

# News on CPV in mixing using P.R. $D^*lv$ and K-tag

•Alessandro Gaz PHD thesis results:

Martino, 4/22/2008

$$|q/p|-1 = xxx \pm 0.0025(\text{stat}) \pm 0.0018(\text{syst}) \pm 0.0023(\text{bias})$$

(2<sup>nd</sup> best meas. @ B factories)

A good result but:

- $|q/p|$  bias  $\sim 0.004$  from MC, bigger than statistical error;
- Bias reflects in the largest systematic error...

Large bias on  $\tau_{B_0}$ ,  $\Delta m_d$ :

PDG:

$$\bullet \tau_{B_0} = 1.490 \pm 0.004 \text{ ps}$$

$$1.530 \pm 0.009 \text{ ps}$$

$$\bullet \Delta m_d = 0.5699 \pm 0.0022 \text{ ps}^{-1}$$

$$0.507 \pm 0.005 \text{ ps}^{-1}$$



**Bias to be understood before publication!**

# Problems of the Unbinned Fit

## A) Slowness:

- Fit of the full Run1-Run5 data statistics too long (~100 free parameters);
- Split of data set (takes ~ 24 h to fit 5% of the real data statistics);
- Result from the average of the different subsample;

## B) Convergence difficulty:

- log(Likelihood) shows a structure with secondary minima;
- Measured Bias is actually a true effect or is it a feature of the fit instability?
- Same question about the evaluation of systematic uncertainties;



A) and B) effects interfere:

Slowness precludes studies on convergence & stability of the fit.

# Solution: Binned Fit

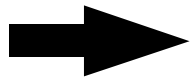
- Binning extended to all the relevant variables:

$\Delta t, \sigma(\Delta t), P_K, m^2\nu, \theta(1-K) = 50K$  bins

8 event categories:  $(e/\mu) \times (\text{Mixed/Unmixed}) \times (K^+/K^-)$

→ Convergence takes  $\sim 8$  h on the full R1-R5 data statistics!

→ Result on data compatible with the “Old-Unbinned” fit!



- Go back to the MC in order to:
  - Define a strategy to reach the fit convergence;
  - Understand at which level of fit complexity the bias does appear (perfect/measured resolution and tagging; only signal/full sample composition);
- Re-blind the fit on real data;

# Study of Fit Convergence

- Study the  $\Delta\log(L)$  profile around the minimum by performing a set of several fits with a fixed value of a relevant variable  $x$  (i.e.  $|q/p|-1$ ,  $\Delta m_d$ , ...) and floating all the other parameters;

- Determination of the parameter & statistical error directly from the plot by means of a parabolic fit:

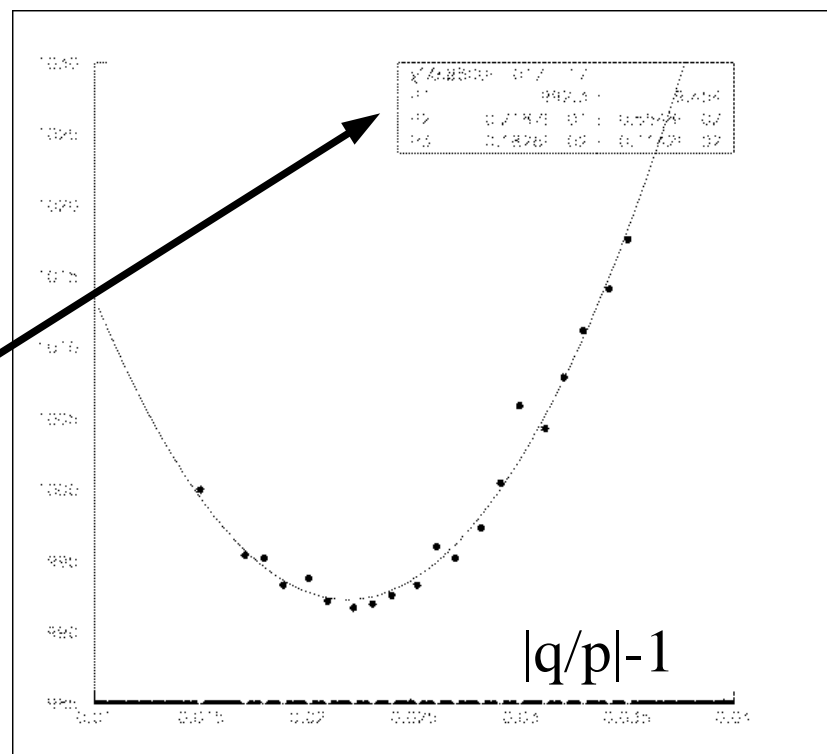
$$\log(L) =$$

$$\log(L_{\min}) + \frac{1}{2} \left( \frac{x - x_{\min}}{\sigma} \right)^2$$

$x_{\min}$  = Best Value

$\sigma$  = Statistical Error

To be compared with the nominal fit results



Blind fit on data:

$$|q/p|-1 = 0.022 \pm 0.002$$

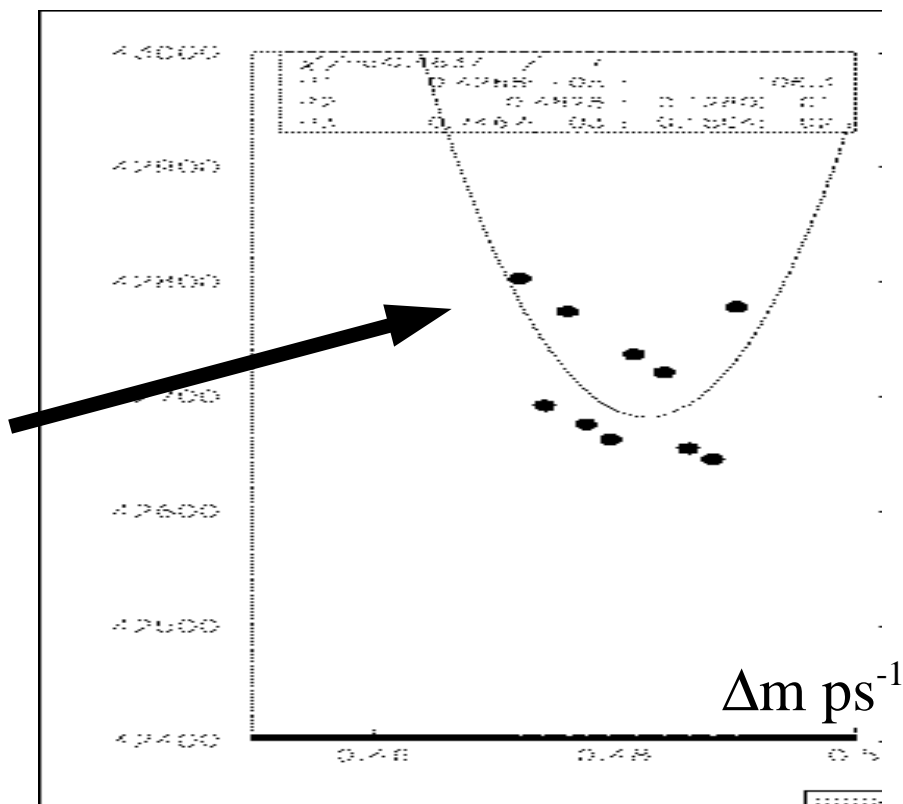
in agreement with Alessandro thesis result

# Study of Fit Convergence

- $\log(L)$  shows multiple minima: often the fit does not converge to the absolute minimum (minuit status= FAILED, usually Covariance Matrix not positive defined);
- $\log(L)$  scan is the solution!

In case of problem in the fit convergence, the parabolic fit to the  $\log(L)$  profile is BAD.

