

Rare B decays at CMS

Results on $B_s^0, B_d^0 \rightarrow \mu\mu$ decays and
measurement of P_5' and P_1 parameters in $B_0 \rightarrow K^* \mu\mu$ decay

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on behalf of CMS collaboration

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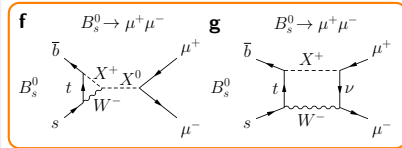
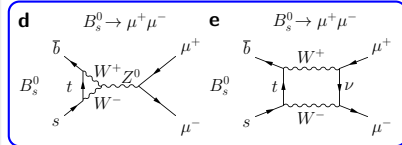
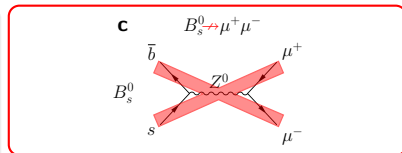
B^0 Rare Decays:

- FCNC are ideal playground for NP searches:
 - ▶ forbidden at tree level in SM, possible via penguin and box diagrams
 - ▶ NP can change rates or angular distribution
- $B^0 \rightarrow \mu\mu$ decay
- $B^0 \rightarrow K^* \mu\mu$ decay
- Accessible to CMS

Introduction

B^0 Rare Decays:

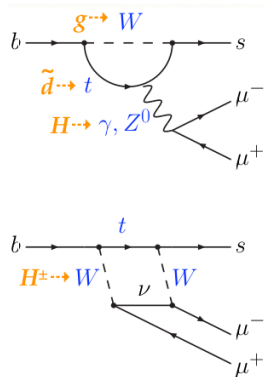
- FCNC are ideal playground for NP searches:
- $B^0 \rightarrow \mu\mu$ decay: [PRL 111 (2013) 101804, Nature 522 (2015) 68]
 - Highly suppressed in SM
 - only via Z-penguin and box diagrams: $([m_W/m_t]^2)$
 - Cabibbo suppressed: $|V_{tq}|^2$
 - Helicity suppressed: $[m_\mu/m_B]^2$
 - NP can change decay rate [arXiv:1012.3893]
- $B^0 \rightarrow K^* \mu\mu$ decay
- Accessible to CMS



Introduction

B^0 Rare Decays:

- FCNC are ideal playground for NP searches:
- $B^0 \rightarrow \mu\mu$ decay
- $B^0 \rightarrow K^* \mu\mu$ decay [CMS-PAS-BPH-15-008]
 - ▶ FCNC via penguin or box diagram;
 - ▶ angular analysis of the fully reconstructed decay;
 - ▶ many observables, as a function of $q^2 = M^2(\mu\mu)$
 - ★ BR, A_{FB} , F_L , angular parameters P_1 , P'_5 , ...
 - ▶ robust SM prediction
 - ▶ NP can change the angular distribution
- Accessible to CMS



B^0 Rare Decays:

- FCNC are ideal playground for NP searches:
- $B^0 \rightarrow \mu\mu$ decay
- $B^0 \rightarrow K^* \mu\mu$ decay
- Accessible to CMS
 - ▶ both channels are accessible to CMS, thanks to:
 - ▶ two μ for trigger purpose;
 - ▶ fully charged final state: full reconstruction.

In this talk will show results based on 7+8 TeV data (2011, 2012), with $5+20 \text{ fb}^{-1}$

Signal (BDT selection)

- a good, isolated $\mu^\pm$ pair from displaced vertex
- momentum aligned along flight direction;
- invariant mass peaking at $M(B_s^0, B_d^0)$

$$\mathcal{B}(B_s^0 \rightarrow \mu\mu) = N_s \cdot \frac{\mathcal{B}(B^\pm \rightarrow J/\psi K^\pm)}{N(B^\pm \rightarrow J/\psi K^\pm)} \cdot \frac{\varepsilon(B^\pm)}{\varepsilon(B_s^0)} \frac{f_u}{f_s}$$

- ε include acceptance, trigger, and selection
- f_s/f_u B-factorization

Background

- combinatorial (semileptonic decay): side bands
- rare decays
 - ▶ non peaking $B_s^0 \rightarrow K^- \mu \nu$, $\Lambda_b \rightarrow p \mu \nu$ (MC)
 - ▶ peaking $B^0 \rightarrow KK, K\pi, \pi\pi$: absolute yield evaluated on independent single- μ trigger
- μ quality, good sec. vertex, isolation, pointing angle, and $M_{\mu\mu}$ resolution: $\rightarrow$ powerful background suppression

- Normalization channel $B^\pm \rightarrow J/\psi K^\pm \rightarrow \mu\mu K^\pm$, calibration $B_s^0 \rightarrow J/\psi \phi \rightarrow \mu\mu KK$
- UML simultaneous fit to B_s and B_d
- several categories based on event classification (BDT) and region (Barrel-Endcap)

CMS Run 1 results: $L = (5 + 20) \text{ fb}^{-1}$ @ 7&8 TeV

PRL 111 (2013) 101804

CMS results for $\mathcal{B}(B_{s,d} \rightarrow \mu\mu)$

$$\mathcal{B}(B_s^0) = 3.0_{-0.8}^{+0.9}(\text{stat.})_{-0.4}^{+0.6}(\text{syst.}) \times 10^{-9}$$

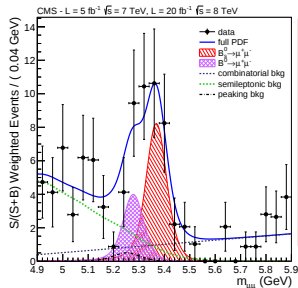
$$\mathcal{B}(B_d^0) = 3.5_{-1.8}^{+2.1}(\text{stat.} + \text{syst.}) \times 10^{-10}$$

Significance

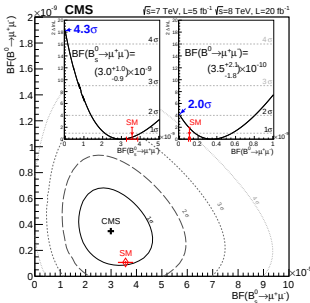
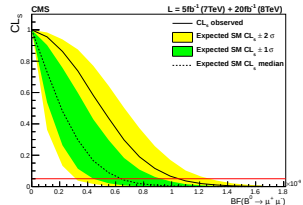
$$\mathcal{B}(B_s^0 \rightarrow \mu\mu) = 4.3\sigma$$

$$\mathcal{B}(B_d^0 \rightarrow \mu\mu) = 2.0\sigma$$

$$\mathcal{B}(B_d^0 \rightarrow \mu\mu) < 1.1 \cdot 10^{-9} \quad 95\% \text{ CL}$$



S/(S+B) weighted mass



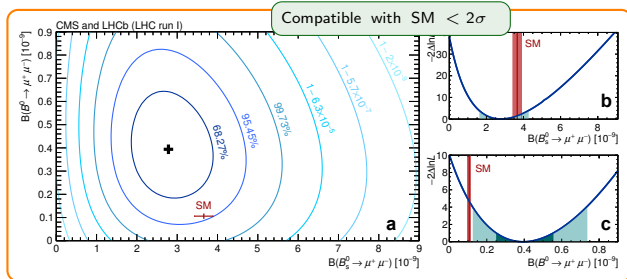
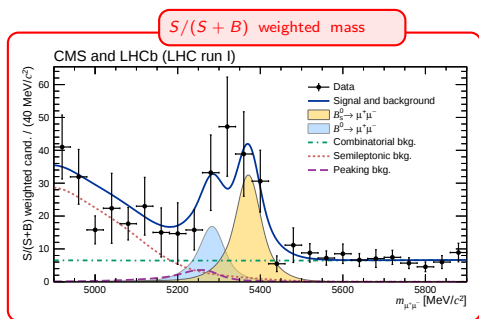
No deviation from SM

$$\mathcal{B}(B_s^0 \rightarrow \mu\mu) = (3.65 \pm 0.23) \cdot 10^{-9}$$

$$\mathcal{B}(B_d^0 \rightarrow \mu\mu) = (1.06 \pm 0.09) \cdot 10^{-10}$$

[PRL 112 (2014) 101801]

