

# *$|q/p|$ Measurement with P.R. $B^0 \rightarrow D^* N$*

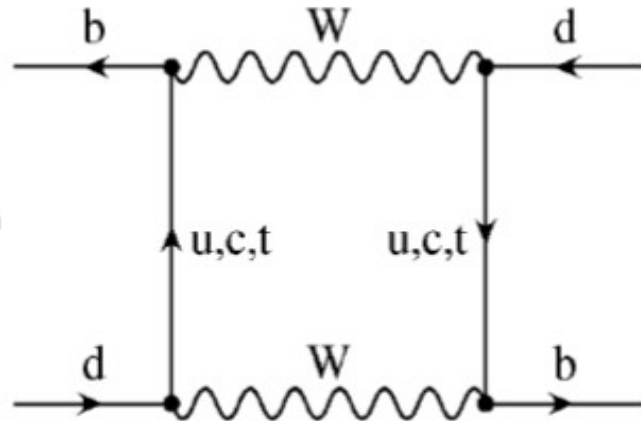
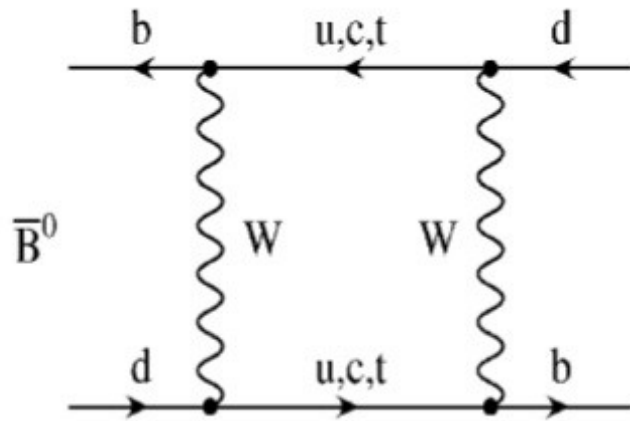
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5/15/2012

- Motivations
- Analysis Method
- Validation on MC Run1-Run6, Release 24-Analysis 5
- Very Preliminary Real Data BLIND Results
- Conclusion/Next Steps

# Motivations

# CPV in $B^0$ mixing



• New Particles in the boxes could modify SM expectations

•  $B_q^0 \sim \bar{B}_q^0$  oscillations & decay governed by an Effective Hamiltonian:

$$i \frac{d}{dt} \begin{pmatrix} B_q \\ \bar{B}_q \end{pmatrix} = \left[ \begin{pmatrix} M_{11}^q & M_{21}^{q*} \\ M_{21}^q & M_{11}^q \end{pmatrix} - \frac{i}{2} \begin{pmatrix} \Gamma_{11}^q & \Gamma_{21}^{q*} \\ \Gamma_{21}^q & \Gamma_{11}^q \end{pmatrix} \right] \begin{pmatrix} B_q \\ \bar{B}_q \end{pmatrix}$$

$[M_{ij}^q] =$  mass matrix  
 $[\Gamma_{ij}^q] =$  decay matrix

• Physical Eigenstates with defined masses and widths:

$$|B_q^{L,H}\rangle = \frac{1}{\sqrt{1 + |(q/p)_q|^2}} (|B_q\rangle \pm (q/p)_q |\bar{B}_q\rangle)$$

→ If  $|(q/p)_q| = 1$  they would be also CP Eigenstates

• Neglecting  $O(m_b^2/M_W^2)$ :

$$\Delta m_q = m_H - m_L = 2 |M_{12}^q|; \Delta \Gamma_q = \Gamma_L - \Gamma_H = 2 |\Gamma_{12}^q| \cos \phi$$

$$\phi = \arg(-M_{12}^q / \Gamma_{12}^q) \quad \text{CP violating phase}$$

# CPV in $B^0$ mixing

•  $\Upsilon(4S)$  machines & Hadron Colliders: b quarks produced mainly in  $b\bar{b}$  pairs

→ CP Asymmetry (time-independent):

$$A_{CP} = \frac{\text{Prob}(\bar{B}^0 \rightarrow B^0, t) - \text{Prob}(B^0 \rightarrow \bar{B}^0, t)}{\text{Prob}(\bar{B}^0 \rightarrow B^0, t) + \text{Prob}(B^0 \rightarrow \bar{B}^0, t)} = \frac{N(B^0 B^0) - N(\bar{B}^0 \bar{B}^0)}{N(B^0 B^0) + N(\bar{B}^0 \bar{B}^0)}$$

• Experimentally: measure charge asymmetry in mixed semileptonic  $B^0$  events:

$$A_{SL} = \frac{N(\ell^+ \ell^+) - N(\ell \ell)}{N(\ell^+ \ell^+) + N(\ell \ell)} = \frac{1 - |q/p|^4}{1 + |q/p|^4} = \frac{|\Gamma_{12}^q|}{|M_{12}^q|} \sin \phi$$

→ CPV in mixing if:

$$A_{SL} \neq 0 \leftrightarrow |q/p| \neq 1 \leftrightarrow \Phi \neq 0$$

## Standard Model predicts

(Lenz, Nierste, J. High Energy Phys. 0706, 072):

•  $B_d$ :  $A_{SL}^d = (-4.8^{+1.0}_{-1.2}) 10^{-4}$

$\Phi_d = -5.2^{+1.5}_{-2.1} \text{°}$

•  $B_s$ :  $A_{SL}^s = (2.06 \pm 0.57) 10^{-5}$

$\Phi_s = 0.24 \text{°} \pm 0.08 \text{°}$

## Beyond Standard Model

• New Physics could modify  $M_{12}^q$  and  $A_{SL}$  leaving  $\Gamma_{12}^q$  unchanged:

$$M_{12}^{NP, q} = M_{12}^{SM, q} \Delta_q; \Delta_q = |\Delta_q| e^{i\phi_q^\Delta}$$

$$A_{SL}^{NP} = \frac{|\Gamma_{12}^q|}{|M_{12}^{SM, q}|} \frac{\sin(\phi_q^{SM} + \phi_q^\Delta)}{|\Delta_q|}$$

# CPV in $B^0$ mixing

• HFAG average of  $\Upsilon(4S)$  measurements gives (arXiv:1010.1589v3):

$$|q/p|_d = 1.0024 \pm 0.0023$$

$$A_{SL}^d = -0.0047 \pm 0.0046$$

In agreement with SM

• Hadronic Colliders measure a combination of  $B_d^0$  &  $B_s^0$  CP parameters:

$$A_{SL}^b = C_d A_{SL}^d + C_s A_{SL}^s$$

→  $C_{d,s}$  depend on  $B_{d,s}^0$  production rates & mean mixing probability

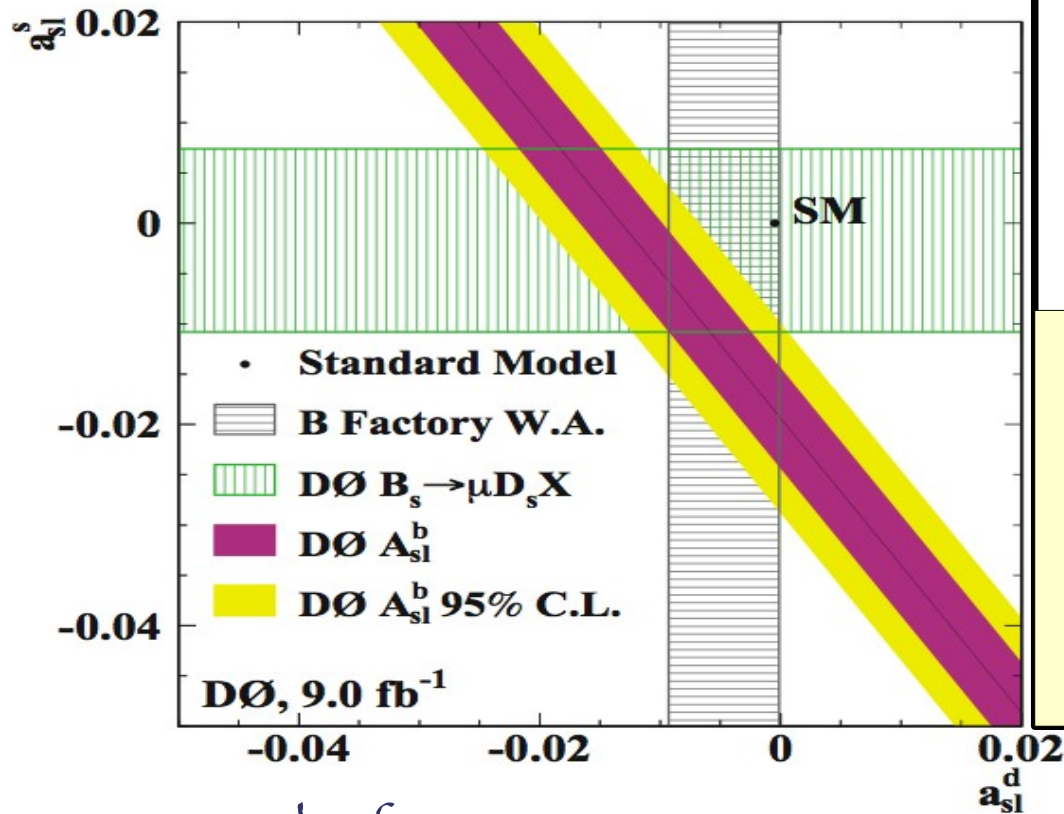
• SM predicts:

$$A_{SL}^b = (-0.028^{+0.005}_{-0.006})\%$$

• New DØ result on charge

Asymmetry of like-sign dimuons differs by  $3.9 \sigma$  from SM expectation (Phys. Rev. D 84, 052007):

$$A_{SL}^b = (-0.787 \pm 0.172 \pm 0.093)\%$$



• New results from Beauty-Factories & LHCb will help to understand the discrepancy

# Analysis Method

# Partial Reconstruction

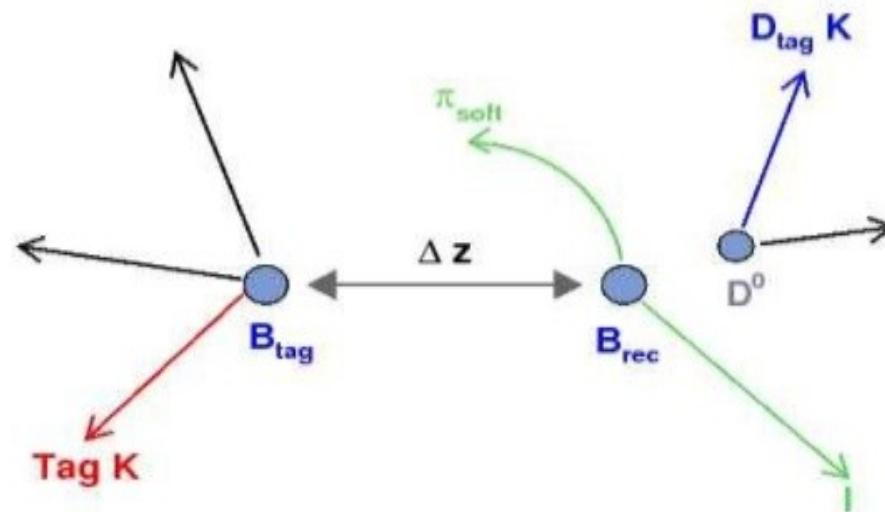
- Partial Reconstruction of  $B^0 \rightarrow D^* \ell \nu$  already exploited in several measurements (Lifetime,  $\Delta m$ ,  $|q/p|$  with Lepton Tag)

- **Reconstruct only Lepton &  $\pi_{\text{soft}}$**

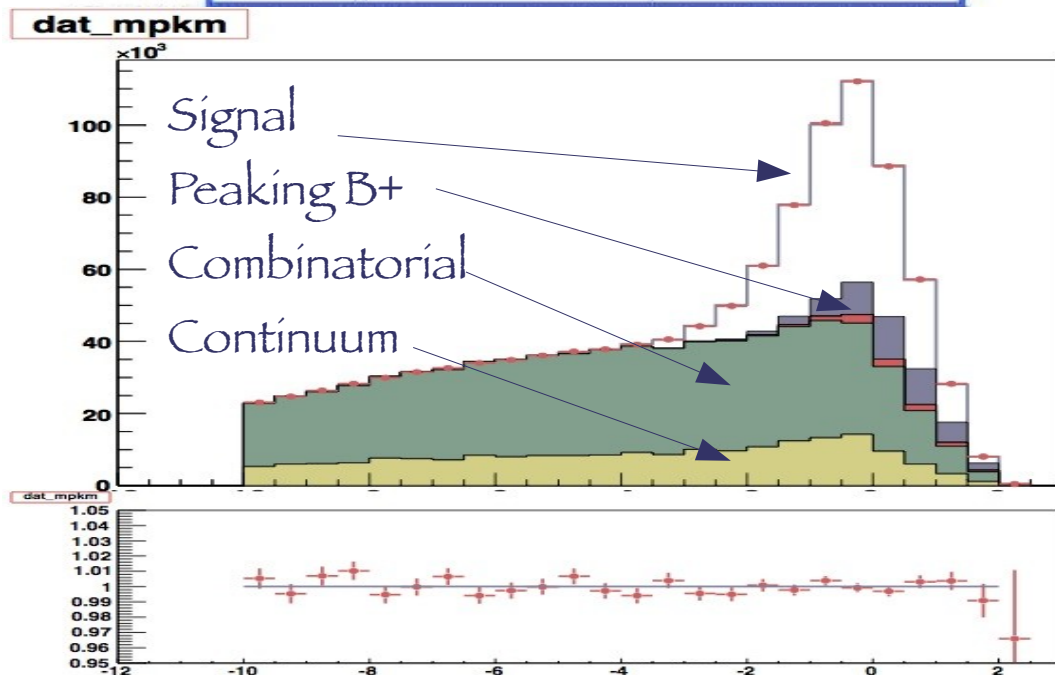
- Signal selection by means of missing neutrino mass with the approximation of B at rest

- $D^*$  energy from  $\pi_{\text{soft}}$  kinematics

- Fractions of the various subsamples  $F_i(M^2 \nu)$  from external fit

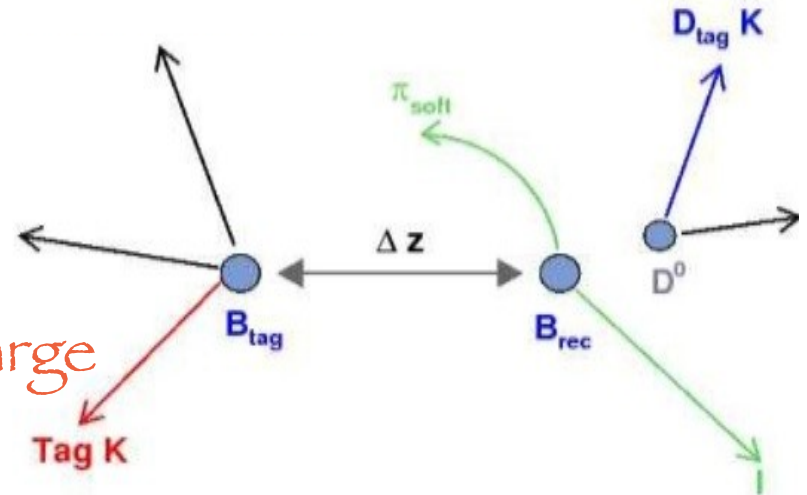
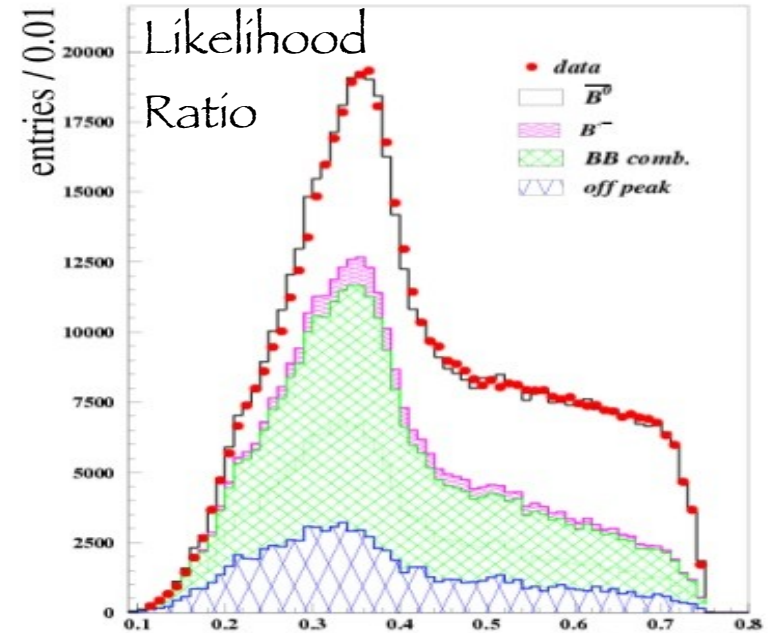


$$M_\nu^2 = \left( \frac{\sqrt{s}}{2} - \tilde{E}_{D^*} - E_\ell \right)^2 - (\vec{p}_{D^*} + \vec{p}_\ell)^2$$



