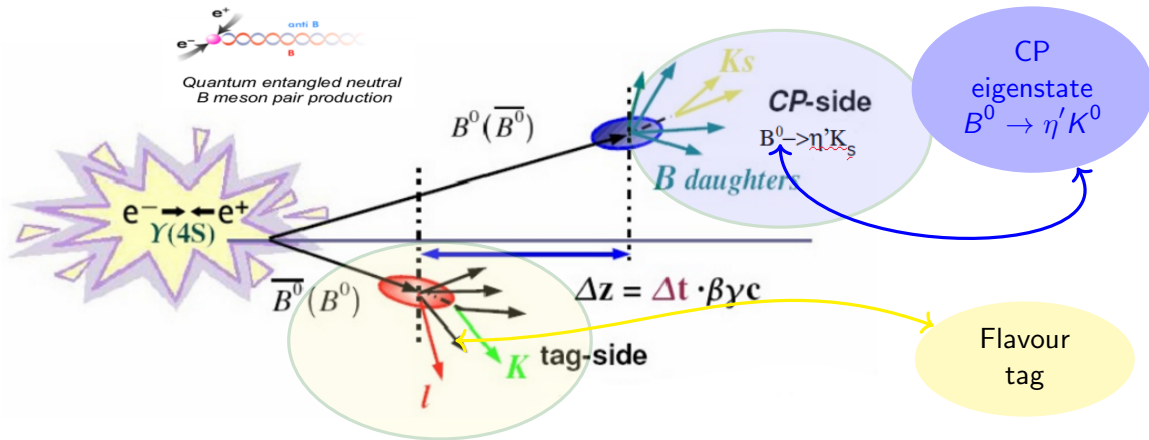
- precise measurement of the **UT**
- look for new physics **BSM**
- here with **charmless hadronic mode**



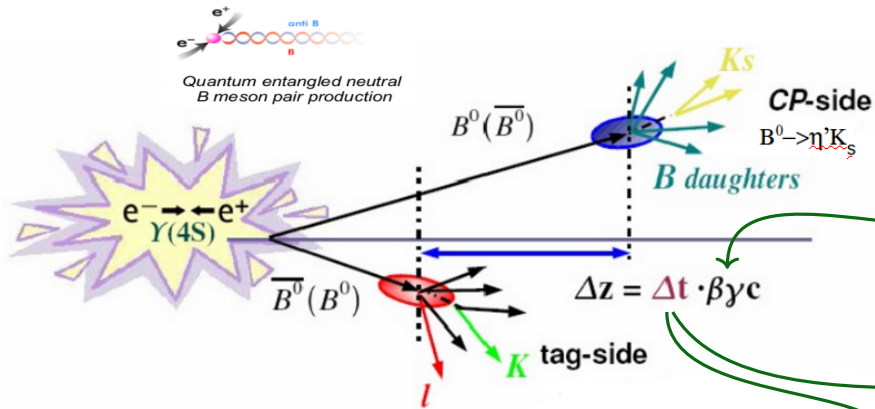
$$Asym_{CP}(t) = \frac{\Gamma(\bar{B}(t) \rightarrow f_{CP}; t) - \Gamma(B(t) \rightarrow f_{CP}; t)}{\Gamma(\bar{B}(t) \rightarrow f_{CP}; t) + \Gamma(B(t) \rightarrow f_{CP}; t)}$$



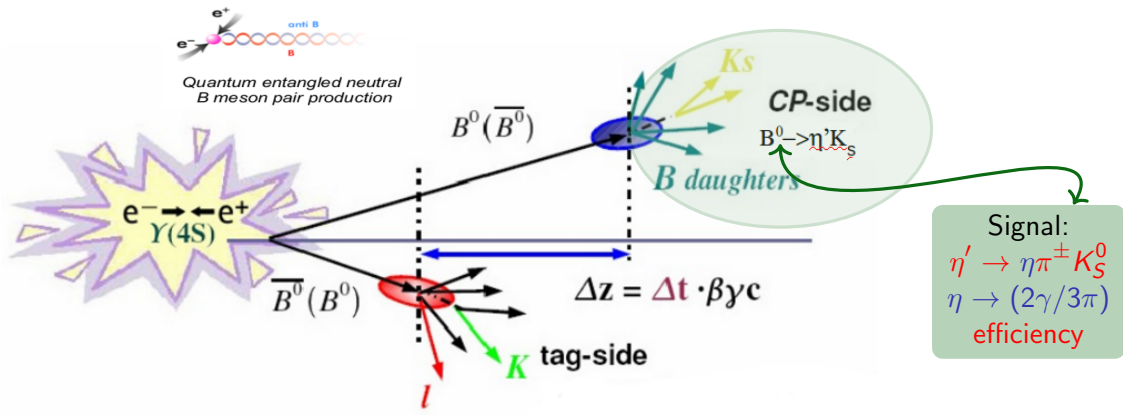
$$\Delta t \text{ probability parametrization: } \mathcal{P}(\Delta t, q) = \frac{e^{-\Delta t/\tau_{B^0}}}{4\tau_{B^0}} [1 + q(\mathcal{A}_{CP} \cos \Delta m_d \Delta t + \mathcal{S}_{CP} \sin \Delta m_d \Delta t)]$$