		$\epsilon_{\text{tot}} [10^{-2}]$	$N_{\text{signal}}^{\text{exp}}$	$N_{\text{total}}^{\text{exp}}$	N_{obs}
7 TeV	B^0 Barrel	(0.33 ± 0.03)	0.27 ± 0.03	1.3 ± 0.8	3
	B_s^0 Barrel	(0.30 ± 0.04)	2.97 ± 0.44	3.6 ± 0.6	4
	B^0 Endcap	(0.20 ± 0.02)	0.11 ± 0.01	1.5 ± 0.6	1
	B_s^0 Endcap	(0.20 ± 0.02)	1.28 ± 0.19	2.6 ± 0.5	4
8 TeV	B^0 Barrel	(0.24 ± 0.02)	1.00 ± 0.10	7.9 ± 3.0	11
	B_s^0 Barrel	(0.23 ± 0.03)	11.46 ± 1.72	17.9 ± 2.8	16
	B^0 Endcap	(0.10 ± 0.01)	0.30 ± 0.03	2.2 ± 0.8	3
	B_s^0 Endcap	(0.09 ± 0.01)	3.56 ± 0.53	5.1 ± 0.7	4

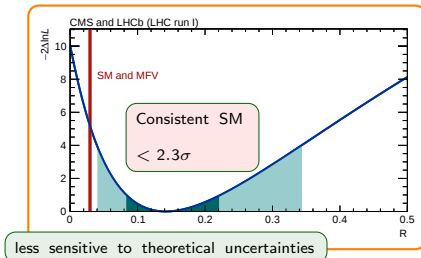


Combined fit to CMS (25 fb^{-1}) + LHCb (3 fb^{-1}) dataset, at 7 and 8 TeV

$$BR(B_s^0 \rightarrow \mu\mu) = (2.8_{-0.6}^{+0.7}) \cdot 10^{-9} \quad 6.2\sigma \quad (7.4 \text{ exp.})$$

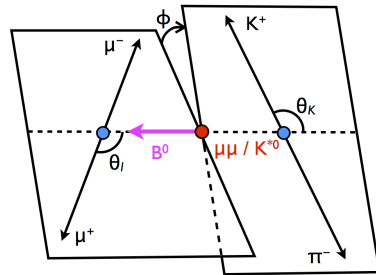
$$BR(B_d^0 \rightarrow \mu\mu) = (3.9_{-1.4}^{+1.6}) \cdot 10^{-10} \quad 3.2\sigma \quad (0.8 \text{ exp.})$$

$$\mathcal{R} = \frac{B(B_d^0 \rightarrow \mu\mu)}{B(B_s^0 \rightarrow \mu\mu)} = 0.14_{-0.06}^{+0.08}$$



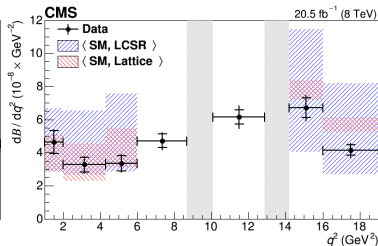
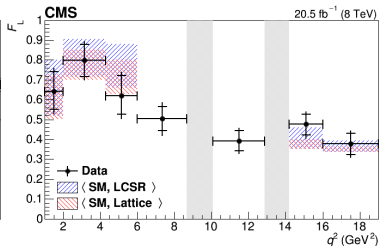
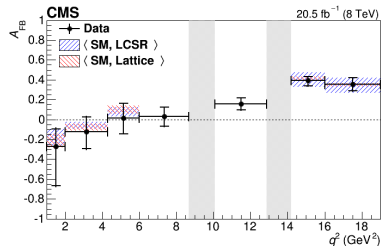
$B^0 \rightarrow K^*(892) \mu \mu \rightarrow K^+ \pi^- \mu^+ \mu^-$ angular analysis

- $B^0 \rightarrow K^* \mu \mu$ FCNC process
- Fully described by three angles: $\theta_\ell, \theta_K, \varphi$ and $q^2 = M_{\mu\mu}^2$;
- B^0 ($\bar{B}^0$) identified by K and π charges;
- Robust SM calculations of several angular parameters in most of the phase space
 - ▶ forward-backward asymmetry of the muons, A_{FB} ,
 - ▶ longitudinal polarization fraction of the K^* , F_L
 - ▶ combination of Wilson coefficient P_i and P'_i
- Discrepancy of the angular parameters vs q^2 with respect to SM might be hint of NP



Analysis history

- First iteration of the analysis [PLB 753 (2016) 424] 8 TeV, 20 fb⁻¹:
measured A_{FB} , F_L , and dB/dq^2 vs q^2 . Signal Yield ~ 1400 events
 ▶ No deviation from SM prediction
- Then $> 3\sigma$ from SM seen by LHCb [JHEP 02 (2016) 104] on P'_5 observable at $q^2 < 6 \text{ GeV}^2$
- Second iteration **with same dataset** dedicated to measure P'_5 and P_1 with CMS data



Dataset selection

Trig Dedicated HLT trigger path:

Low pt dimuon, displaced, low invariant mass

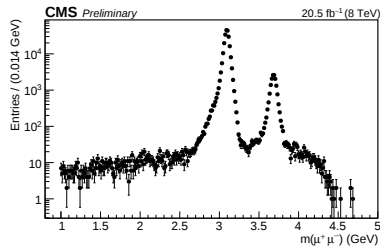
h $p_T^h > 0.8$ GeV, $|M(K\pi) - M_{K^*}| < 90$ MeV,
 $M_{KK} > 1.035$ (ϕ veto), displaced $DCA/\sigma > 2$

μ $p_T^\mu > 3.5$ GeV, $p_T^{\mu\mu} > 6.9$ GeV, $1 < M_{\mu\mu} < 4.8$ GeV,
 displaced $L/\sigma > 3$

B^0 $p_t > 8$ GeV, $|\eta| < 2.2$, displaced ($L/\sigma > 12$),
 $\cos \alpha > 0.9994$, $|M - M_{B^0}| < 280$ MeV

- ▶ Both B^0 and $\bar{B}^0$ considered, if more than one candidate, take the one with best B^0 vtx CL
- ▶ anti radiation cut against feed-down of $J/\psi/\psi'$

CR signal and control sample J/ψ and ψ' treated same way.



CMS has no PID capability to distinguish K from π
 CP state assignment based on which hypothesis $M(K^+\pi^-/K^-\pi^+)$ is closer to M_{K^*} (PDG):

mistag rate 14% (MC)

Signal Pdf

- Final state $K^+\pi^-\mu^+\mu^-$ has contribution from **P-wave** (K^*) and **S-wave**
- in total, PDF has 14 parameters: fold around $\varphi = 0$ and $\theta_\ell = \pi/2$ to reduce them

$$\frac{1}{d\Gamma/dq^2} \frac{d^4\Gamma}{dq^2 d\cos\theta_l d\cos\theta_K d\phi} = \frac{9}{8\pi} \left\{ \frac{2}{3} \left[(F_S + A_S \cos\theta_K) (1 - \cos^2\theta_l) + A_S^5 \sqrt{1 - \cos^2\theta_K} \sqrt{1 - \cos^2\theta_l} \cos\phi \right] \right. \\ + (1 - F_S) \left[2F_L \cos^2\theta_K (1 - \cos^2\theta_l) + \frac{1}{2} (1 - F_L) (1 - \cos^2\theta_K) (1 + \cos^2\theta_l) \right. \\ + \frac{1}{2} P_1 (1 - F_L) (1 - \cos^2\theta_K) (1 - \cos^2\theta_l) \cos 2\phi \\ \left. \left. + 2P'_5 \cos\theta_K \sqrt{F_L (1 - F_L)} \sqrt{1 - \cos^2\theta_K} \sqrt{1 - \cos^2\theta_l} \cos\phi \right] \right\}$$

- 6 parameters left: statistics not enough to perform a fully floating fit
- F_L , F_S , and A_S fixed from previous CMS measurement
- P_1 and P'_5 measured, A_S^5 nuisance parameter

Signal Pdf

- Final state $K^+ \pi^- \mu^+ \mu^-$ has contribution from **P-wave** (K^*) and **S-wave**
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- F_L , F_S , and A_S fixed from previous CMS measurement
- P_1 and P'_5 measured, A_S^5 nuisance parameter

Full PDF, including mis-tagged events and background

$$\begin{aligned} \text{p.d.f.}(m, \cos \theta_K, \cos \theta_l, \phi) = & Y_S^C \cdot \left(S_i^R(m) \cdot S_i^a(\cos \theta_K, \cos \theta_l, \phi) \cdot \epsilon_i^R(\cos \theta_K, \cos \theta_l, \phi) \right. \\ & \left. + \frac{f_i^M}{1 - f_i^M} \cdot S_i^M(m) \cdot S_i^a(-\cos \theta_K, -\cos \theta_l, -\phi) \cdot \epsilon_i^M(-\cos \theta_l, -\cos \theta_K, -\phi) \right) \\ & + Y_B \cdot B_i^m(m) \cdot B_i^{\cos \theta_K}(\cos \theta_K) \cdot B_i^{\cos \theta_l}(\cos \theta_l) \cdot B_i^\phi(\phi). \end{aligned}$$