# Selection and Tagging

- $0.06 < P_{\pi_{\text{soft}}} < 0.20$  GeV;  $1.40 < P_{e/\mu} < 2.30$  GeV
- Selectors: e: PIDLHElectrons,  $\mu$ : muNNLoose, K: LooseKaonMicro
- Best lepton  $\pi_{\text{soft}}$  pair per event choosen exploiting Likelihood Ratio ( $P_l / \pi_{\text{soft}}$ , vertex probability)
- Continuum and Combinatorial BKG suppressed by means of Event Shape variables & vertex probability
- Flavor of the “other B” from tagging K charge
- Tag Vertex from Tagging-K & Beam Spot





# K-Tagging Categories

Tagging Kaon Sample:

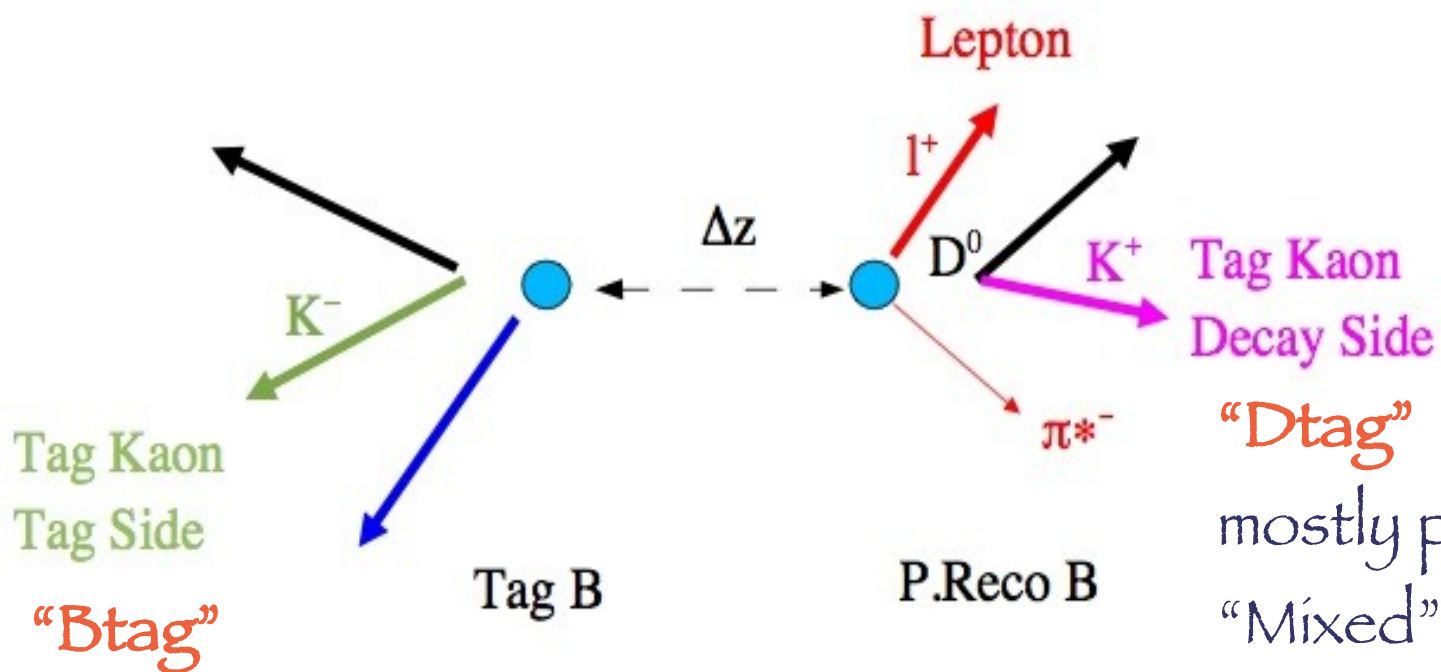
$$\left\{ \begin{array}{l} b \rightarrow K + b \rightarrow c \rightarrow K \\ D^0 \rightarrow K \end{array} \right.$$

From tag B

“Btag”

From decay B

“Dtag”



mostly populate the “Mixed” event sample (K-lepton charge correlation)

# PDF( $\Delta t$ ) Description

- $|q/p|$  obtained by a Binned Likelihood simultaneous  $\Delta t$  Fit to 4 subsamples: Unmixed ( $l^-K^+$ ,  $l^+K^-$ ); Mixed ( $l^+K^+$ ,  $l^-K^-$ )
- Signal  $B^0$  Btag PDF for Positive Mixed ( $l^+K^+$ ) sample, (similar expressions apply for the other ones):

$$\mathcal{F}_{signal}(\Delta t, s_t, s_m) = \frac{\Gamma}{2(1+r'^2)} e^{-\Gamma|\Delta t|} \left| \frac{p}{q} \right|^2 \left[ \left( 1 + \left| \frac{q}{p} \right|^2 r'^2 \right) \cosh(\Delta\Gamma\Delta t/2) - \left( 1 - \left| \frac{q}{p} \right|^2 r'^2 \right) \cos(\Delta m_d \Delta t) + \left| \frac{q}{p} \right| (b+c) \sin(\Delta m_d \Delta t) \right]$$

$$\begin{aligned} r' &= \left| \overline{\mathcal{A}}_{DCS} / \mathcal{A}_{CF} \right| \\ b &= 2r' \sin(2\beta + \gamma) \cos \delta' \\ c &= -2r' \cos(2\beta + \gamma) \sin \delta' \\ \delta' &= \delta_u - \delta_c \end{aligned}$$

Our analysis assumption:

- $\Delta\Gamma=0$
- Double Cabibbo Suppressed parameters  $b, c$  are treated as effective parameters due to strong correlation with resolution function
- Only  $|q/p|$  will be measured in this approach

# PDF( $\Delta t$ ) Description

• In Real Life some Physics & Detector effects have to be taken into account:

## • Physics

→ Mistag:

$$\omega^+ = \text{Prob}(B^0 \rightarrow K^-), \omega^- = \text{Prob}(\bar{B}^0 \rightarrow K^+), \Delta\omega = \omega^+ - \omega^-, \omega = (\omega^+ + \omega^-)/2$$

## • Detector

→ Reconstruction Asymmetry:

$$\rho = \varepsilon(l^+, \pi^-), \bar{\rho} = \varepsilon(l^-, \pi^+)$$

$$A_{rec} = (\rho - \bar{\rho}) / (\rho + \bar{\rho})$$

→ Tagging Asymmetry:

$$\tau = \varepsilon(K^+), \bar{\tau} = \varepsilon(K^-)$$

$$A_{tag} = (\tau - \bar{\tau}) / (\tau + \bar{\tau})$$

→  $\Delta t$  Resolution

# PDF( $\Delta t$ ) Description

- Modified PDF for Positive Mixed ( $I^+K^+$ ) sample, (similar expressions apply for the other ones):

$$\begin{aligned} \mathcal{F}_\chi^{meas}(\Delta t, s_t = 1, s_m = -1) &= \rho\tau \left[ (1 - \omega_\chi^+) \mathcal{F}_\chi(\Delta t, 1, -1) + \omega_\chi^- \mathcal{F}_\chi(\Delta t, -1, 1) \right] = \\ &= RT(1 + A_{rec})(1 + A_{tag}) \left[ (1 - \omega_\chi^+) \mathcal{F}_\chi(\Delta t, 1, -1) + \omega_\chi^- \mathcal{F}_\chi(\Delta t, -1, 1) \right] \end{aligned}$$

$$R = (\rho + \bar{\rho})/2$$

$$T = (\tau + \bar{\tau})/2$$

$B_{rec}$ is a	$B_{tag}$ is a	$s_t$	$s_m$
$B^0$	$B^0$	1	-1
$\bar{B}^0$	$B^0$	1	1
$B^0$	$\bar{B}^0$	-1	1
$\bar{B}^0$	$\bar{B}^0$	-1	-1

- Observed PDFs are obtained from the convolution of the modified PDFs with a resolution function

# Analysis Strategy

- Crucial Issue: discriminate between Physical & Detector charge asymmetry *without relying on control samples*
- Different sub-samples ( $B^0$ ,  $B^+$ )  $\times$  (Peaking, BKG)  $\times$  (Btag, Dtag) share Physical and/or the same Detector Asymmetries in different combinations.
- Strategy: disentangle the physical vs detector Asymmetries by exploiting all the available informations from different sub-samples.