Scan vs  $\Delta m$  of  $B^0$  MC Signal with measured  $\Delta t$  & tag



# Definition of Fit Strategy

Recipe to reach the convergence:

1) Perform the nominal fit;

in case of convergence problems:

2) Launch a scan on Gridka (~10 fits need a few hours);

3) Check if the parabolic fit is good & it gives  $x_{\min}$  and  $\sigma$  in good agreement with the nominal fit;

4) Otherwise: Launch another fit starting from the parameters corresponding to the lowest minimum of the  $\log(L)$  in the previous set of fits;

5) Iteratively reach a good  $\log(L)$  profile;

6) Perform the nominal fit starting from the parameters of the best fit of the set;

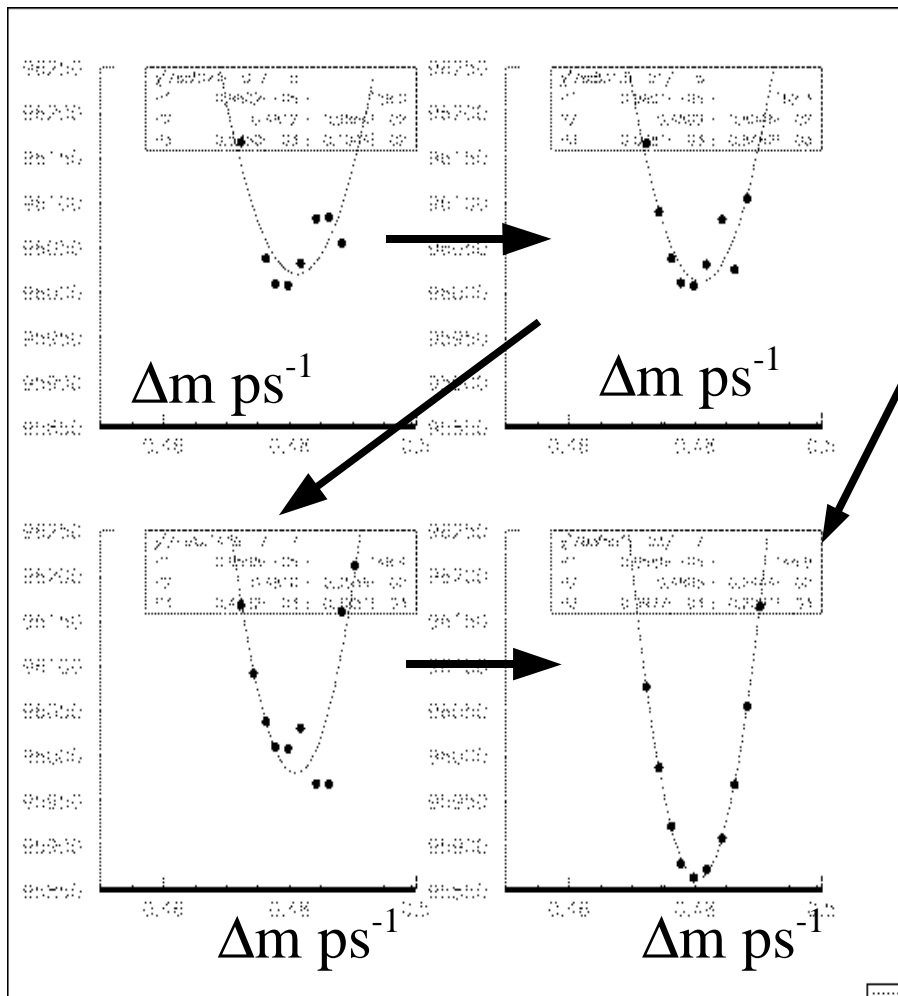


The nominal fit converges!