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 & + \left. \frac{f_i^M}{1 - f_i^M} \cdot S_i^M(m) \cdot S_i^a(-\cos \theta_K, -\cos \theta_l, -\phi) \cdot \epsilon_i^M(-\cos \theta_l, -\cos \theta_K, -\phi) \right) \\
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 \end{aligned}$$

Correct-Tag
 Wrong-Tag
 Background

Full PDF, including mis-tagged events and background

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 & \left. + Y_B \cdot B_i^m(m) \cdot B_i^{\cos \theta_K}(\cos \theta_K) \cdot B_i^{\cos \theta_l}(\cos \theta_l) \cdot B_i^\phi(\phi) \right).
 \end{aligned}$$

Mass Shape (double gauss)

Full PDF, including mis-tagged events and background

$$\begin{aligned}
 \text{p.d.f.}(m, \cos \theta_K, \cos \theta_l, \phi) = & Y_S^C \cdot \left(S_i^R(m) \cdot \boxed{S_i^a(\cos \theta_K, \cos \theta_l, \phi)} \cdot \epsilon_i^R(\cos \theta_K, \cos \theta_l, \phi) \right. \\
 & \left. \frac{1 - f_i^M}{1 - f_i^M} \cdot S_i^M(m) \cdot \boxed{S_i^a(-\cos \theta_K, -\cos \theta_l, -\phi)} \cdot \epsilon_i^M(-\cos \theta_l, -\cos \theta_K, -\phi) \right) \\
 & + Y_B \cdot B_i^m(m) \cdot B_i^{\cos \theta_K}(\cos \theta_K) \cdot B_i^{\cos \theta_l}(\cos \theta_l) \cdot B_i^\phi(\phi).
 \end{aligned}$$

Signal pdf

Full PDF, including mis-tagged events and background

$$\begin{aligned}
 \text{p.d.f.}(m, \cos \theta_K, \cos \theta_l, \phi) = & Y_S^C \cdot \left(S_i^R(m) \cdot S_i^a(\cos \theta_K, \cos \theta_l, \phi) \cdot \epsilon_i^R(\cos \theta_K, \cos \theta_l, \phi) \right. \\
 & + \frac{1 - f_i^M}{1 - f_i^M} \cdot S_i^M(m) \cdot S_i^a(-\cos \theta_K, -\cos \theta_l, -\phi) \cdot \epsilon_i^M(-\cos \theta_l, -\cos \theta_K, -\phi) \Big) \\
 & + Y_B \cdot B_i^m(m) \cdot B_i^{\cos \theta_K}(\cos \theta_K) \cdot B_i^{\cos \theta_l}(\cos \theta_l) \cdot B_i^\phi(\phi).
 \end{aligned}$$

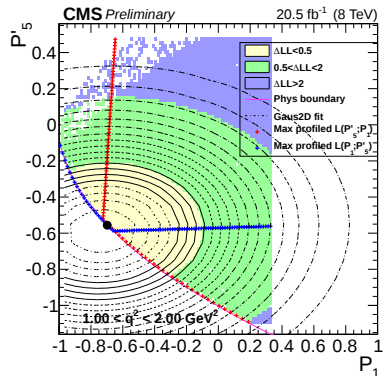
Diagram illustrating the 3D Efficiency factor:

- A green box labeled "3D Efficiency" has a blue arrow pointing to the $\epsilon_i^R(\cos \theta_K, \cos \theta_l, \phi)$ term in the first line.
- A blue box labeled "M" has a blue arrow pointing to the $\epsilon_i^M(-\cos \theta_l, -\cos \theta_K, -\phi)$ term in the second line.

Full PDF, including mis-tagged events and background

$$\begin{aligned} \text{p.d.f.}(m, \cos \theta_K, \cos \theta_l, \phi) = & Y_S^C \cdot \left(S_i^R(m) \cdot S_i^a(\cos \theta_K, \cos \theta_l, \phi) \cdot \epsilon_i^R(\cos \theta_K, \cos \theta_l, \phi) \right. \\ & + \frac{f_i^M}{1 - f_i^M} \cdot S_i^M(m) \cdot S_i^a(-\cos \theta_K, -\cos \theta_l, -\phi) \cdot \epsilon_i^M(-\cos \theta_l, -\cos \theta_K, -\phi) \Big) \\ & + Y_B \cdot B_i^m(m) \cdot B_i^{\cos \theta_K}(\cos \theta_K) \cdot B_i^{\cos \theta_l}(\cos \theta_l) \cdot B_i^\phi(\phi). \end{aligned}$$

- Fit performed for 7 (+2 CR) different q^2 bins
- Fit m side bands to determine the background shape;
- Fit whole mass spectrum with 5 floating parameters;
- used unbinned extended maximum likelihood estimator
 - ▶ discretize P_1, P_5' space
 - ▶ maximize $\mathcal{L}(Y_S, Y_B, A_s^5)$
 - ▶ fit $\mathcal{L}$ with 2D-gaussian
 - ▶ **find abs max of $\mathcal{L}$ inside the physically allowed region**
- stat uncert using FC construction along the 1D profiled $\mathcal{L}$



Systematics

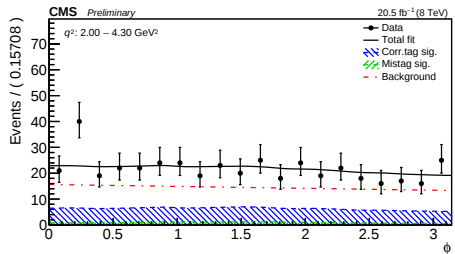
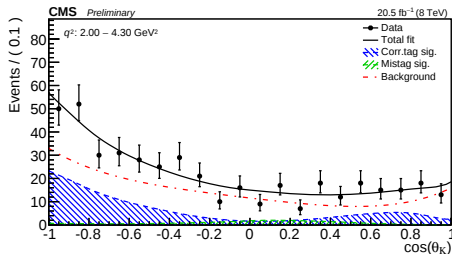
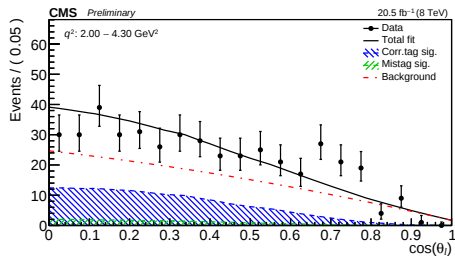
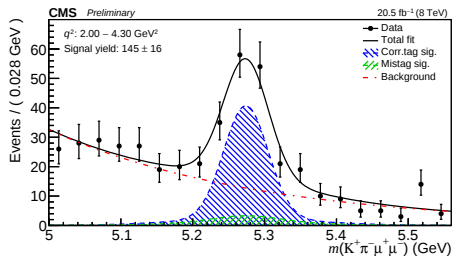
Systematic uncertainty	$P_1(10^{-3})$	$P'_5(10^{-3})$
Simulation mismodeling	1–33	10–23
Fit bias	5–78	10–119
MC statistical uncertainty	29–73	31–112
Efficiency	17–100	5–65
$K\pi$ mistagging	8–110	6–66
Background distribution	12–70	10–51
Mass distribution	12	19
Feed-through background	4–12	3–24
F_L, F_S, A_S uncertainty propagation	0–126	0–200
Angular resolution	2–68	0.1–12
Total systematic uncertainty	60–220	70–230

- Comparing fit results on MC (high stat) with input (**sim mismod**)
- **Fit bias** with cocktail signal MC + toy background from data side-bands;
- **MC stat** due to limited statistics in efficiency shape evaluation
- Comparing F_L on CR wrt PDG (**efficiency**)
- **$K\pi$ mistag** evaluated in J/ψ control region and propagated to all bins;

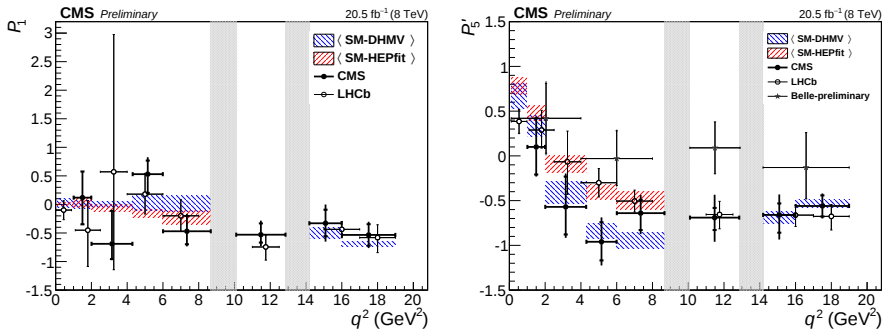
Propagation of F_L , F_S , and A_S uncertainties:

- generate pseudo experiments, with x100 events, for each q^2 bin;
- Fit with F_L, F_S, A_S free to float and with F_L, F_S, A_S fixed;
- ratio of stat. uncert. on P_1 and P'_5 with free and fixed fit used to estimate syst uncertainties.