# Analysis Strategy

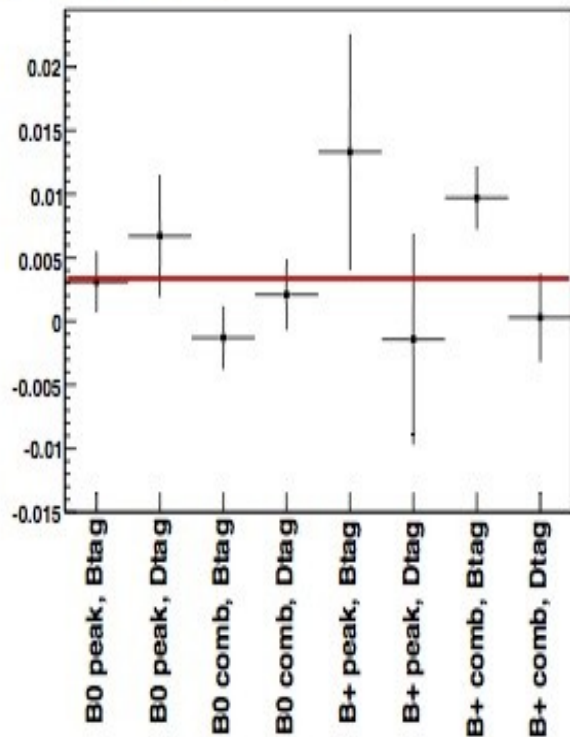
- Hypothesis: same Detector Asymmetries shared by different samples

- Verified on simulation:

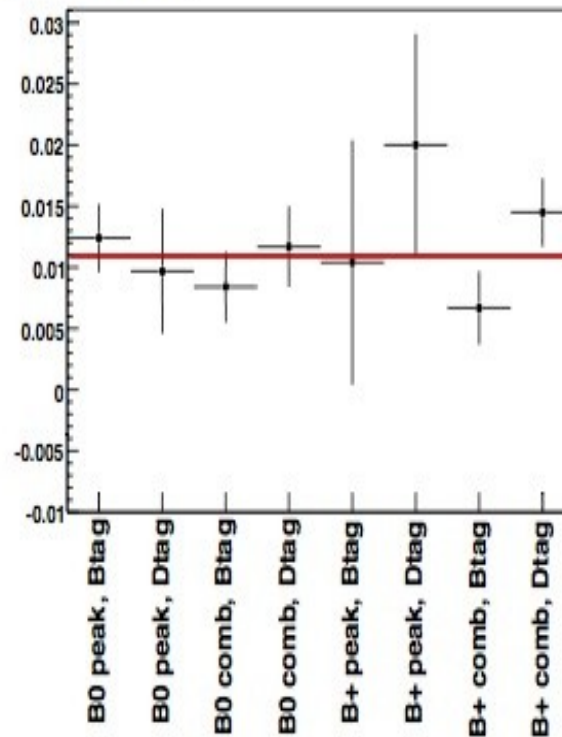
$$A_{\ell K} = \frac{N(\ell^+ K^+) - N(\ell^- K^-)}{N(\ell^+ K^+) + N(\ell^- K^-)}$$

	Electrons	Muons
$A_{\ell K}(B_{tag})$	$0.0149 \pm 0.0013$	$0.0196 \pm 0.0016$
$A_{\ell K}(D_{tag})$	$0.0152 \pm 0.0009$	$0.0205 \pm 0.0010$
$A_{\ell K}(B_{tag}) - A_{\ell K}(D_{tag})$	$-0.0003 \pm 0.0016$	$-0.0009 \pm 0.0019$

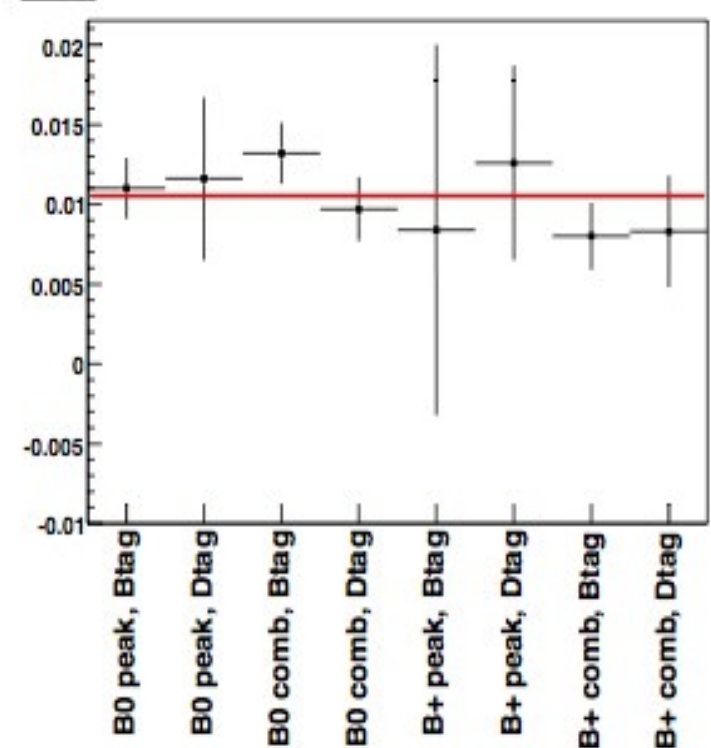
$A_{rec}$  - electrons



$A_{rec}$  - muons



$A_{tag}$



- Last version of the Fit uses different  $A_{rec}$  for Peaking / BKG

# Likelihood Constraints

- Best statistical accuracy on Physical/Detector Asymmetries and mistag obtained by applying to the Likelihood some multiplicative Binomial Constraints, defined in terms of the lepton and kaon charges
  - $A_{rec}$  &  $A_{sl}^* x_d$  constrained using the total sample of reconstructed (tagged + not tagged) events which show single tag  $A_{sl}$
  - $A_{rec}$  &  $A_{tag}(P_K)$  constrained using all the tagged  $B^+$  subsample (Peaking, BKG)  $\times$  (Btag, Dtag) in  $P_K$  bins
  - $A_{sl}$ ,  $A_{rec}$  &  $A_{tag}(P_K)$  constrained using all the tagged  $B^0$  subsample (Peaking, BKG)  $\times$  (Btag, Dtag) in  $P_K$  bins
  - $B^0$  Dtag samples show single tag  $A_{sl}$  therefore constrain  $A_{sl}^* x_d$
- Double counting problem due to the statistical correlation of the total reconstructed sample and the tagged subsamples to be managed (see later)

# Likelihood Constraints

- For every  $P_K$  bin of Signal  $B^0$  Btag events, (similar expressions apply for the other samples):

$$C(\omega, A_{rec}, A_{tag}, |q/p|) = \binom{N}{N_M} p_M^{N_M} (1 - p_M)^{N_U} \times \\ \binom{N_M}{N_{MK^+}} p_{MK^+, M}^{N_{MK^+}} (1 - p_{MK^+, M})^{N_{MK^-}} \binom{N_U}{N_{UK^+}} p_{UK^+, U}^{N_{UK^+}} (1 - p_{UK^+, U})^{N_{UK^-}}$$

- $N = N_{Mixed} + N_{Unmixed}$ ;  $N_{Mixed} = N_{Mixed K^+} + N_{Mixed K^-}$ ;  $N_{Unmixed} = N_{Unmixed K^+} + N_{Unmixed K^-}$

- Probabilities  $p_{xy}$  obtained from integrals of the relevant observed PDF( $\Delta t$ ) in terms of mistag, Physical and Detector Asymmetries

- 8 Detector-Asymmetry parameters floated in the fit



# MC Validation

# Mistag Determination

- Dilution  $D(P_K) = 1 - 2\omega$  floated
- $\omega$  lower at higher  $P_K$
- $\Delta\omega(P_K) = \omega(K^+) - \omega(K^-)$  floated