# Fit Strategy

- Example on MC:  $\Delta\log(L)$  vs  $\Delta m_d$ :

Signal  $B^0$  B-tag, Exper.  $\Delta t$  + perfect tag:



$$\Delta m = 0.4805 \pm 0.0004 \text{ ps}^{-1}$$

To be compared with the nominal fit result, obtained according to the recipe:

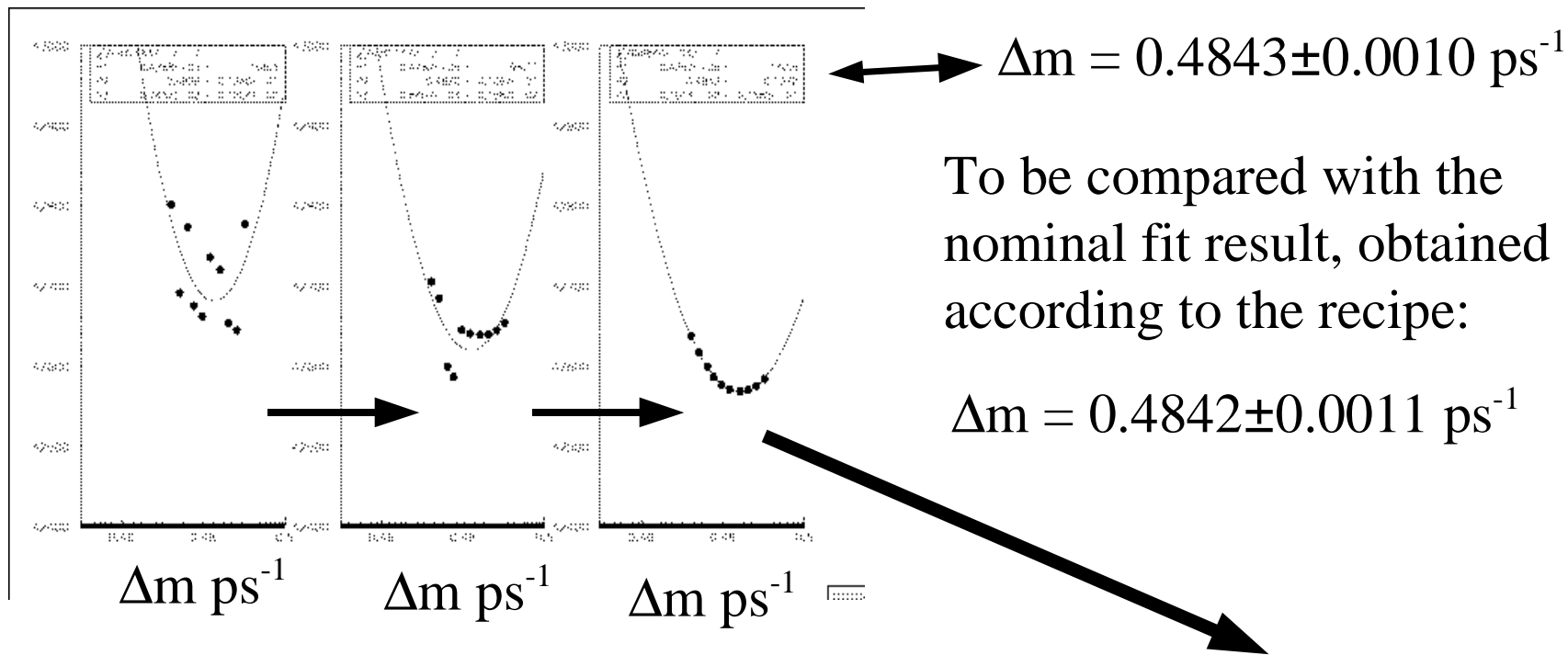
$$\Delta m = 0.4803 \pm 0.0003 \text{ ps}^{-1}$$

**Very Good agreement found!**

# Fit Strategy

- Example on MC:  $\Delta\log(L)$  vs  $\Delta m_d$

Signal  $B^0$  B-tag+D-tag, Exper.  $\Delta t$  and tag:



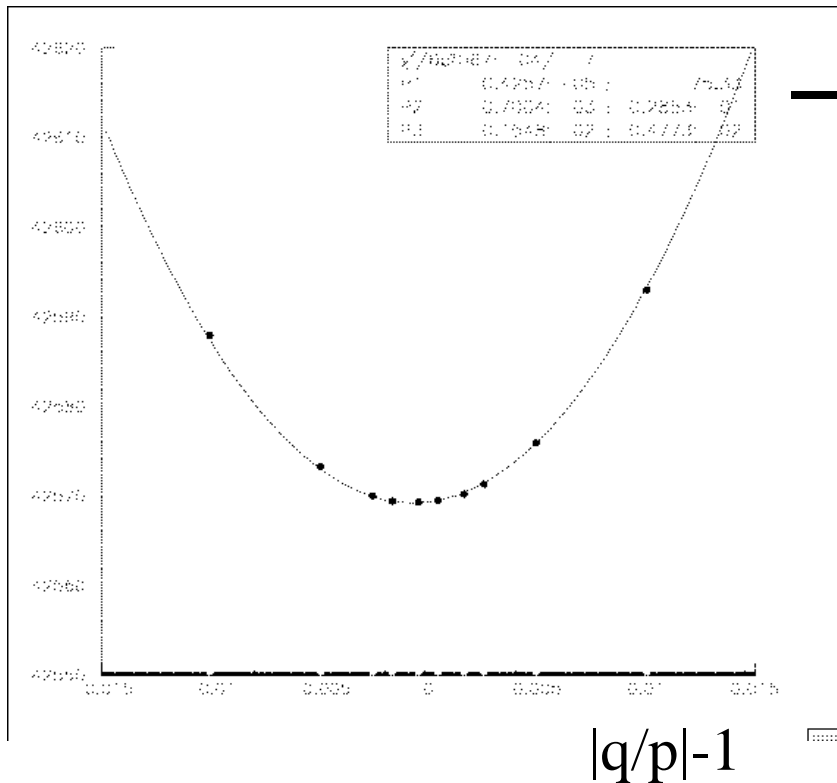
Starting from the minimum of this last scan vs  $\Delta m$ .....



# Fit Strategy

.... We got this very good profile vs  $|q/p|-1$ :

(Signal  $B^0$  B-tag+D-tag,  
meas.  $\Delta t$  and tag)



→  $|q/p|-1 = -0.0007 \pm 0.0015$

To be compared with the nominal fit result, obtained according to the recipe:

$$|q/p|-1 = -0.0006 \pm 0.0015$$

→ The Log(L) scan strategy allow us to:

- 1) Reach the convergence at the “true” Log(L) minimum;
- 2) Check the statistical error of the nominal fit.

# MC Validation: Fit Bias

- Study the bias on  $\tau$ ,  $\Delta m$ ,  $|q/p|$  step by step, from MC truth to experimental  $\Delta t$  and tagging. Add one component at a time from pure  $B^0$  signal to full sample composition to see at which level of fit complexity the bias becomes dangerous (if it is the case...).
- Use only CONVERGED fits, obtained by means of the “log(L) Scan” recipe to avoid fit instability effects;

MC-Reference parameters:

$$\tau_{B^0} = 1.540 \text{ ps}$$

$$\Delta m = 0.489 \text{ ps}^{-1}$$

$$|q/p| - 1 = 0$$

b=0    Doubly Cabibbo Suppressed

$$c=0$$

$$\chi_d = 0.1809$$

# Bias w.r.t. MC truth

$B^0$  Btag Signal Fit with Perfect Resolution & tagging:

$\Delta t$ Bins:	20	50	100
$\tau_{B^0}$	$0.0183 \pm 0.0007$	$-0.0062 \pm 0.0006$	$-0.0095 \pm 0.0006$
$\Delta m$	$-0.0159 \pm 0.0002$	$-0.0049 \pm 0.0002$	$-0.0033 \pm 0.0002$
b	$0.0019 \pm 0.0004$	$0.0021 \pm 0.0005$	$0.0021 \pm 0.0005$
c	$0.0000 \pm 0.0005$	$-0.0003 \pm 0.0004$	$-0.0002 \pm 0.0004$