Results: fit projection for second bin: $2.0 < q^2 < 4.3 \text{ GeV}^2$



Results vs SM prediction and LHCb/Belle measurements



LHCb [JHEP 02 (2016) 104]
 Belle [PRL 118 (2017) 111801]
 ATLAS results not shown
 [ATLAS-CONF-2017-023]

SM-DHNV is computed using soft form factors in addition with parametrised power corrections and with the hadronic charm-loop contribution derived from calculations [JHEP 01 (2013) 048, JHEP 05 (2013) 137]

SM-HEPfit uses full QCD computation of the form factors and derives the hadronic contribution from LHCb data [JHEP 06 (2016) 116, arXiv:1611.04338]

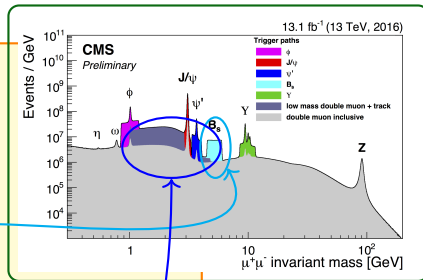
No significant deviation wrt SM prediction, more compatible with SM-DHNV

Summary

FCNC rare decays are being extensively studied in CMS

- $B_s^0 \rightarrow \mu\mu$ clearly seen. B_d^0 at $> 3\sigma$ with LHCb
- **BR compatible with SM.**
 - ▶ analysis on 35 fb^{-1} at 13 TeV is beeing actively carried on;
 - ▶ dedicated trigger in place also for the 2017 data-taking:
 - ▶ more statistics will be available
 - ▶ improve B_s^0 and further study B_d^0 decay.
- $B^0 \rightarrow K^* \mu\mu$ angular analysis has been extended to measure P_1 and P'_5 parameters:
 - ▶ **no significant deviation to SM prediction seen within the uncertainties**
 - ▶ trigger available: have and will collect more events at 13 TeV
- *Credi, [...], no la xe finia* [V.Monti, Aristodemo, 3rd act]

It's not over, yet! stay tuned



Additional or backup slides

Introduction

Motivation

The search for new physics can be performed via different paths:

- **direct searches**
 - ▶ try to produce any new particle and detect it via its decay or interaction with the detector
- **indirect searches**
 - ▶ perform precise measurement of processes and compare with Standard Model prediction
 - ▶ **New Physics** present in the loops can be seen if a significant discrepancy wrt to SM prediction is present.

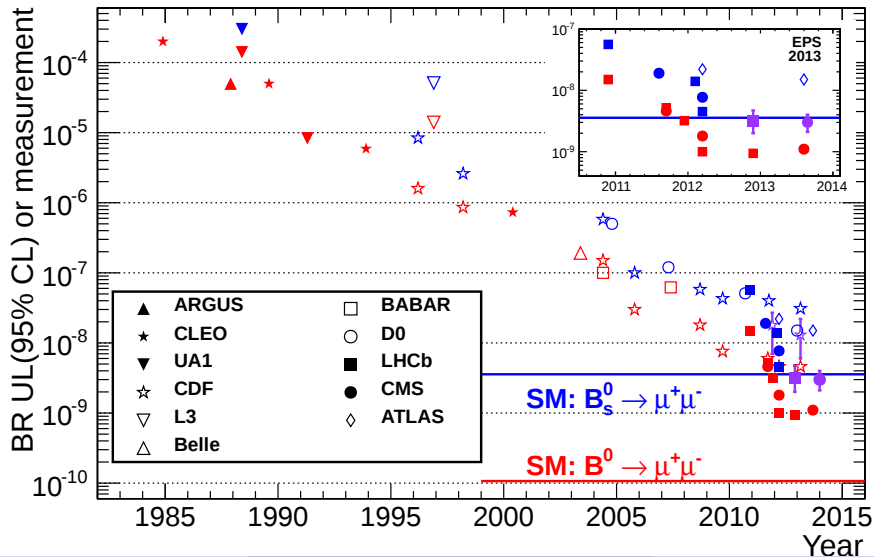
This talk:

- $B_s^0, B_d^0 \rightarrow \mu\mu$
- $B^0 \rightarrow K^* \mu\mu$

Flavour Changing Neutral Current

- FCNC are ideal playground for NP searches:
 - ▶ forbidden at tree level in SM, possible via penguin and box diagrams
 - ▶ **NP can change rates or angular distribution**

$B_s^0 \rightarrow \mu\mu$: an history of 30 years





CMS Experiment at the LHC, CERN

Data recorded: 2012-Nov-30 07:19:44.547430 GMT (08:19:44 CEST)

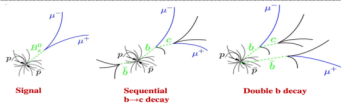
Run / Event: 208307 / 997510994

$B_s^0, B_d^0 \rightarrow \mu\mu$ analysis

Candidate $B_s^0 \rightarrow \mu\mu$ events

Signal

- two muons from the same, displaced vertex;
- momentum aligned along flight direction;
- invariant mass peaking at $M(B_s^0, B_d^0)$
- blind analysis



Background

- combinatorial: control sample from side bands
 - ▶ double semileptonic B decay
 - ▶ single semileptonic plus μ mis-id
- background from rare decays (MC)
 - ▶ yield normalized to same $B^\pm$ yield as data
 - ▶ peaking $B^0 \rightarrow KK, K\pi, \pi\pi$
 - ★ absolute yield evaluated on independent single- μ trigger
 - ▶ non peaking $B_s^0 \rightarrow K^- \mu \nu, \Lambda_b \rightarrow p \mu \nu$
- powerful background suppression:
 - ▶ μ quality, good sec. vertex, isolation, pointing angle, and $M_{\mu\mu}$ resolution

Analysis strategy

$$\mathcal{B}(B_s^0 \rightarrow \mu\mu) = \frac{N_s}{N(B^\pm \rightarrow J/\psi K^\pm)} \times \mathcal{B}(B^\pm \rightarrow J/\psi K^\pm) \times \frac{A(B^\pm)}{A(B_s^0)} \frac{\varepsilon(B^\pm)}{\varepsilon(B_s^0)} \frac{f_u}{f_s}$$

- Normalization channel $B^\pm \rightarrow J/\psi K^\pm \rightarrow \mu\mu K^\pm$
- Calibration/validation channels
 $B_s^0 \rightarrow J/\psi \phi \rightarrow \mu\mu KK$
- UML simultaneous fit to B_s and B_d
- several categories based on event classification and region
 - ▶ Boosted Decision Tree (BDT) method by including several topological and kinematical variables for background suppression
 - ▶ barrel and endcap (different M_B resolution)

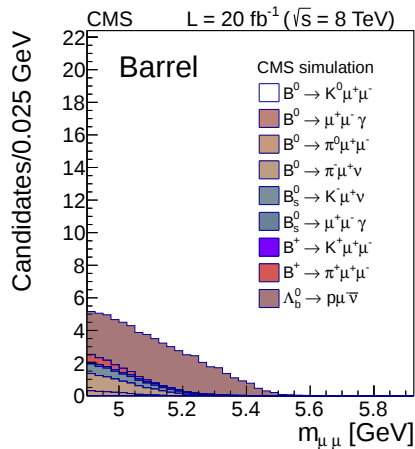
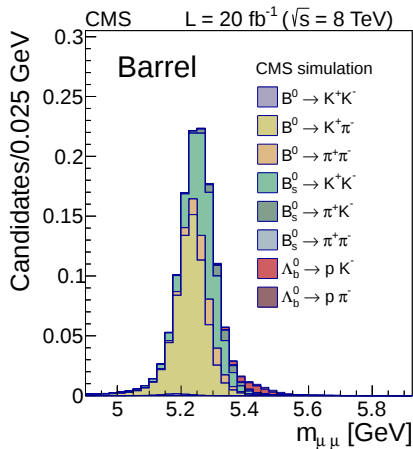
ε include acceptance, trigger, and selection

- ▶ trigger and selection similar between signal and normalization channel to reduce systematics