## $B^0$ PEAKING

$$\omega(\text{Mixed}) = \omega(\text{Unmixed})$$

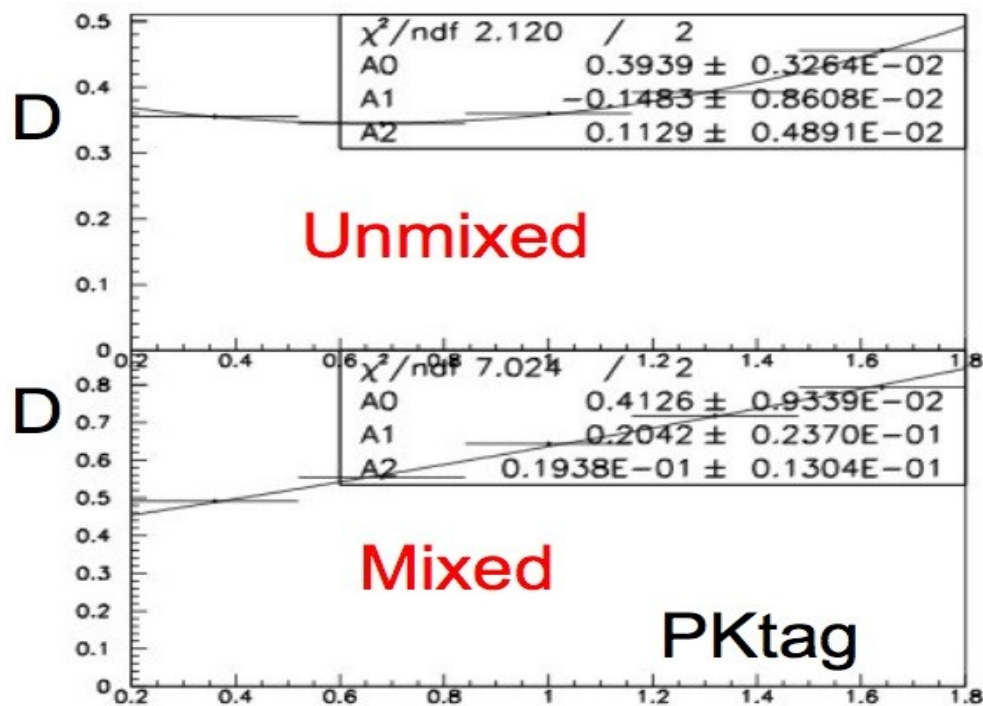
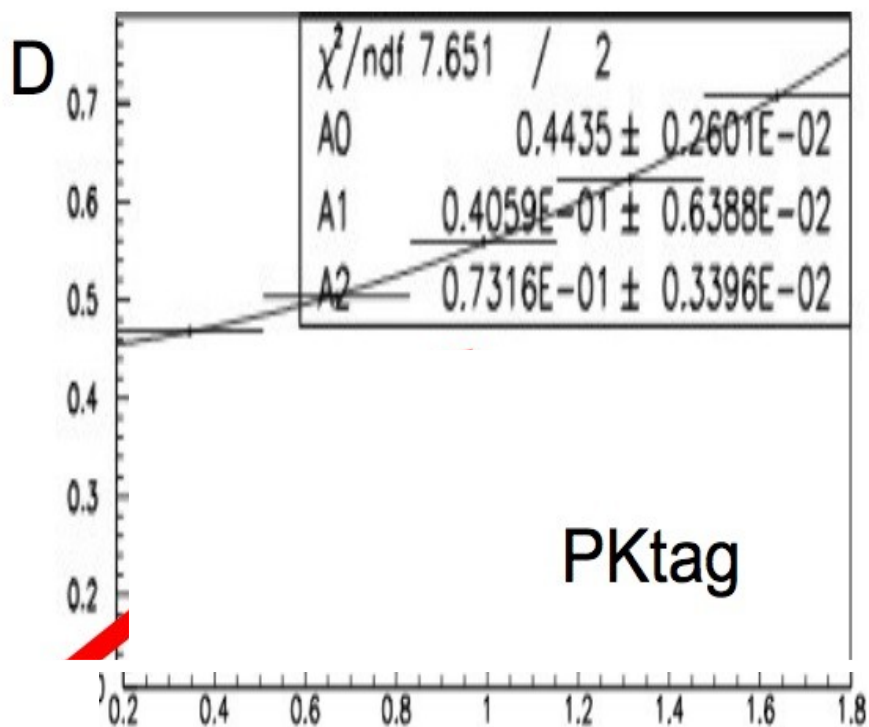
$$\begin{aligned} \text{Mixed} &= \text{True\_Mixed} \cdot (1 - \omega) + \text{True\_Unmixed} \cdot \omega \\ \text{Unmixed} &= \text{True\_Unmixed} \cdot (1 - \omega) + \text{True\_Mixed} \cdot \omega \end{aligned}$$

Fit results in agreement with counting

## $B^0$ Combinatorial BKG

$$\omega(\text{Mixed}) < \omega(\text{Unmixed}) !$$

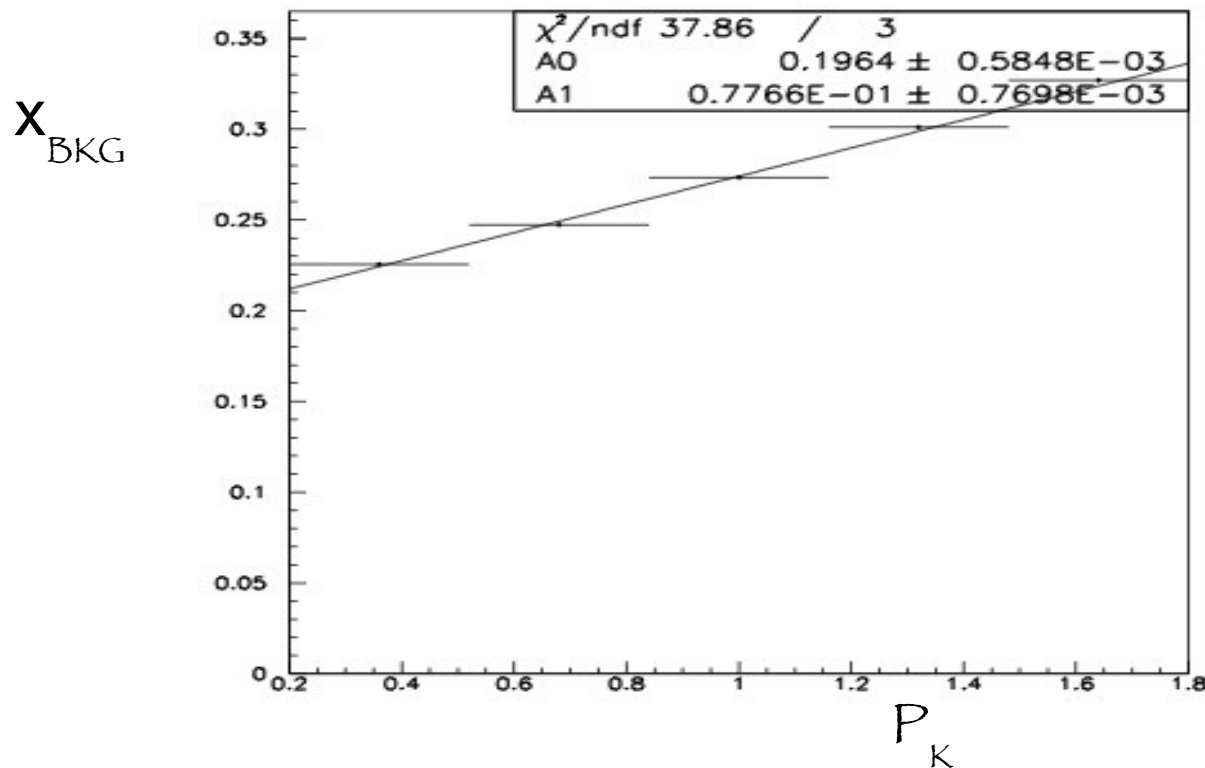
$$\begin{aligned} \text{Mixed} &= \text{True\_Mixed} \cdot (1 - \omega_M) + \text{True\_Unmixed} \cdot \omega_U \\ \text{Unmixed} &= \text{True\_Unmixed} \cdot (1 - \omega_U) + \text{True\_Mixed} \cdot \omega_M \end{aligned}$$



# $B^0$ Combinatorial: Effective $X_d$

- Due to charge correlation between Lepton &  $\pi_{\text{soft}}$ ,  $B^0$  Combinatorial Sample shows a higher fraction of mixed events wrt Signal
- In BKG events it's possible to pick up Lepton &  $\pi_{\text{soft}}$  from the two different  $B^0$  decays (more probable in "Mixed" events).