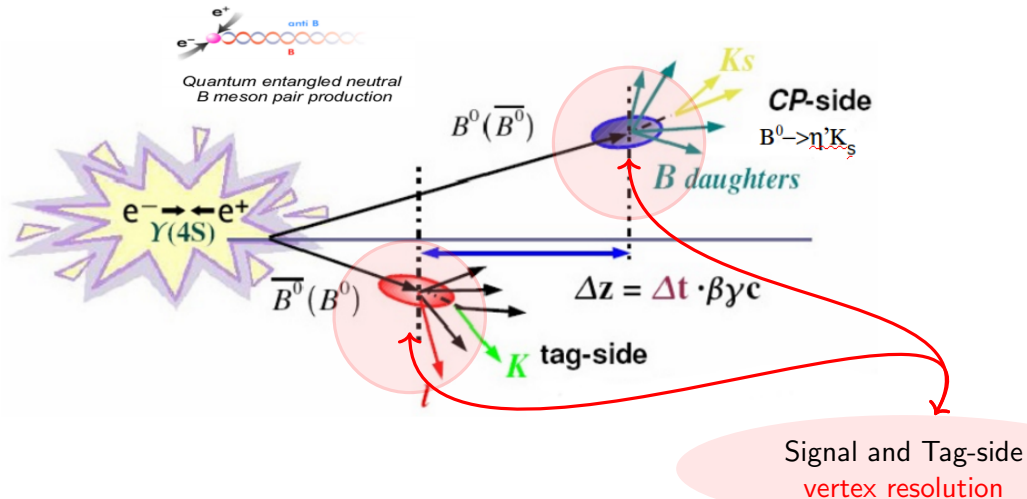


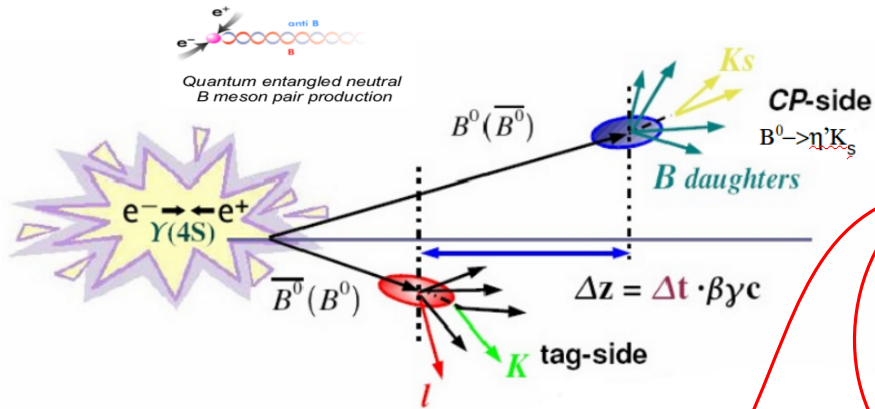
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Δt probability parametrization:
$$\mathcal{P}(\Delta t, q) = \frac{e^{-\Delta t/\tau_{B^0}}}{4\tau_{B^0}} [1 + q (\mathcal{A}_{CP} \cos \Delta m_d \Delta t + \mathcal{S}_{CP} \sin \Delta m_d \Delta t)]$$





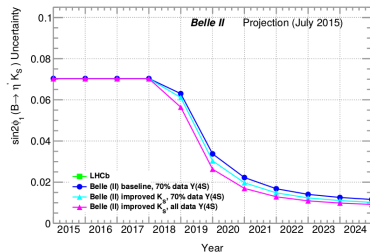
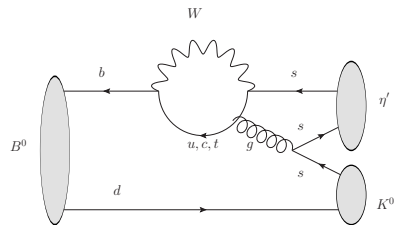


- signal $\times$ feed
- Background
 - ▶ Continuum
 - ▶ Peaking
- ML fit to extract the phys params
- Toys to project sensitivity to 1 and 5 ab^{-1}
- ...

$$\Delta t \text{ probability parametrization: } \mathcal{P}(\Delta t, q) = \frac{e^{-\Delta t/\tau_{B^0}}}{4\tau_{B^0}} [1 + q(\mathcal{A}_{CP} \cos \Delta m_d \Delta t + \mathcal{S}_{CP} \sin \Delta m_d \Delta t)]$$

TDCPV in charmless $b \rightarrow s$ decay

- the BR is much lower than the $b \rightarrow c$ $B \rightarrow J/\psi K_s$
- also, vertex resolution is generally worse due to lower q of B^0 decay
- $S_{\eta' K^0} = \sin 2\phi_1^{eff}$ tightly related to $\sin 2\phi_1$ measured in $b \rightarrow cs\bar{s}$ decay
- identical if only penguin diagram were present.
Not so: $\Delta S_{\eta' K^0} \approx \pm 0.03, 0.05$
- new physics can enter in the loop, shifting $\Delta S_{\eta' K^0}$ more than SM expectation
- errors are statistically dominated, so far: **fast improvement with first data;**
- no competition from LHCb for η' , due to the presence of neutrals.



- Move to MC6 dataset
 - Full BGx1 analysis
- Efficiency of the signal w/ and w/o machine background understood;
 - Signal detector acceptance;
 - tracking efficiency drop from BGx0 to BGx1;
- BDT for signal cross feed (SxF) included in the ML fit;
 - separate well true from cross feed signal
- Accept multiple candidates per event;
 - particularly useful for $\eta_{3\pi}$, where cands multiplicity is high;
 - increase of efficiency for true signal yield, at the cost of more SxF;
 - the SxF BDT allows for separation of signal and SxF on a statistical basis on the ML fit;
- study sensitivity obtained using different number of candidates per event $\eta_{3\pi}$
 - not so relevant for $\eta_{\gamma\gamma}$ final state: low multiplicity;
 - $\mathcal{S}_{CP}$ sensitivity with toys.
- Documented in B2TIP report

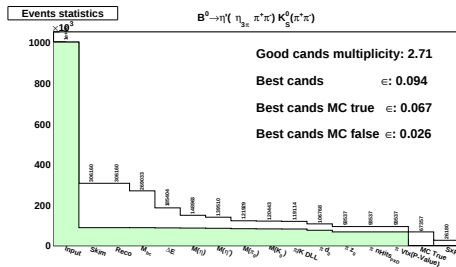
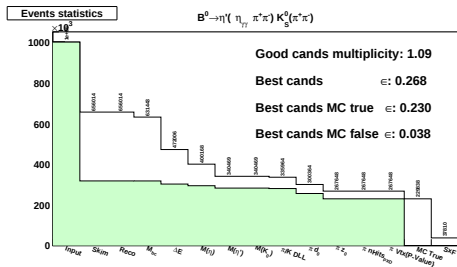
many decay channels available $B^0 \rightarrow \eta' K^0$

decay channel

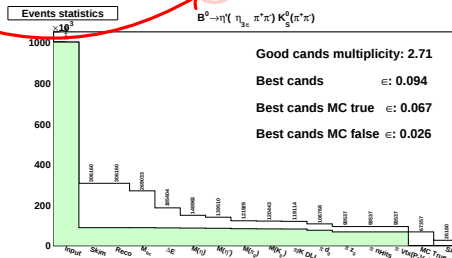
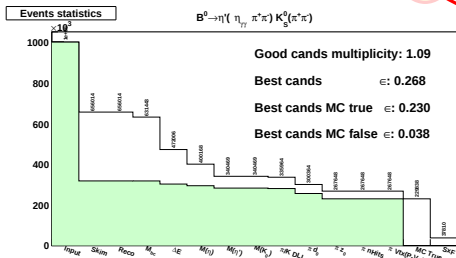
$\eta' \rightarrow \rho^0 (\rightarrow \pi^+ \pi^-) \gamma$	BR=29%	not yet
$\eta' \rightarrow \eta \pi^+ \pi^-$	43%	today
$\eta \rightarrow \gamma \gamma$	40%	$\eta_{\gamma\gamma}$
$\eta \rightarrow \pi^+ \pi^- \pi^0$	23%	$\eta_{3\pi}$
$K_S^0 \rightarrow \pi^+ \pi^-$	69%	today
$K_S^0 \rightarrow \pi^0 \pi^0$	31%	just started
K_L^0		not yet
$B_0 \rightarrow \eta' (\rightarrow \eta_{\gamma\gamma} / \eta_{3\pi} \pi^+ \pi^-) K_S^0 (\rightarrow \pi^+ \pi^-)$	BR=19%	

- Not all final state studied in time for B2TIP report
- final states considered so far in red
- not yet
 - $(\rho^0, K_S^0 \rightarrow \pi^0 \pi^0, K_L^0)$
 - π^0 reconstruction eff still quite low
 - K_L^0 reconstruction not yet available
 - $\rho^0 \gamma$ not yet
- educated guess in final sensitivity for the missing channels

channel	ϵ %	BGx0		ϵ %	BGx1	
		SxF%	cands/ev		SxF %	cands/ev
$B^0 \rightarrow \eta'(\eta_{\gamma\gamma} \pi^\pm) K_S^0 (\rightarrow \pi^+ \pi^-)$	30.1	2.3	1.06	23.0	3.8	1.09
$B^0 \rightarrow \eta'(\eta_{3\pi} \pi^\pm) K_S^0 (\rightarrow \pi^+ \pi^-)$	15.1	3.0	1.45	6.7	2.6	2.71