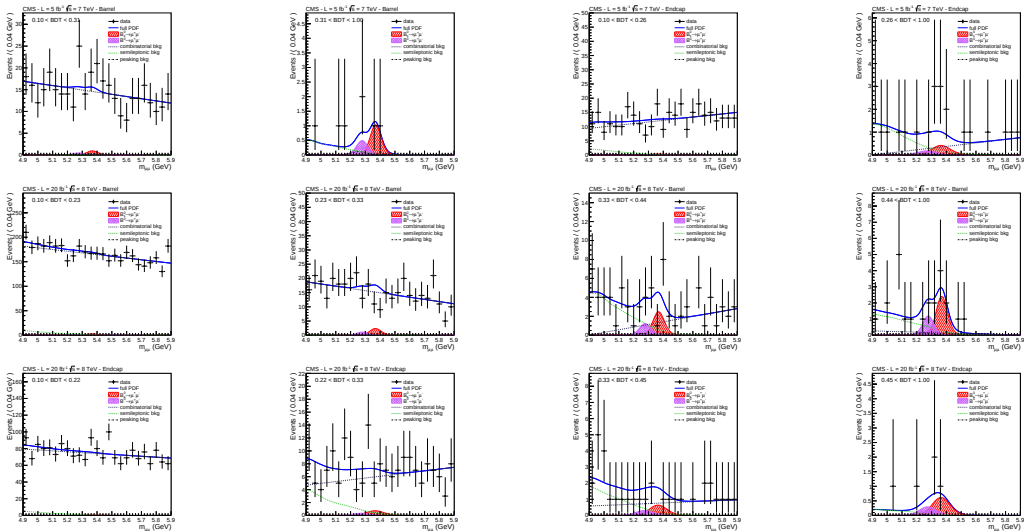
f_s/f_u B-factorization composition
 (from LHCb measurement
 0.259 ± 0.015 [JHEP 04 (2013) 001])

Background for CMS

Illustration of the rare peaking and rare semileptonic (and other non-peaking) backgrounds in barrel categories



Invariant mass for different BDT region/categories

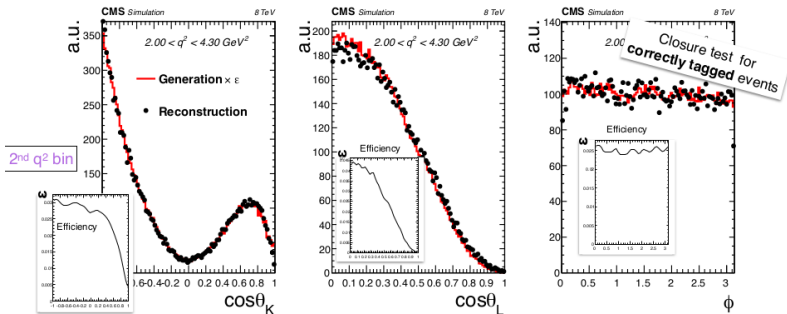


Efficiency and closure test (right tag)

- Numerator and denominator of efficiency are separately described with nonparametric technique implemented with a kernel density estimator on unbinned distributions
- Final efficiency distributions in the p.d.f. obtained from the ratio of 3D histograms derived from the sampling of the kernel density estimators

Closure test:

- compute efficiency with half of the MC simulation and use it to correct the other half
- same test performed both for correctly and mistagged events independently

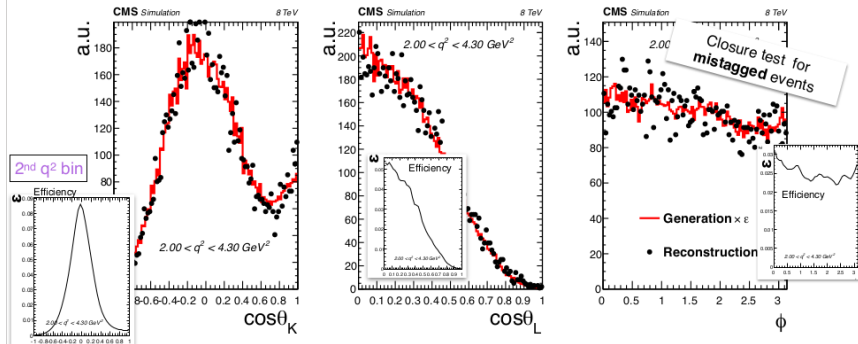


Efficiency and closure test (wrong tag)

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Closure test:

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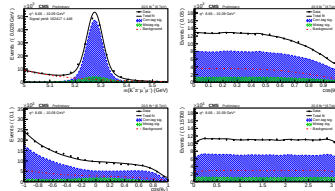
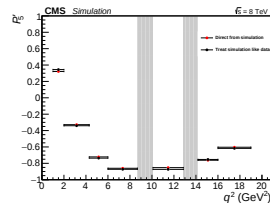
Background considered included:

- Partially reconstructed B^0 decay might pollute left M_{B^0} side bands
 - ▶ restrict left s.b. ($5.1 < M < 5.6$ GeV, default $5 < M < 5.6$ GeV)
 - ▶ redo fit: change in P_1 and P'_5 within the systmatics uncertainties.
- $B^\pm \rightarrow K^\pm \mu \mu$ plus and additional random $\pi^\mp$:
 - ▶ distribution ends at $M > 5.4$ GeV, further reduced by $\cos \alpha$ cut, and BR similar to $B^0 \rightarrow K^* \mu \mu$
- $\Lambda_b \rightarrow p K J/\psi (\mu^+ \mu^-)$
 - ▶ look at event in the $M_{K\pi\mu\mu} \approx M_{B^0}$ peak, reconstruct them using p, K mass hypothesis: no peak seen.
- $B^0 \rightarrow DX$, with $D \rightarrow hh$ and h mis-id as μ
 - ▶ requires two mis-id: $P_{misld} \sim 1 \cdot 10^{-3}$: given $BR \sim 1 \cdot 10^{-3}$ negligible.
- $B^0 \rightarrow J/\psi (\mu \mu) K^* (K\pi)$, with one h and one μ switched
 - ▶ $P_{misld} \mu \cdot (1 - \varepsilon_\mu) \sim 1 \cdot 10^{-4}$, $Y_{B^0 \rightarrow J/\psi \mu \mu} \sim 1.6 \cdot 10^5$: few events in bin close to J/ψ
 - ▶ J/ψ feed contamination in close bin included in the fit model

Fit validation

extensive fit validation with MC: used as **systematics**

- compare fit results with MC input values (**sim mismodeling**)
- compare with data-like MC (**fit bias**)
 - ▶ signal only correct tag
 - ▶ signal correct+wrong tag
 - ▶ signal + background
- Data control channel (J/ψ and ψ'), comparing fit results with PDG (F_L) (**efficiency**)
- compare P_1 and P'_5 on J/ψ and ψ' w/ and w/o F_L fixed: no bias



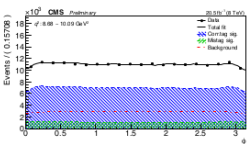
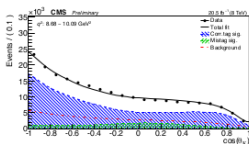
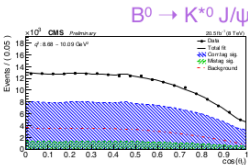
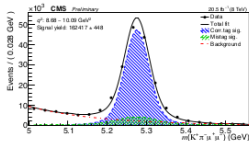
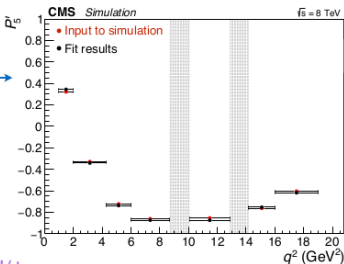
$$\frac{\mathcal{B}(B^0 \rightarrow K^* \psi')}{\mathcal{B}(B^0 \rightarrow K^* J/\psi)} = \frac{Y_{\psi'} \epsilon_{J/\psi}}{\epsilon_{\psi'} Y_{J/\psi}} \frac{\mathcal{B}(J/\psi \rightarrow \mu^+ \mu^-)}{\mathcal{B}(\psi' \rightarrow \mu^+ \mu^-)} = 0.480 \pm 0.008(\text{stat}) \pm 0.055(R_{\psi}^{\mu\mu})$$

vs PDG $0.484 \pm 0.018(\text{stat}) \pm 0.011(\text{syst}) \pm 0.012(R_{\psi}^{ee})$

Fit Validation (2)

Several validation steps are performed with [simulation](#): $\tilde{B}^0$

- with statistically precise MC signal sample: compare fit results with input values to the simulation $\longrightarrow$ (simulation mismodeling)
- with 200 data-like MC signal+background samples: compare average fit results with fit to the statistically precise MC signal sample (fit bias)
- with pseudo-experiments