$\langle X_d(\text{BKG}) \rangle \sim 1.4 X_d(\text{SIG})$  depending on  $P_K$

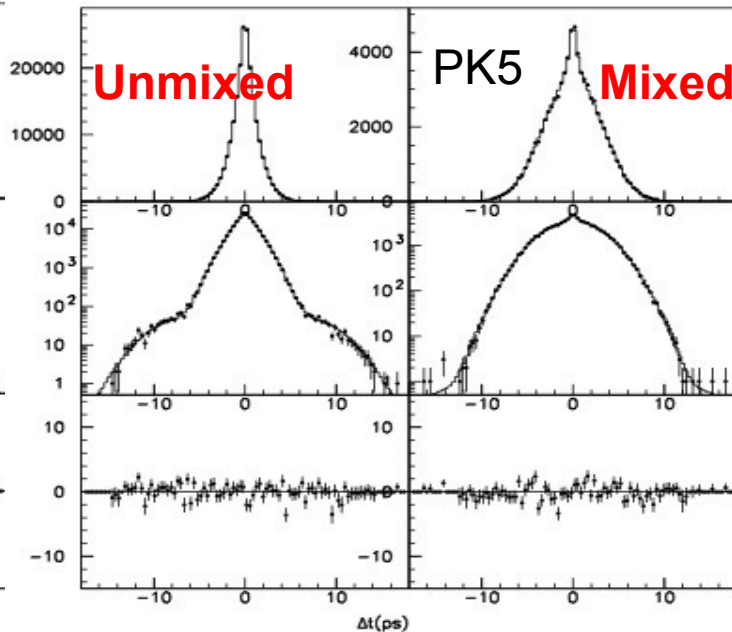
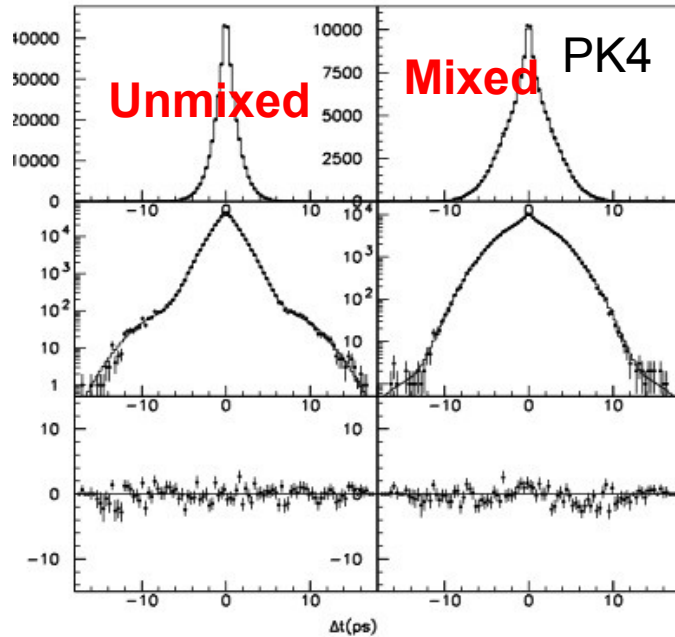
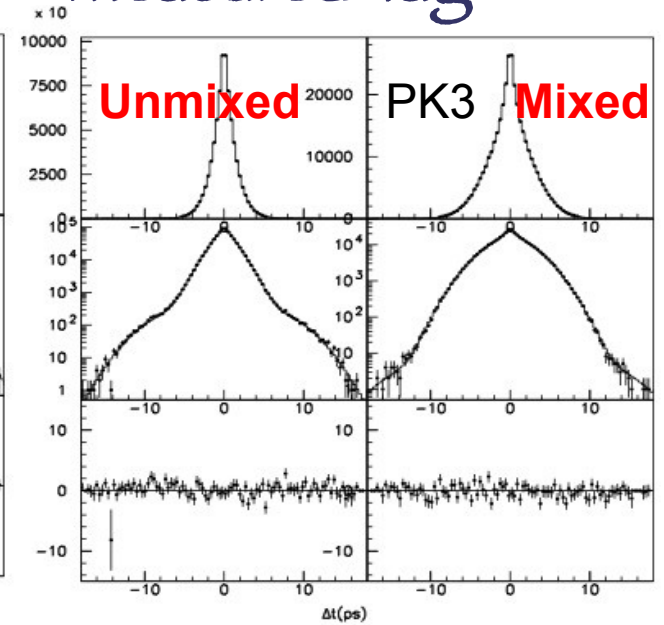
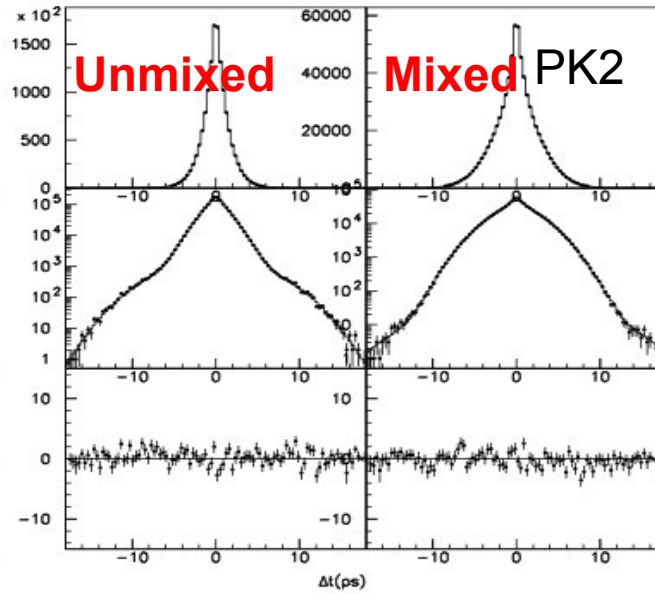
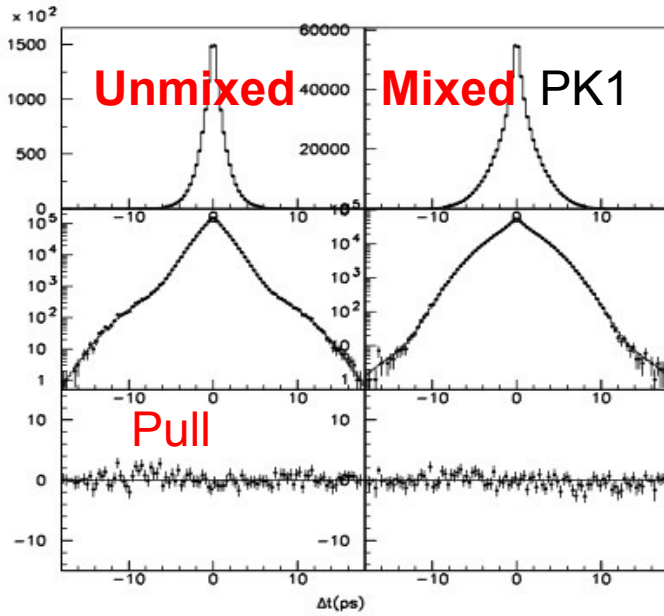


- $B^0$  BKG Observed PDF defined in order to disentangle this effect from the mistag

- 27 mistag parameters floated

# *B<sup>0</sup> Peaking with Experimental Mistag*

True  $\Delta t$   
Measured Tag



Fit of mistag in different  
PKtag Bins:

PK1=(0.2-0.52) GeV

PK2=(0.52-0.84) GeV

PK3=(0.84-1.16) GeV

PK4=(1.16-1.48) GeV

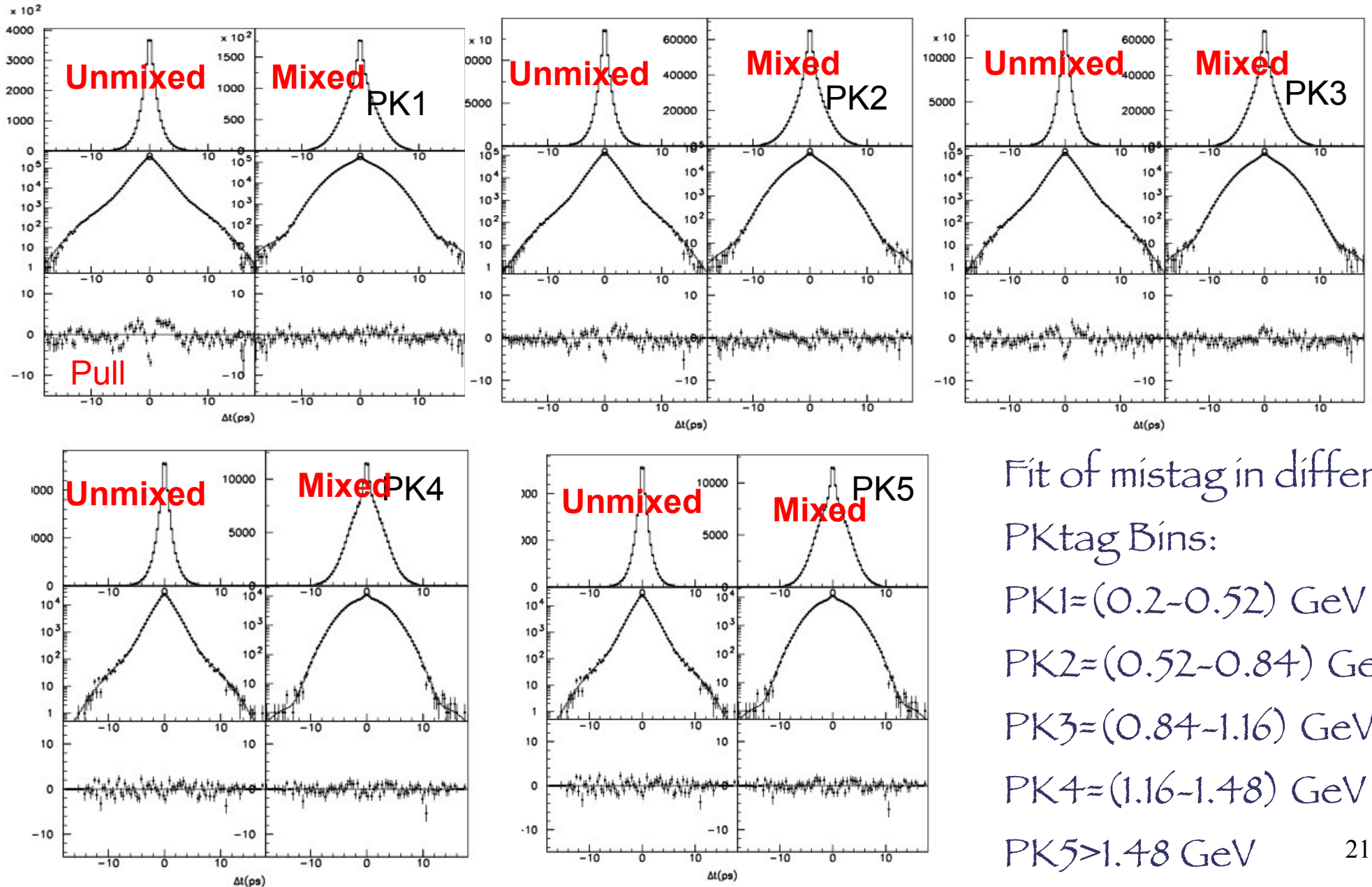
PK5>1.48 GeV

# *B<sup>0</sup> Comb. BKG with Experimental Mistag*

True  $\Delta t$

Effective  $x_{BKG} (P_K)$  taken into account in the PDF

Measured Tag



Fit of mistag in different PKtag Bins:

PK1=(0.2-0.52) GeV

PK2=(0.52-0.84) GeV

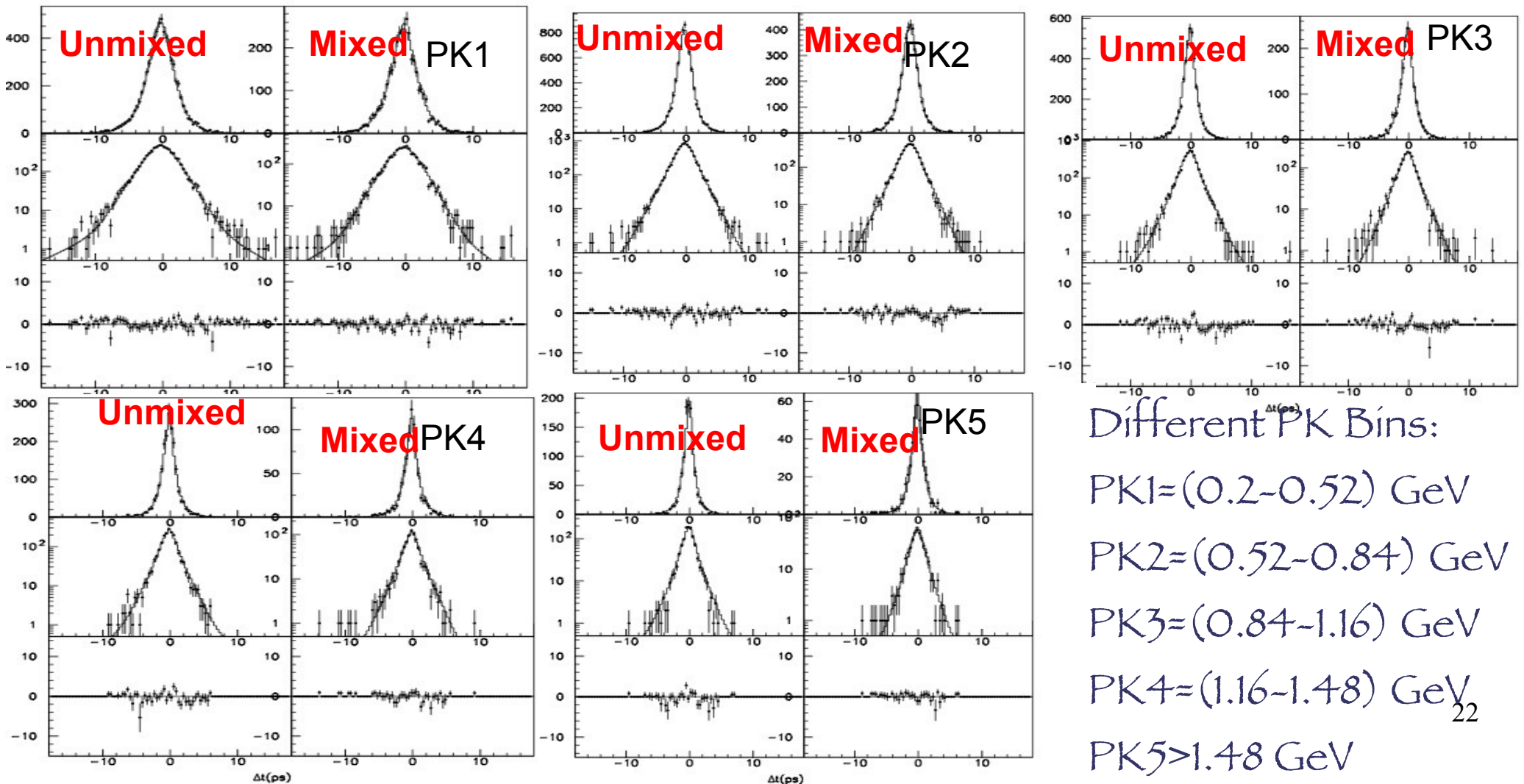
PK3=(0.84-1.16) GeV

PK4=(1.16-1.48) GeV

PK5>>1.48 GeV

# $\Delta t$ Resolution

- Resolution Model optimized by fitting  $\delta t = \Delta t_{\text{measured}} - \Delta t_{\text{true}}$  (Physics & mistag effects removed)
- Resolution parameters shared between  $B^0$  &  $B^+$  (different par. sets for Peaking & BKG): 51 Resolution Parameters floated



# Dtag Description

- Dominant “BKG” in Mixed events: **show single tag semileptonic asymmetry** therefore Dtag Fraction **depends on  $|q/p|$** :