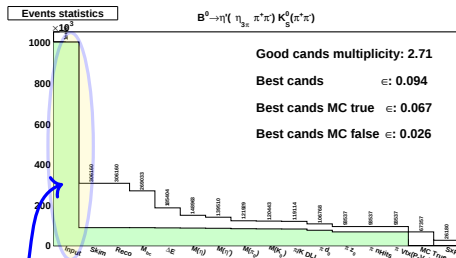
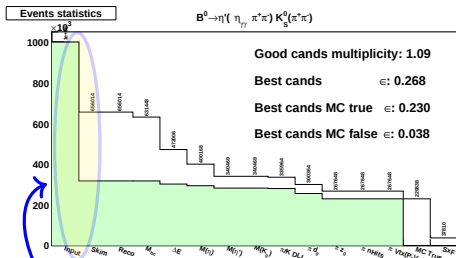


channel	BGx0			BGx1		
	ϵ %	SxF %	cands/ev	ϵ %	SxF %	cands/ev
$B^0 \rightarrow \eta'(\eta_{\gamma\gamma} \pi^\pm) K_S^0 (\rightarrow \pi^+ \pi^-)$	30.1	2.3	1.06	23.0	3.8	1.09
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Important drop of efficiency passing from BGx0 to BGx1

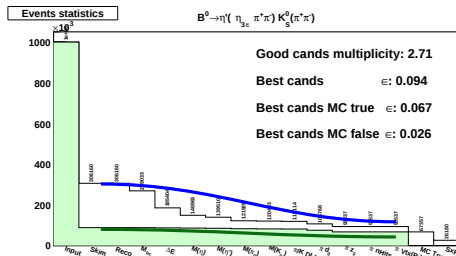
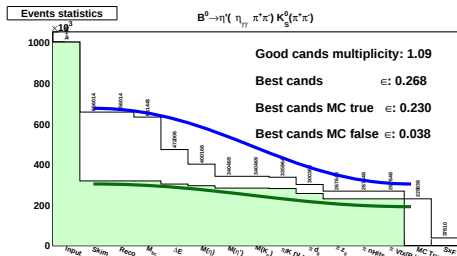
channel	ϵ %	BGx0		BGx1		
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$B^0 \rightarrow \eta'(\eta_{\gamma\gamma}\pi^\pm)K_S^0 (\rightarrow \pi^+\pi^-)$	30.1	2.3	1.06	23.0	3.8	1.09
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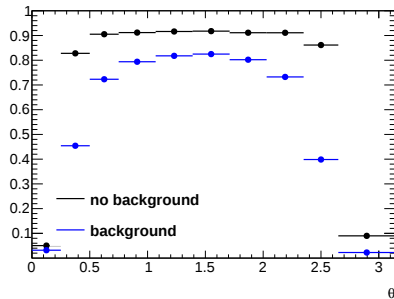
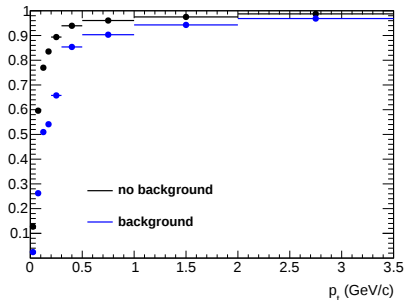
- Reconstruction efficiency accounts for almost all eff drop
- Acceptance for signal is about: $\sim 50\%$

channel	ϵ %	BGx0		ϵ %	BGx1	
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Important drop of efficiency passing from BGx0 to BGx1

- Reconstruction efficiency accounts for almost all eff drop
- Acceptance for signal is about: $\sim 50\%$
- Signal selections mostly reduce SxF (and background)
- optimization for signal efficiency at the cost of SxF increase.



- About 8% loss for track
- $B^0 \rightarrow \eta'(\eta_{\gamma\gamma}\pi^\pm)K_S^0 (\rightarrow \pi^+\pi^-)$ has 4 charged tracks: $\sim 30\%$ drop, $30 \rightarrow 23.0$
- $B^0 \rightarrow \eta'(\eta_{3\pi}\pi^\pm)K_S^0 (\rightarrow \pi^+\pi^-)$ has 6 charged tracks: $\sim 50\%$ drop, $15.1 \rightarrow 6.7$
 - ▶ Some gain possible with fine tuning selections, but mostly is reconstruction;
- likely to improve with better reconstruction algorithms
 - ▶ Efficiency for $K^0 \rightarrow 2\pi^0$ channels approx 1/2;

Issue

- an other problem from machine background for signal is the increase of signal cross feed
- Signal is selected but a wrong set of tracks or photons are used to build the decay chain

▶ BGx0→BGx1

$\eta_{\gamma\gamma}$: SxF/Signal=2.3% → 16.5%

$\eta_{3\pi}$: SxF/Signal=5.8% → 27%

Origin

mis-Reco ⇒	$\frac{\text{wrong } \eta'}{\text{tot SxF}}$	$\frac{\text{wrong } \eta}{\text{wrong } \eta'}$	$\frac{\text{wrong } \pi^0}{\text{wrong } \eta}$
$\eta_{\gamma\gamma} K_S^\pm$	99.0 %	78.1 %	— — —
$\eta_{3\pi} K^\pm$	99.9 %	98.7 %	82.03%

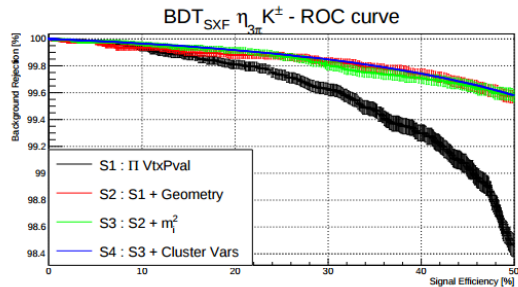
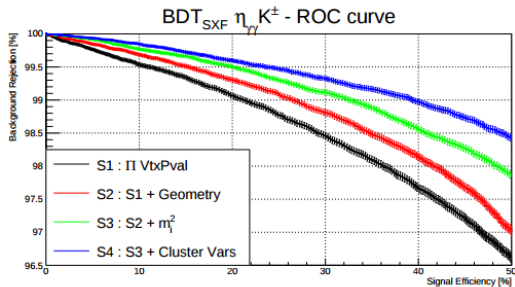
As expected, in most of the cases the problem is in the neutrals $\eta, \pi^0 \rightarrow \gamma\gamma$

In addition, loosening signal selection to try and improve signal efficiency worsen the problem

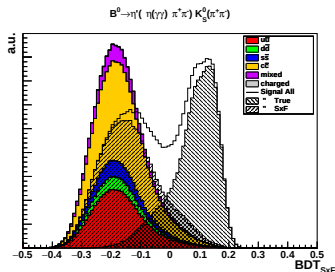
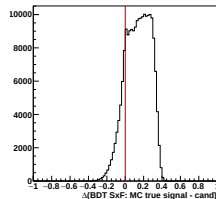
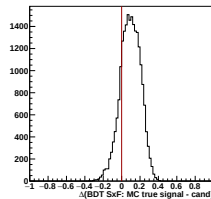
Possible solution

- improve the choice of best candidate in events with multiple ones
- inicial choice based on best $\Pi(P_{\text{vertex}})$ or χ^2 of invariant masses in the decay chain
- try a multivariate approach

- Refine the selection of the best candidate after the selection through a BDT
- trained before selection on true (sig) & wrongly reconstructed (bkg) signals
- topological and cluster-related input variables
- apparently room for improvement



- The behaviour is good, true signal has the best BDT in most of the cases
- Separation between signal and SxF is good
- Background (continuum and peaking) is well separated as well
- Choose the candidate with the highest BDT



But ...