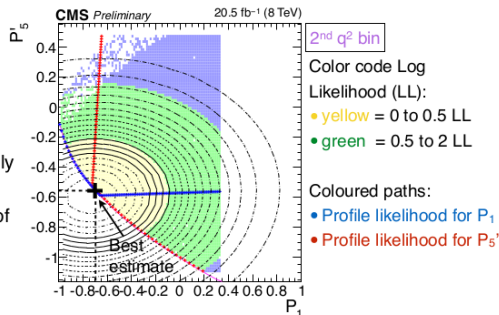
Validation with [data](#) control channels:

- Fit performed with F_L free to vary
- The difference of F_L with respect to PDG value is propagated to the signal q^2 bins as systematic uncertainty (**efficiency**)

Fit procedure

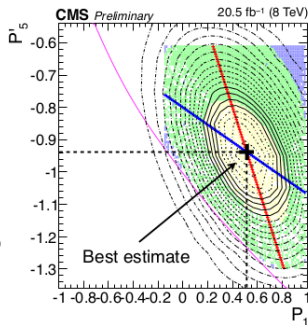
- The decay rate can become negative for certain values of the angular parameters (P_1 , P_5' , A_5^s)
- The presence of such a physically allowed region greatly complicates the numerical maximisation process of the likelihood by MINUIT and especially the error determination by MINOS, in particular next to the boundary between physical and unphysical regions
- The **best estimate** of P_1 and P_5' is computed by:
 - discretise the bi-dimensional space P_1 - P_5'
 - maximise the likelihood as a function of Y_S , Y_B , and A_5^s at fixed values of P_1 , P_5'
 - fit the likelihood distribution with a 2D-gaussian function
 - the maximum of this function inside the physically allowed region is the best estimate

- To ensure correct coverage for the **uncertainties** of P_1 and P_5' , the Feldman-Cousins method is used in a simplified form: the confidence interval's construction is performed only along two 1D paths determined by profiling the 2D-gaussian description of the likelihood inside the physically allowed region



FC stat uncertainties determination

- To ensure correct coverage for the **uncertainties** of P_1 and P_5 , the Feldman-Cousins method is used in a simplified form: the confidence interval's construction is performed only along the two 1D paths determined by profiling the 2D-gaussian description of likelihood inside the physically allowed region:
 - generate 100 pseudo-experiments for each point of the path
 - fit and rank according to the likelihood-ratio
 - confidence interval bound is found when data likelihood-ratio exceeds the 68.3% of the pseudo-experiments

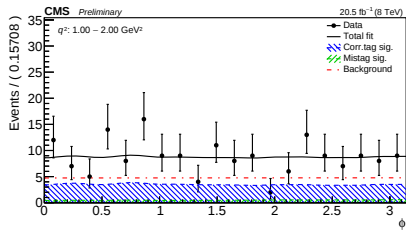
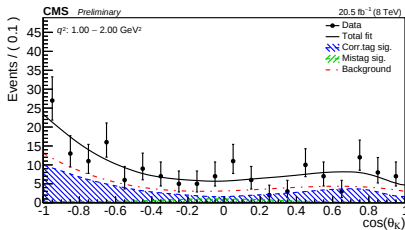
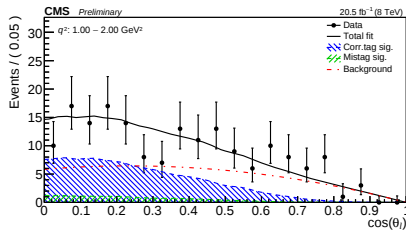
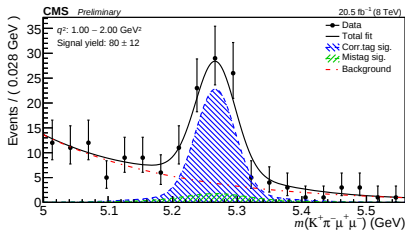


- Due to the limited number of pseudo-experiments statistical fluctuations are present
- To produce a robust result, the ranking of the data likelihood-ratio is plotted for several scan points
- The intersection is then computed using a linear fit

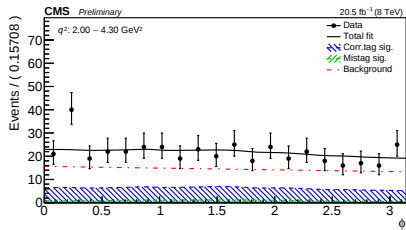
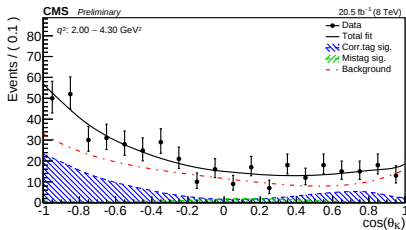
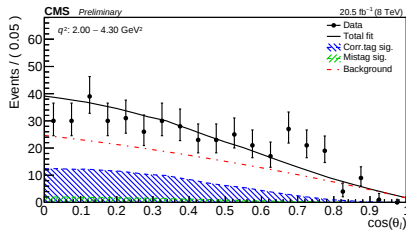
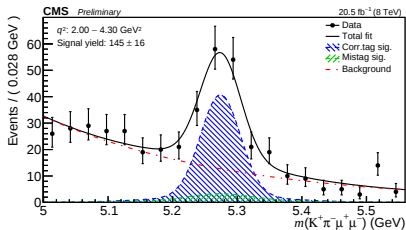
CMS results (table)

q^2 (GeV ²)	Signal yield	P_1	P'_5
1.00–2.00	80 ± 12	$+0.12^{+0.46}_{-0.47} \pm 0.06$	$+0.10^{+0.32}_{-0.31} \pm 0.12$
2.00–4.30	145 ± 16	$-0.69^{+0.58}_{-0.27} \pm 0.09$	$-0.57^{+0.34}_{-0.31} \pm 0.15$
4.30–6.00	119 ± 14	$+0.53^{+0.24}_{-0.33} \pm 0.18$	$-0.96^{+0.22}_{-0.21} \pm 0.16$
6.00–8.68	247 ± 21	$-0.47^{+0.27}_{-0.23} \pm 0.13$	$-0.64^{+0.15}_{-0.19} \pm 0.14$
10.09–12.86	354 ± 23	$-0.53^{+0.20}_{-0.14} \pm 0.14$	$-0.69^{+0.11}_{-0.14} \pm 0.23$
14.18–16.00	213 ± 17	$-0.33^{+0.24}_{-0.23} \pm 0.22$	$-0.66^{+0.13}_{-0.20} \pm 0.19$
16.00–19.00	239 ± 19	$-0.53^{+0.19}_{-0.19} \pm 0.13$	$-0.56^{+0.12}_{-0.12} \pm 0.07$

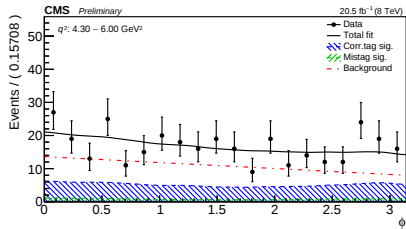
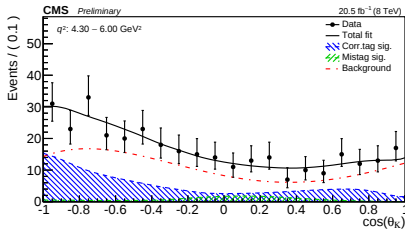
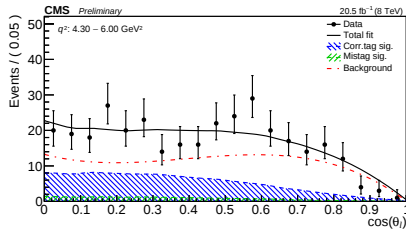
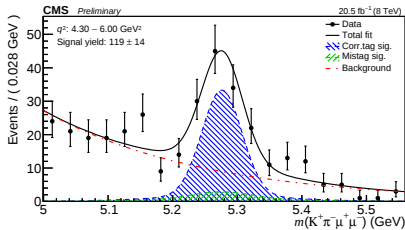
Fit Bin 1