➡ Use at least 50  $\Delta t$  bins; 100  $\Delta t$  bins in the following

$$\text{Fitted } \chi_d = 0.1761 \pm 0.0001 \quad 0.1778 \pm 0.0001 \quad 0.1780 \pm 0.0001$$

(in good agreement with  $F(\text{mixed}) = 0.1786 \pm 0.0002$ )

➡ -0.2% selection bias on  $F(\text{mixed})$  (MC truth:  $\chi_d = 0.1809$ )  
Bias of several Statistical Sigmas on  $\tau$  &  $\Delta m$ , but  $< 1\%$ .

# Bias w.r.t. MC truth

$B^0$  Btag Signal Fit with Perfect Resolution & exp. tagging:

$\tau_{B^0}$	$-0.0099 \pm 0.0006$	
$\Delta m$	$-0.0065 \pm 0.0005$	$\longrightarrow$ Bias $\sim 1.3\%$
$b$	$0.0033 \pm 0.0007$	
$c$	$0.0007 \pm 0.0013$	
$\chi d$	$-0.0045 \pm 0.0002$	

Mistag effect (comparison with previous page result):

$\tau_{B^0}$	$-0.0004$	
$\Delta m$	$-0.0032$	
$b$	$0.0012$	$\longrightarrow$ Experimental (mis)tag is not a problem, biggest effect on $\Delta m$
$c$	$0.0009$	
$\chi d$	$-0.0016$	

# Bias w.r.t. MC truth

$B^0$  Btag Signal Fit with Measured  $\Delta t$  & perfect tagging:

$\tau_{B^0}$	$-0.0019 \pm 0.0011$	
$\Delta m$	$-0.0087 \pm 0.0003$	$\longrightarrow$ Bias $\sim 1.8\%$
b	$-0.0002 \pm 0.0008$	
c	$0.0044 \pm 0.0009$	
$\chi d$	$-0.0044 \pm 0.0001$	

Resolution effect (comparison w.r.t. Perfect  $\Delta t$  & tagging fit):

$\tau_{B^0}$	0.0080	
$\Delta m$	-0.0022	
b	-0.0035	$\longrightarrow$ Experimental $\Delta t$ resolution is not a problem, biggest effect on $\tau$ .
c	0.0037	
$\chi d$	0.0001	

# Bias w.r.t. MC truth

$B^0$  Btag+Dtag Signal Fit with Measured  $\Delta t$  & tagging:

$\tau_{B^0}$      $-0.0169 \pm 0.0018$      $\longrightarrow$  Bias  $\sim 1.1\%$

$\Delta m$      $-0.0048 \pm 0.0011$

$b$      $-0.0004 \pm 0.0013$

$c$      $-0.0844 \pm 0.0019$

$\chi_d$      $-0.0049 \pm 0.0005$

$|q/p|-1$      $-0.0006 \pm 0.0015$

$\swarrow$  •As already known, due to the Dtag resolution model, we will not be able to measure DCS parameters  $b$ ,  $c$ .

• $\tau$ ,  $\Delta m$  show a 1% bias... (nice for just “effective” parameters)... however we have to go on by adding all the missing components to determine the global analysis bias and decide if measure also  $\tau$  &  $\Delta m$ ;

•Very good result on  $|q/p|$ .

# Next Steps

- Add all the backgrounds (combinatorial, charged B decays, continuum) to the fit and complete the MC validation;
- Finalize the procedure on a BLIND fit to the real data;
- Perform a Toy MC validation;
- Re-determine the Systematic Uncertainties;
- Summer Conference/Publication?
- Alessandro Gaz left the group after two years of fruitful work...
- ... but Enrico Feltresi from Dresda is ready to go on!