In spite of all this, the actual **improvement in SxF contamination is marginal: few % at most!**

$\eta_{\gamma\gamma}$: SxF/Signal=16.5% $\rightarrow$ 15%

$\eta_{3\pi}$: SxF/Signal=27% $\rightarrow$ 25%

true signal vs SxF separation possible

- The SxF BDT not able to select the *one* best candidate;
- but, allow to understand if a selected candidate is true or not;
- since we have problem with efficiency, we can select more than one candidate per event

$\eta_{\gamma\gamma}$ can take all candidates, low multiplicity per event

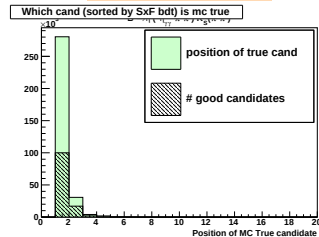
$\eta_{3\pi}$ many true candidates are the next to best BDT

- this will significantly increase SxF as well
- include SxF BDT in the ML to separate the two sources

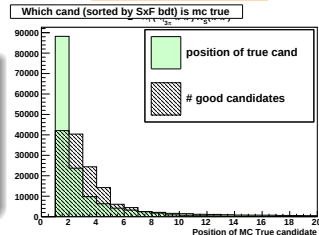
$\eta_{3\pi}$: efficiencies and SxF

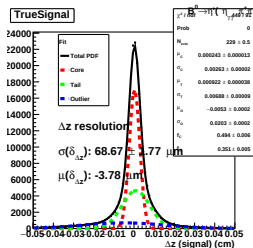
candidates	1	2	all
True signal efficiency	6.7	8.1	9.6
SxF efficiency	2.3	6.0	28.6

$$B^0 \rightarrow \eta'(\eta_{\gamma\gamma}\pi^\pm)K_S^0$$

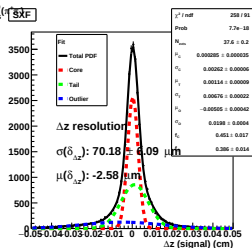


$$B^0 \rightarrow \eta'(\eta_{3\pi}\pi^\pm)K_S^0$$

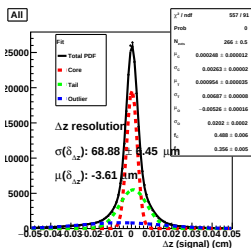




True Signal



SxF



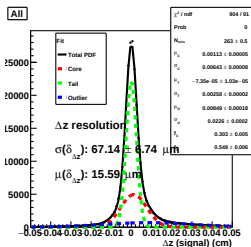
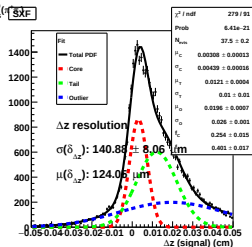
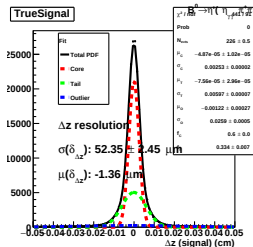
All

Signal side

True $\sigma = 69 \mu\text{m}$

SxF $\sigma = 70 \mu\text{m}$

All $\sigma = 69 \mu\text{m}$

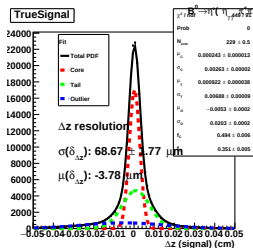


Tag side

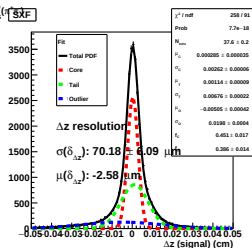
True $\sigma = 52 \mu\text{m}$

SxF $\sigma = 141 \mu\text{m}$

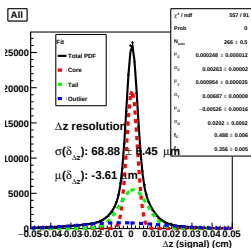
All $\sigma = 67 \mu\text{m}$



True Signal



SxF



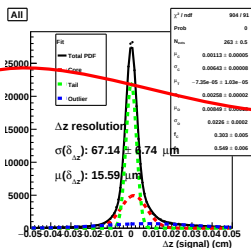
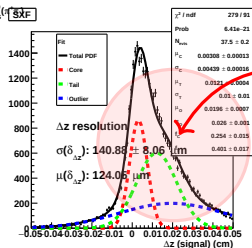
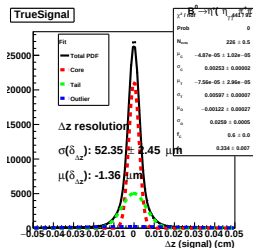
All

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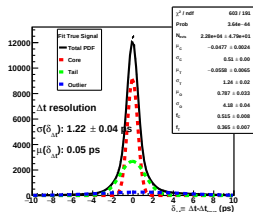


Tag side

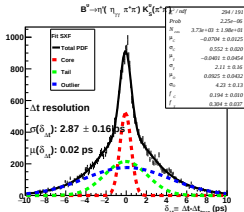
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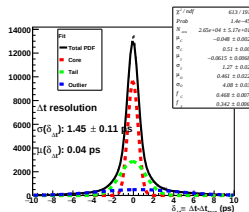
All $\sigma = 67 \mu\text{m}$



True Signal



SxF



All

$\eta_{\gamma\gamma}$ (BGx1)

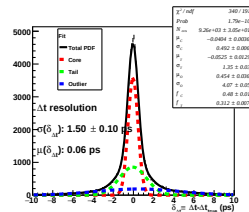
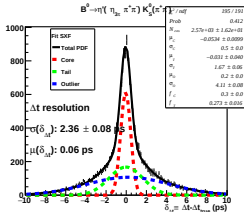
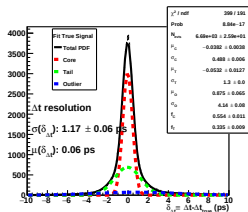
True $\sigma = 1.22$ ps

SxF $\sigma = 2.87$ ps

All $\sigma = 1.45$ ps

True (BGx0)

$\sigma = 0.91$ ps



$\eta_{3\pi}$ (BGx1)