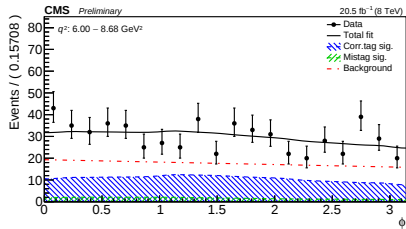
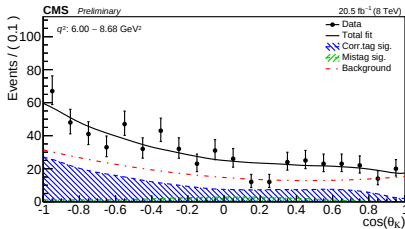
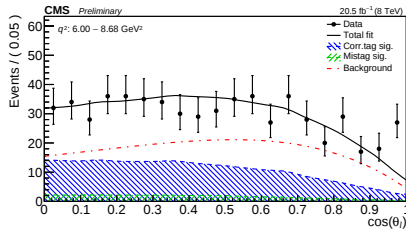
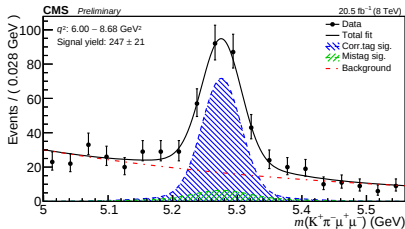
Fit Bin 2



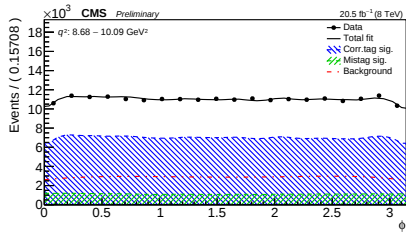
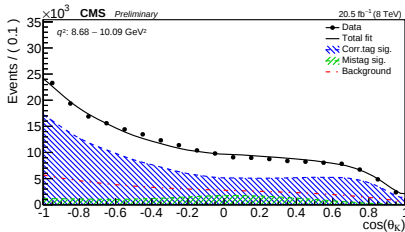
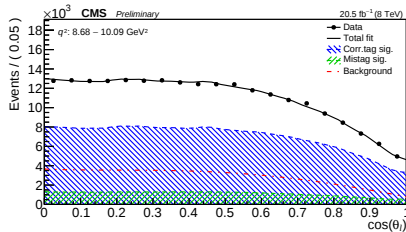
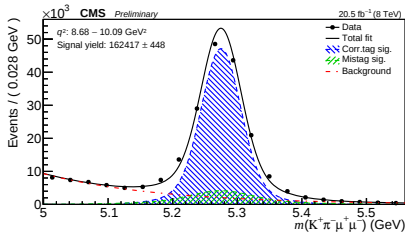
Fit Bin 3



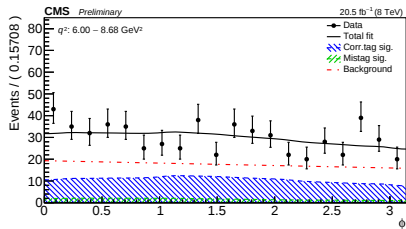
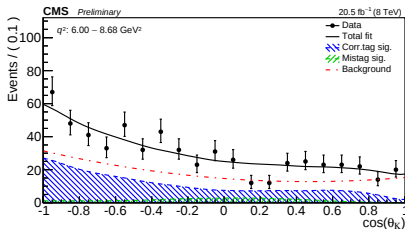
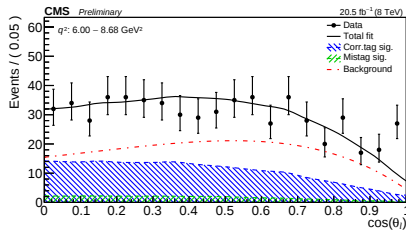
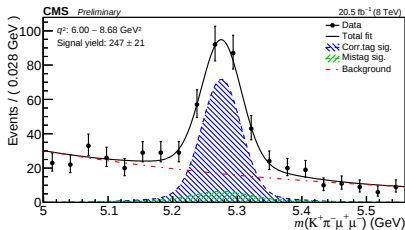
Fit Bin 4



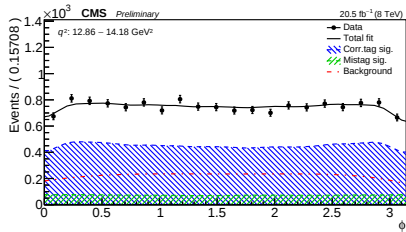
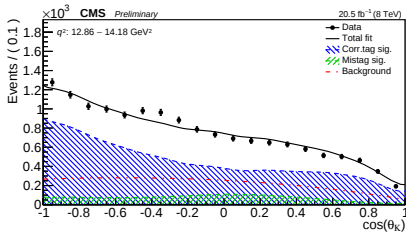
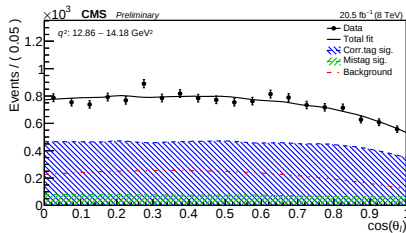
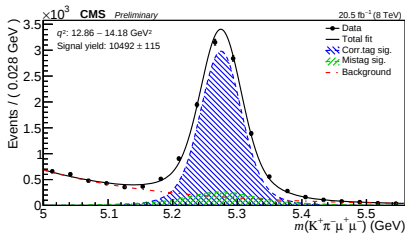
Fit Bin 5 (J/ψ)



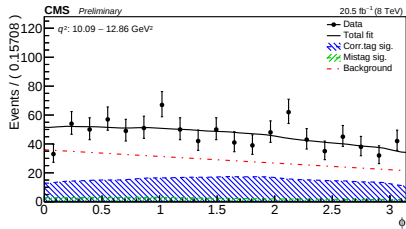
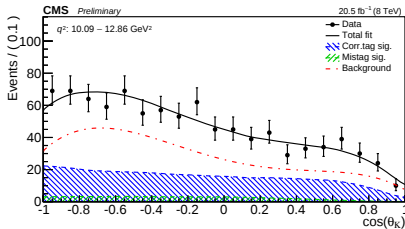
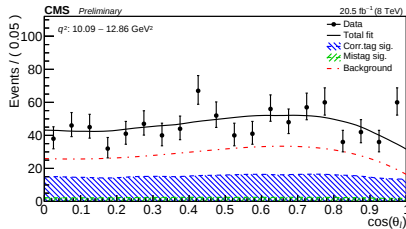
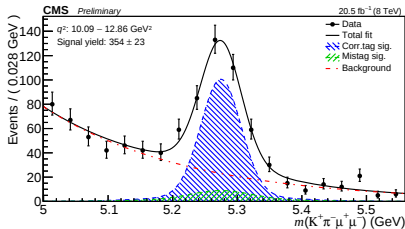
Fit Bin 6



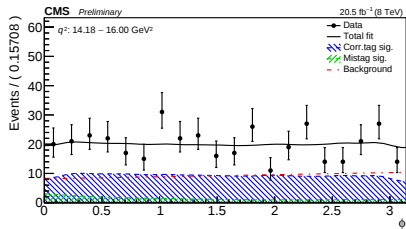
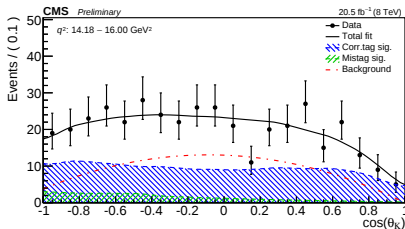
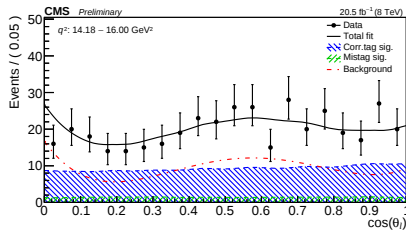
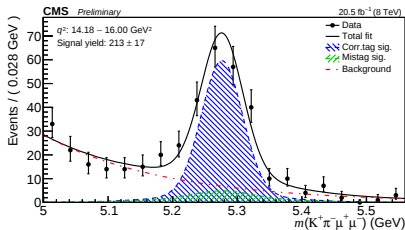
Fit Bin 7 (ψ')



Fit Bin 8



Fit Bin 9



Anti-radiation cut

The signal sample is required to pass the selection:

- $m(\mu\mu) < m_{J/\psi\text{PDG}} - 3\sigma_{m(\mu\mu)}$ or
- $m_{J/\psi\text{PDG}} + 3\sigma_{m(\mu\mu)} < m(\mu\mu) < m_{\psi'\text{PDG}} - 3\sigma_{m(\mu\mu)}$ or
- $m(\mu\mu) > m_{\psi'\text{PDG}} + 3\sigma_{m(\mu\mu)}$;

for the control channel $B^0 \rightarrow K^{*0}(K^+\pi^-)J/\psi(\mu^+\mu^-)$ the requirement is:

- $|m(\mu\mu) - m_{J/\psi\text{PDG}}| < 3\sigma_{m(\mu\mu)}$.

while for the $B^0 \rightarrow K^{*0}(K^+\pi^-)\psi'(\mu^+\mu^-)$ channel is:

- $|m(\mu\mu) - m_{\psi'\text{PDG}}| < 3\sigma_{m(\mu\mu)}$.