True $\sigma = 1.17$ ps

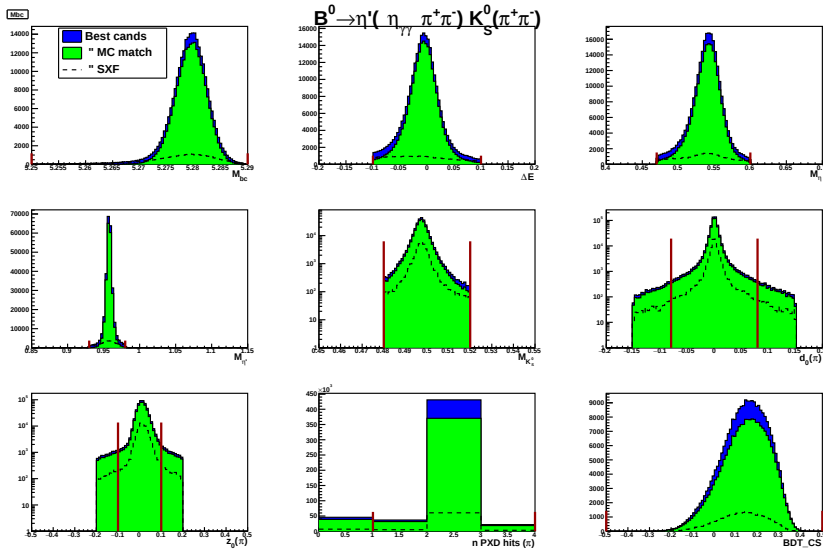
SxF $\sigma = 2.36$ ps

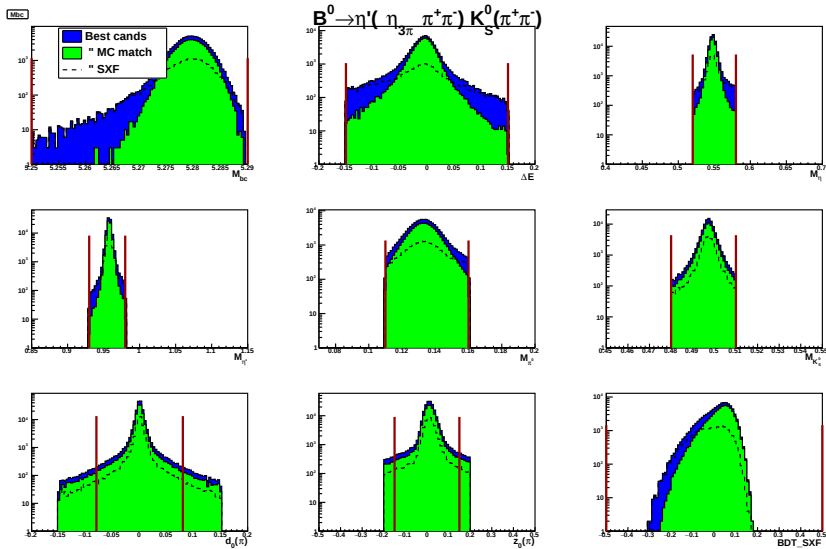
All $\sigma = 1.50$ ps

True (BGx0)

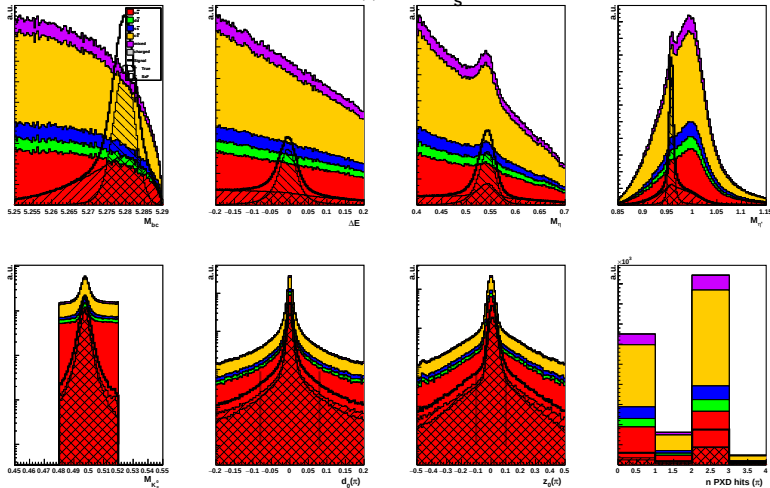
$\sigma = 0.88$ ps

Non negligible impact of BGx1 on Δt resolution



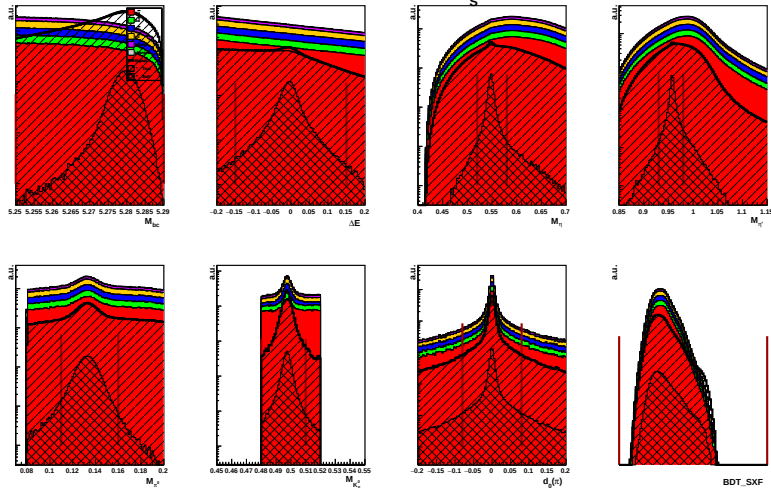


$$B^0 \rightarrow \eta'(\eta(\gamma\gamma) \pi^+\pi^-) K_S^0(\pi^+\pi^-)$$



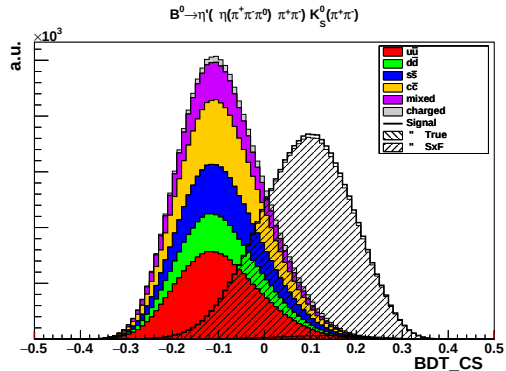
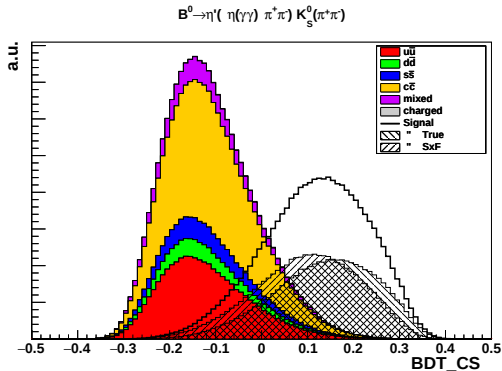
- Black: signal
 - True \\
 - SxF //
 - All candidates!
- Colors: background
- No major differences for Signal and Background distribution from BGx0 to BGx1

$$B^0 \rightarrow \eta'(\eta(\pi^+\pi^-\pi^0) \pi^+\pi^-) K_S^0(\pi^+\pi^-)$$



- Black: signal
 - ▶ True \\
 - ▶ SxF //
 - ▶ All candidates!
- Colors: background
- Signal shown with all good candidates
 - ▶ multiplicity 2.7 cand/ev

Plot with all candidates



Channel	Continuum	$B\bar{B}$	$B^+ B^-$
$\eta(2\gamma)K_S^0(\pi^\pm)$	16413	1834	57
$\eta(3\pi)K_S^0(\pi^\pm)$	4508	304	13

Multi dim. extended maximum likelihood fit to extract **S and **A**.**

Pdf is of the form:

$$\mathcal{P}_j^i = \underbrace{\mathcal{T}_j(\Delta t^i, \sigma_{\Delta t}^i, \eta_{CP}^i)}_{\text{time-dep part}} \prod_k \underbrace{\mathcal{Q}_{k,j}(x_k^i)}_{\text{time integrated}}$$

time-dependent part, taking into account mistag rate ($\eta_f = \pm 1$ is CP state):

$$f(\Delta t) = \frac{e^{-|\Delta t|/\tau}}{4\tau} \left\{ 1 \mp \Delta w \pm (1 - 2w) \times \left[-\eta_f S_f \sin(\Delta m \Delta t) - A_f \cos(\Delta m \Delta t) \right] \right\}$$

variables (x_k) used, in addition to Δt

Parameters:

- M_{bc}

- ΔE

- Cont. Suppr.

- SxF BDT

new

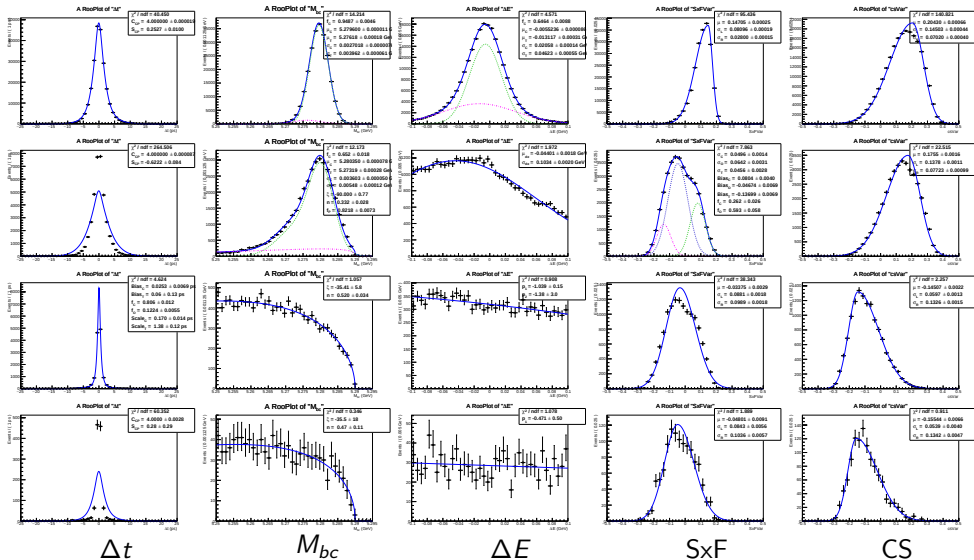
- effective tagging efficiency:

$$Q = \epsilon(1 - 2w)^2 = 0.33$$

► $w = 0.21$, $\Delta w = 0.02$

- Δt resolution as shown previously (convoluted)