To further reject feed-through
from control channels →

Events are **rejected** if $m(\mu\mu) < m_{J/\psi\text{PDG}}$, then:

- $|(m(K\pi\mu\mu) - m_{B^0\text{PDG}}) - (m(\mu\mu) - m_{J/\psi\text{PDG}})| < 160 \text{ MeV}/c^2$;
- $|(m(K\pi\mu\mu) - m_{B^0\text{PDG}}) - (m(\mu\mu) - m_{\psi'\text{PDG}})| < 60 \text{ MeV}/c^2$;

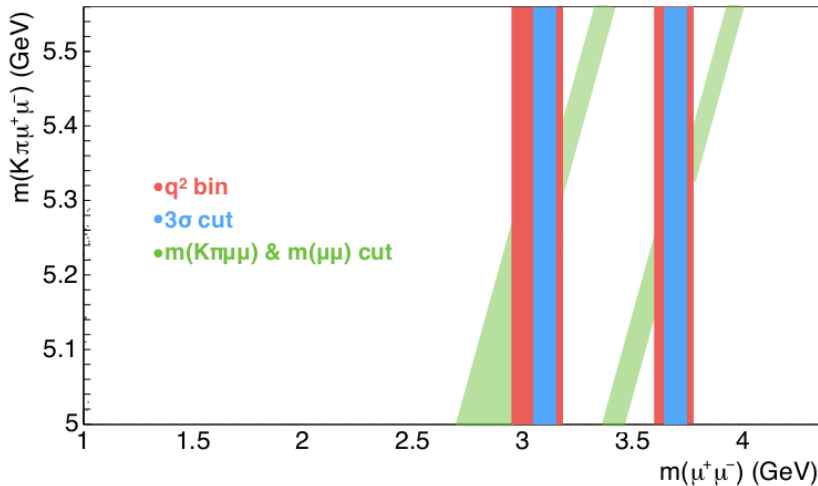
while if $m_{J/\psi\text{PDG}} < m(\mu\mu) < m_{\psi'\text{PDG}}$, then:

- $|(m(K\pi\mu\mu) - m_{B^0\text{PDG}}) - (m(\mu\mu) - m_{J/\psi\text{PDG}})| < 60 \text{ MeV}/c^2$;
- $|(m(K\pi\mu\mu) - m_{B^0\text{PDG}}) - (m(\mu\mu) - m_{\psi'\text{PDG}})| < 60 \text{ MeV}/c^2$;

and if $m(\mu\mu) > m_{\psi'\text{PDG}}$, then:

- $|(m(K\pi\mu\mu) - m_{B^0\text{PDG}}) - (m(\mu\mu) - m_{J/\psi\text{PDG}})| < 60 \text{ MeV}/c^2$;
- $|(m(K\pi\mu\mu) - m_{B^0\text{PDG}}) - (m(\mu\mu) - m_{\psi'\text{PDG}})| < 30 \text{ MeV}/c^2$.

Anti-radiation cut 2



Decay rate

$$\frac{d^4 \Gamma[\bar{B}^0 \rightarrow \bar{K}^{*0} \mu^+ \mu^-]}{dq^2 d\vec{\Omega}} = \frac{9}{32\pi} \sum_i \bar{I}_i(q^2) f_i(\vec{\Omega}) \longrightarrow \text{Decay rate involving } b \text{ quark, i.e. } B_{\text{bar}}^0 \text{ meson}$$

$$\frac{d^4 \bar{\Gamma}[B^0 \rightarrow K^{*0} \mu^+ \mu^-]}{dq^2 d\vec{\Omega}} = \frac{9}{32\pi} \sum_i \bar{I}_i(q^2) f_i(\vec{\Omega}) \longrightarrow \text{Decay rate involving } b_{\text{bar}} \text{ quark, i.e. } B^0 \text{ meson}$$

- Γ and Γ_{bar} : expression of the decay
- $f(\vec{\Omega})$: combinations of spherical harmonics
- I and I_{bar} : q^2 -dependent angular parameters (combinations of six complex decay amplitudes)

$$\begin{aligned} \frac{1}{d(\Gamma + \bar{\Gamma})/dq^2} \frac{d^4(\Gamma + \bar{\Gamma})}{dq^2 d\vec{\Omega}} &= \frac{9}{32\pi} \left[\frac{3}{4} (1 - F_L) \sin^2 \theta_K + F_L \cos^2 \theta_K \right. \\ &\quad + \frac{1}{4} (1 - F_L) \sin^2 \theta_K \cos 2\theta_l \\ &\quad - F_L \cos^2 \theta_K \cos 2\theta_l + S_3 \sin^2 \theta_K \sin^2 \theta_l \cos 2\phi \\ &\quad + S_4 \sin 2\theta_K \sin 2\theta_l \cos \phi + S_5 \sin 2\theta_K \sin \theta_l \cos \phi \\ &\quad + \frac{4}{3} A_{\text{FB}} \sin^2 \theta_K \cos \theta_l + S_7 \sin 2\theta_K \sin \theta_l \sin \phi \\ &\quad \left. + S_8 \sin 2\theta_K \sin 2\theta_l \sin \phi + S_9 \sin^2 \theta_K \sin^2 \theta_l \sin 2\phi \right] \end{aligned}$$

Assumptions / simplifications:

- CP-averaged measurement
- Massless limit, i.e. $q^2 \gg 4m_\mu^2$



8 independent angular parameters

Decay rate

Decay rate parameterisation

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For example $\mathbf{P}_5' = \frac{S_5}{\sqrt{F_L(1 - F_L)}}$

$$\begin{aligned} \frac{d^4\Gamma}{dq^2 d\cos\theta_K d\cos\theta_l d\phi} = & \frac{9}{32\pi} \left[\frac{3}{4} \mathbf{F}_L \sin^2\theta_K + \mathbf{F}_L \cos^2\theta_K \right. \\ & + \left(\frac{1}{4} \mathbf{F}_L \sin^2\theta_K - \mathbf{F}_L \cos^2\theta_K \right) \cos 2\theta_l + \frac{1}{2} \mathbf{P}_1 \mathbf{F}_L \sin^2\theta_K \sin^2\theta_l \cos 2\phi \\ & + \sqrt{\mathbf{F}_L \mathbf{F}_L} \left(\frac{1}{2} \mathbf{P}_4' \sin 2\theta_K \sin 2\theta_l \cos \phi + \mathbf{P}_5' \sin 2\theta_K \sin \theta_l \cos \phi \right) \\ & - \sqrt{\mathbf{F}_L \mathbf{F}_L} \left(\mathbf{P}_6' \sin 2\theta_K \sin \theta_l \sin \phi - \frac{1}{2} \mathbf{P}_8' \sin 2\theta_K \sin 2\theta_l \sin \phi \right) \\ & \left. + 2\mathbf{P}_2 \mathbf{F}_L \sin^2\theta_K \cos \theta_l - \mathbf{P}_3 \mathbf{F}_L \sin^2\theta_K \sin^2\theta_l \sin 2\phi \right] = \frac{d\Gamma^4_{\text{P-wave}}}{dq^2 d\Omega} \end{aligned}$$

Two channels can contribute to the final state $K^+ \pi^- \mu^+ \mu^-$:

- **P-wave** channel, $K^+ \pi^-$ from the meson vector resonance K^{*0} decay
- **S-wave** channel, $K^+ \pi^-$ not coming from any resonance

We have to parametrise both decay rates !

$$\frac{d\Gamma^4_{\text{Total}}}{dq^2 d\Omega} = (1 - F_s) \frac{d\Gamma^4_{\text{P-wave}}}{dq^2 d\Omega} + \frac{d\Gamma^4_{\text{S/SP-wave}}}{dq^2 d\Omega}$$

Both S-wave and S&P wave interference



6 independent parameters

$$\begin{aligned} \frac{d\Gamma^4_{\text{S/SP-wave}}}{dq^2 d\Omega} = & \frac{3}{16\pi} \left[F_S \sin^2\theta_\ell + A_S \sin^2\theta_\ell \cos\theta_K + A_S^4 \sin\theta_K \sin 2\theta_\ell \cos\phi \right. \\ & \left. + A_S^5 \sin\theta_K \sin\theta_\ell \cos\phi + A_S^7 \sin\theta_K \sin\theta_\ell \sin\phi + A_S^8 \sin\theta_K \sin 2\theta_\ell \sin\phi \right] \end{aligned}$$