- τ , Δm from PDG

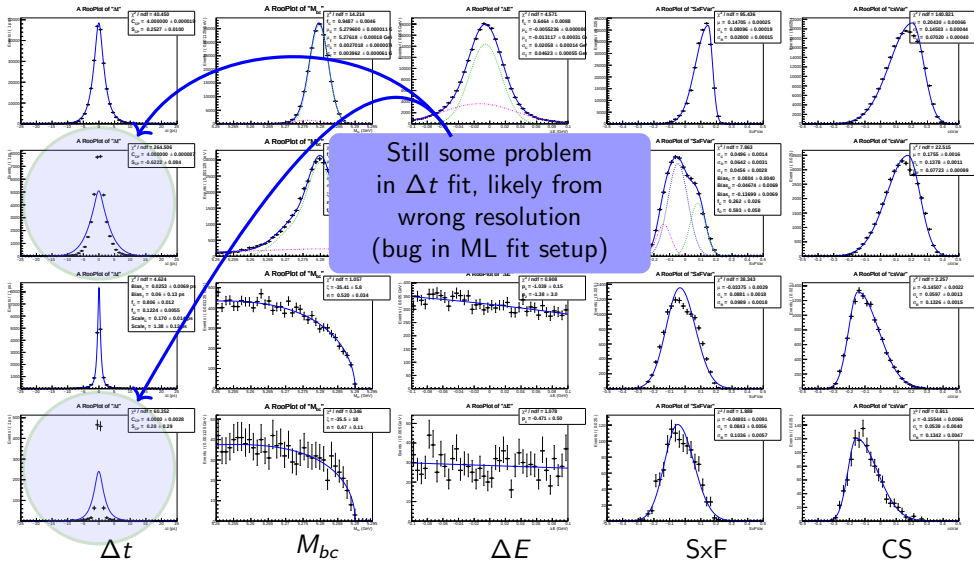


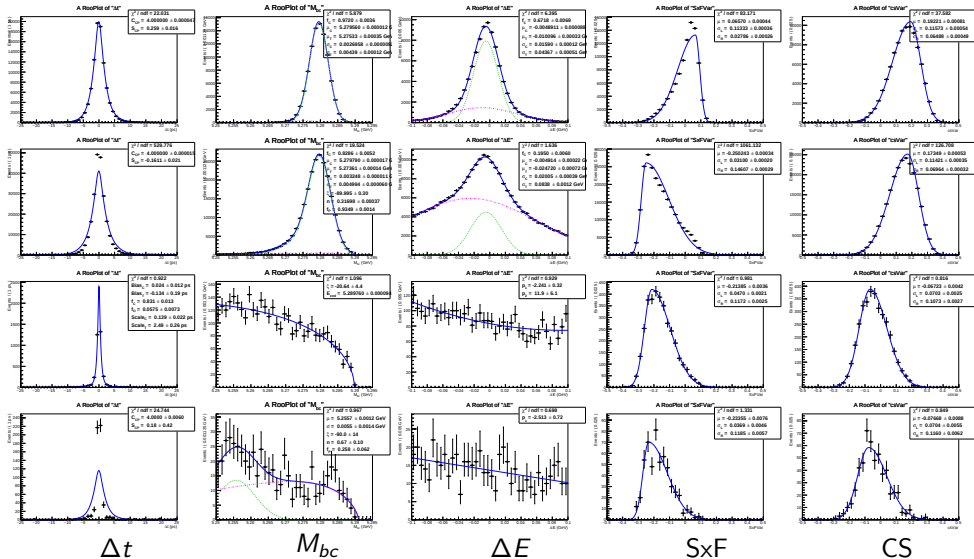
Signal

SxF

Continuum

Peaking



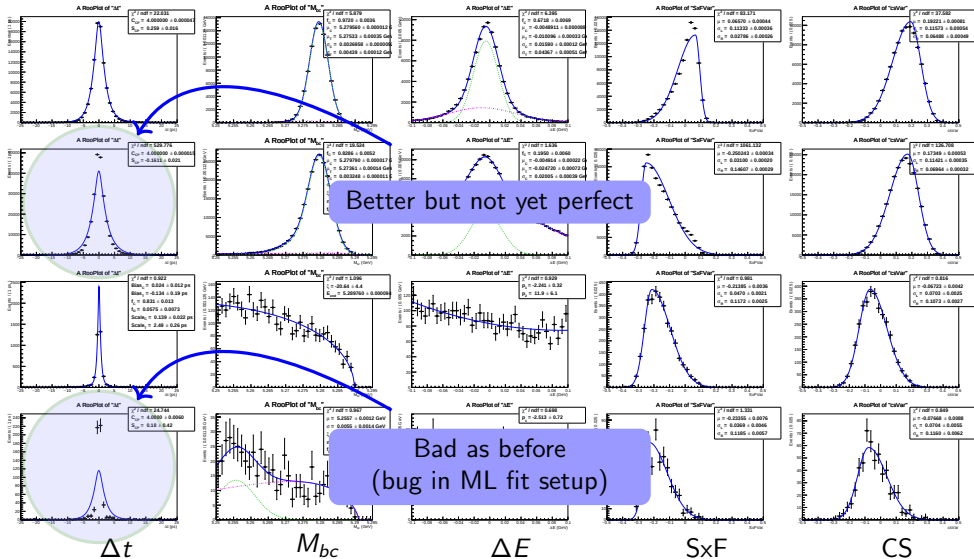


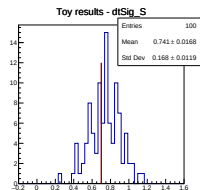
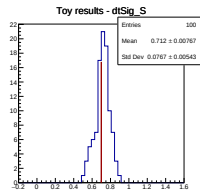
Signal

SxF

Continuum

Peaking





Channel	yield	$\sigma(S)$	$\sigma(C)$
1 ab^{-1}			
$\eta(2\gamma)K_S^0(\pi^\pm)$	1915	0.07	0.06
$\eta(2\gamma)K_S^0(2\pi^0)$	423	0.15	0.13
$\eta(3\pi)K_S^0(\pi^\pm)$	390	0.17	0.10
K_S modes		0.04	0.03
$K_S + K_L$ modes		0.038	0.028
5 ab^{-1}			
$\eta(2\gamma)K_S^0(\pi^\pm)$	9600	0.04	0.03
$\eta(2\gamma)K_S^0(2\pi^0)$	2100	0.09	0.07
$\eta(3\pi)K_S^0(\pi^\pm)$	1900	0.07	0.04
K_S modes		0.03	0.022
$K_S + K_L$ modes		0.028	0.02

Missing channel

- $K_S^0 \rightarrow 2\pi^0$ and K_L^0
- Use educated extrapolation;
- start from fully analyzed channels;
- use Belle published ratio wrt those;
- TODO for $\eta' \rightarrow \rho\gamma$
- Bias on $\mathcal{A}(C)_{CP}$: non negligible bias, under investigation

Published results:

Belle ($772 \cdot 10^6 \text{ B}\bar{\text{B}}$): $N_{sig} = 648$, $\sigma_S = 0.15$, $\sigma_C = 0.10$

BaBar ($467 \cdot 10^6 \text{ B}\bar{\text{B}}$): $N_{sig} = 472$, $\sigma_S = 0.17$, $\sigma_C = 0.11$

- K_S^{00} as well as K_L final states, but educated extrapolation included
- $\eta' \rightarrow \rho\gamma$ **not touched at all**; educated extrapolation TODO
- ML fit tuning;
 - ▶ Still some remaining issues:
 - ▶ migration between continuum and peaking background
 - ▶ still failing to properly fit Δt distribution for peaking (possibly related);
 - ▶ Bias seen for A in toys ($\mathcal{A}_{CP} = -0.1$), S is fine
- Included in B2TIP report (draft)
 - ▶ Working Group 3 (WG3), chapter 9: “Time Dependent CP Violation of B mesons and the determination of ϕ_1 ” ,
 - ▶ chapter mostly completed (missing introduction, summary, ...)
 - ▶ waiting for reviewer comments
- not clear if a more detailed study based on MC is really worth;
- I'd like to have a B2 note with more complete documentation for future reference;

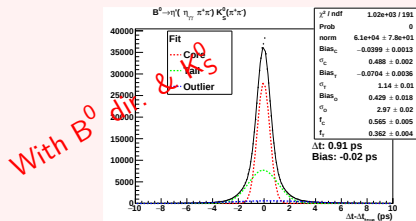
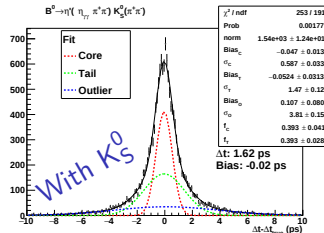
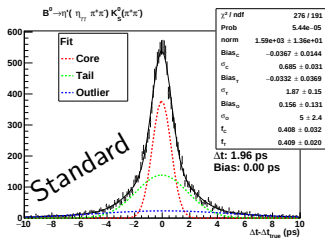
Additional or backup slides

candidate selection: main cuts

- Reconstruct decay chain with mass constrains for π^0 , η , η' , K_S^0
 - ▶ vertex only (w/o mass) for B^0 (more later)
 - $\pi^0, \eta_{\gamma\gamma}$:
 - ▶ $0.06 < E_\gamma < 6 \text{ GeV}$,
 $E_9/E_{25} > 0.75$
 - ▶ $M(\pi^0) \in [100, 150] \text{ MeV}$
 - ▶ $M(\eta_{\gamma\gamma}) \in [0.52, 0.57] \text{ GeV}$
 - $\eta' \rightarrow \eta_{\gamma\gamma} \pi^+ \pi^-$:
 - ▶ $d_0(\pi^\pm) < 0.08 \text{ mm}$;
 $z_0(\pi^\pm) < 0.1 \text{ mm}$;
 - ▶ $N \text{ hits}_{\text{PXD}}(\pi^\pm) > 1$, PID
 - ▶ $M(\eta') \in [0.93, 0.98] \text{ GeV}$
 - $\eta' \rightarrow \eta_{3\pi} \pi^+ \pi^-$:
 - ▶ $M(\eta') \in [0.93, 0.98] \text{ GeV}$
 - $K^0 \rightarrow \pi^+ \pi^-$:
 - ▶ $M(K_S^0 \rightarrow \pi^+ \pi^-) \in [0.48, 0.52] \text{ GeV}$
 - $B^0 \rightarrow \eta'(\rightarrow \eta_{\gamma\gamma} \pi^+ \pi^-) K_S^{0+-}$
 - ▶ $M_{bc} > 5.25 \text{ GeV}$
 - ▶ $|\Delta E| < 0.1 \text{ GeV}$
 - $B^0 \rightarrow \eta'(\rightarrow \eta_{3\pi} \pi^+ \pi^-) K_S^{0+-}$
 - ▶ $|\Delta E| < 0.15 \text{ GeV}$

if $N_{\text{cands}} > 1$, select that with best reduced χ^2 for η, η', K_S^0 inv. masses

- 1 Fit the B_0 vertex from charged tracks; ($\pi^\pm$ from $\eta' \rightarrow \eta \pi^\pm$)
- 2 add also constraint from reconstructed K_S^0 direction; ($K_S^0 \rightarrow \pi^+ \pi^-$)
- 3 add also constraint from B^0 boost direction, transverse plane only.



With beamspot (x, y) & K_S^0 :

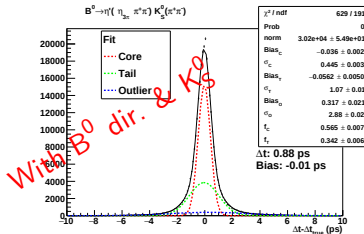
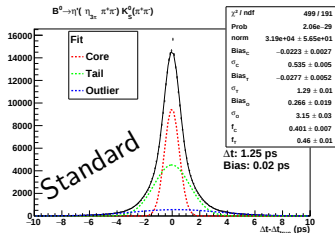
No efficiency loss

important improvement in Δt resolution

$1.89 \rightarrow 1.62 \rightarrow 0.91 \text{ ps}$

Standard reconstruction uses four charged tracks:

$\pi^\pm$ from $\eta' \rightarrow \eta \pi^\pm$ and $\eta \rightarrow \pi^\pm \pi^0$



With B^0 dir. & K_S^0 :

No efficiency loss

1.25 $\rightarrow$ 0.88 ps

In both cases, Δt resolution better than in Belle, in spite of lower boost

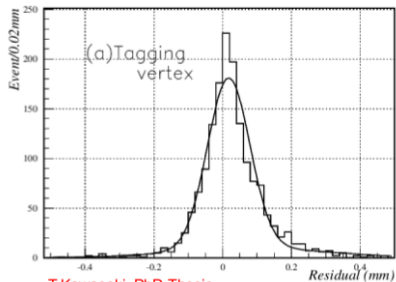
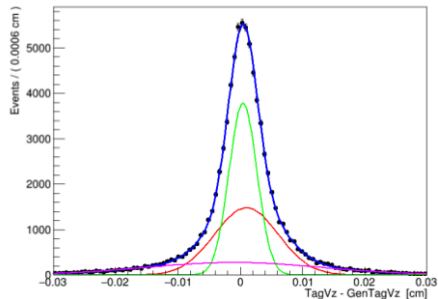
- **Combinatorial:** from continuum background $e^+e^- \rightarrow u\bar{u}, d\bar{d}, s\bar{s}, c\bar{c}$
 - ▶ evaluated from M_{bc} side bands on real data
 - ▶ now from MC production: **NB: still w/o machine background!**
 - ▶ use **Continuum Suppression variable**
 - ★ multivariate variables sensitive to event topology
 - ★ central (signal) vs jet-like (continuum)
 - ★ **past issues w/ variables "fixed"**
- **Peaking:** any other B decays possibly with real η' and/or K_S^0
 - ▶ evaluated from MC of generic $B^0\bar{B}^0, B^+B^-$
 - ★ actual $B^0 \rightarrow \eta'K^0$ removed.
- **Current results based on BGx0 production, namely w/o machine background**
 - ▶ impact of machine background under study
 - ▶ signal w/ machine background already produced
- **Next table numbers before Continuum Suppression cut**

Sample	$u\bar{u}$	$d\bar{d}$	$s\bar{s}$	$c\bar{c}$	continuum	$B^0\bar{B}^0$	B^+B^-
Input ev (M)	1284	321	306	1063	2974	2160	2070
$B^0 \rightarrow \eta'(\rightarrow \eta_{\gamma\gamma} \pi^+ \pi^-) K_S^{0+-}$							
$\epsilon_{sel} (\cdot 10^{-6})$	2.69	3.06	2.40	3.62	3.0	0.11	0.038
ev for 300 fb^{-1}	1247	369	275	1445	3335	13	6
$B^0 \rightarrow \eta'(\rightarrow \eta_{3\pi} \pi^+ \pi^-) K_S^{0+-}$							
$\epsilon_{sel} (\cdot 10^{-6})$	0.34	0.54	0.17	1.50	0.76	0.14	0.02
ev for 300 fb^{-1}	166	65	20	597	847	24	3

- Background reduction better for $\eta_{3\pi}$ than for $\eta_{\gamma\gamma}$
 - $\eta_{\gamma\gamma}$ mostly $u\bar{u}$ and $c\bar{c}$
 - $\eta_{3\pi}$ mostly $c\bar{c}$
- peaking background is small
 - analyzed whole 5 ab^{-1} dataset from MC5
- preliminary study on w/ machine background shows similar rates

Golden modes proposal

- Time dependent CP asymmetry in $B_d \rightarrow J/\psi K_S$
- Time dependent CP asymmetry in $B_d \rightarrow \phi K_S$, $B_d \rightarrow \eta' K_S$, $B_d \rightarrow \pi^0 K_S$, $B_d \rightarrow K_S K_S K_S$
- Time dependent CP asymmetry in $B_d \rightarrow K_S \pi^0 \gamma$
- Time dependent CP asymmetry in $B_d \rightarrow \pi\pi$, $B_d \rightarrow \pi\rho$, $B_d \rightarrow \rho\rho$



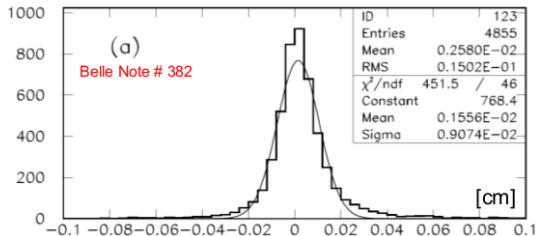
T.Kawasaki, PhD Thesis

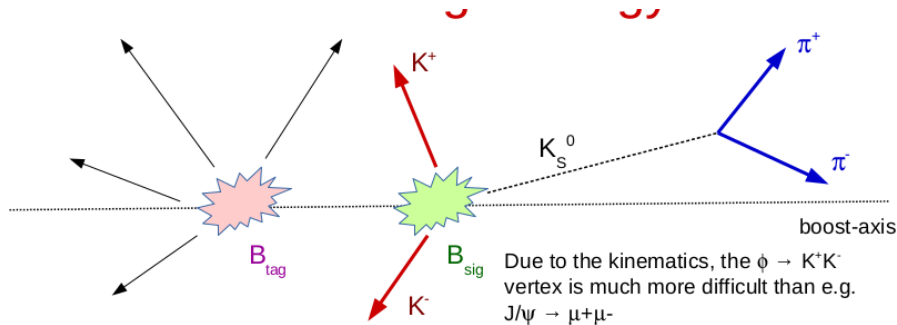
Belle II

- Shift = 3.8 μm
- Resolution = 56 μm

Belle

- Shift = 29 μm
- Resolution = 89 μm





Different strategies to determine the B_{sig} decay vertex:

- Simply use the tracks from “prompt decays”;
- Add also a kinematical constraint:
 - **iprofile**: beamspot constraint (all three axes);
 - **iptube**: constraint just on the plane transverse to boost, useful for B-physics;
- Can use also the K_S^0 flight direction.