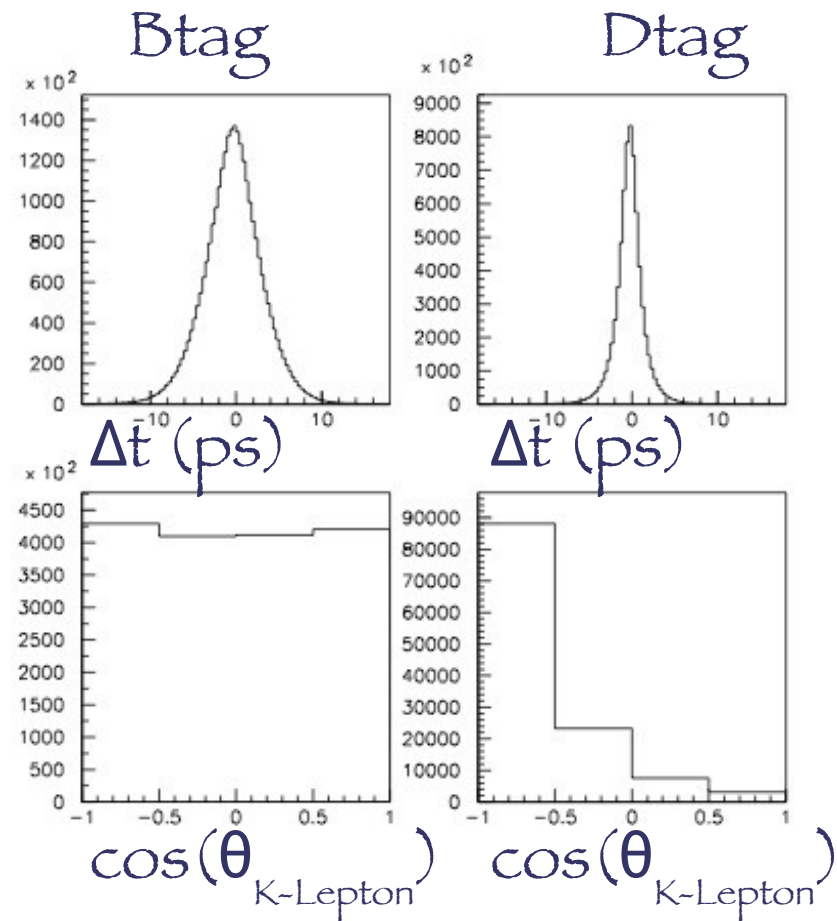
$$F_{Dtag}^{B^0}(|q/p|) = F_{Dtag}^{B^0}(|q/p|=1) * f(|q/p|)$$

- $f(|q/p|)$  from integrals of the relevant Observed PDF

- $F_{Dtag}$  floated by exploiting the different  $\Delta t$  &  $\theta(K\text{-Lepton})$  distributions wrt Btag events in every  $P_K$  bin of the subsamples ( $B^0/B^+$ ) X (Peak/BKG) X (Mixed/Unmixed) X ( $K^+/K^-$ )

- $F_{Dtag}^{B^+}$  constrained to  $F_{Dtag}^{B^0}(|q/p|=1)$  from MC in every sample and  $P_K$  bin

- **40 parameters floated**



- $\cos(\theta_{K\text{-Lepton}})$  PDF from MC
- **$\Delta t$  PDF from a High Purity selection on Real Data**

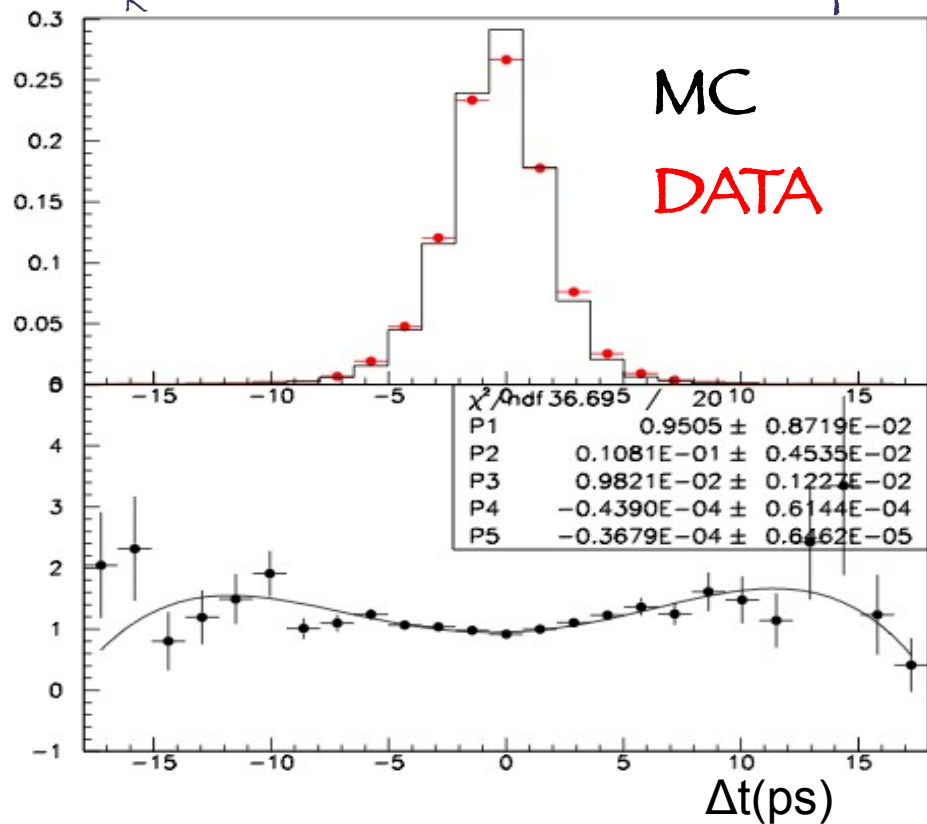
# Dtag Description

Dtag  $\Delta t$  shape from a High Purity selection:

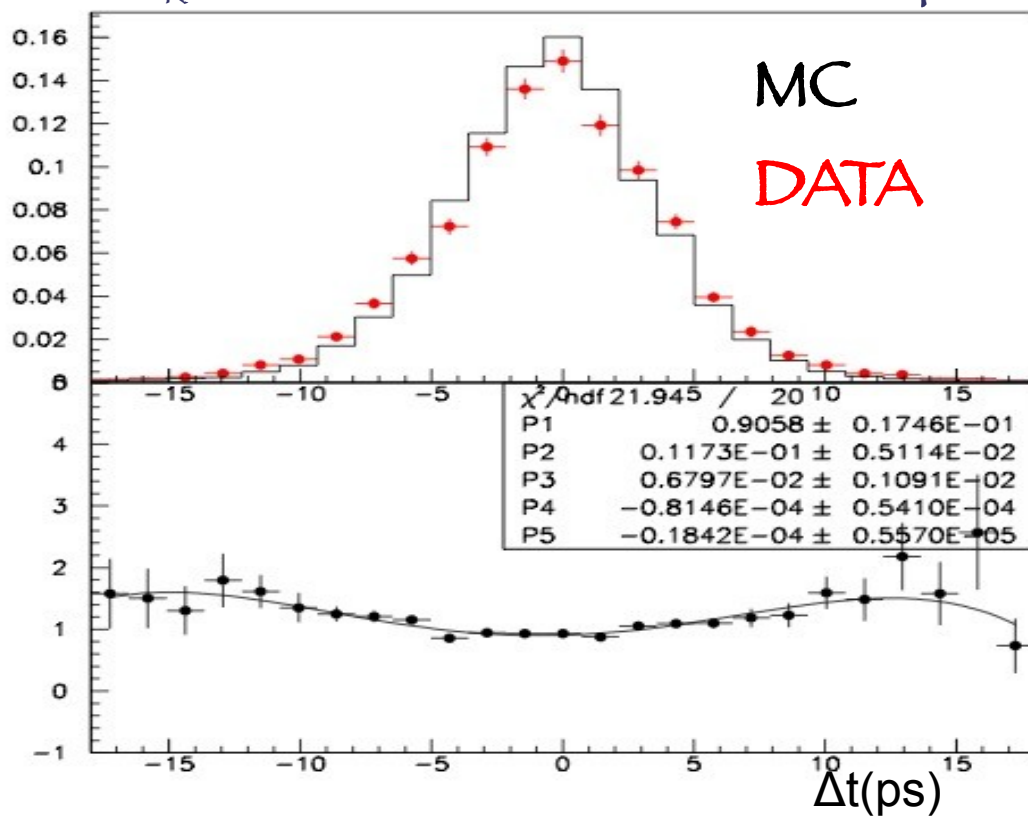
$$\text{PDF}_{\text{Class } i}^{\text{DATA}} = \text{PDF}_{\text{Class } i}^{\text{MC}} * (\text{PDF}_{\text{Class } i}^{\text{DATA}} / \text{PDF}_{\text{Class } i}^{\text{MC}})_{\text{High Purity Selection}}$$

- 4 Dtag Classes:  $(B^0/B^+) \times (\text{Peaking/BKG})$
- Data/MC Corrections computed in bin of  $(P_K, \sigma\Delta t)$

$P_K = 0.2/0.52 \text{ GeV}, \sigma\Delta t = 1.2/1.8 \text{ ps}$

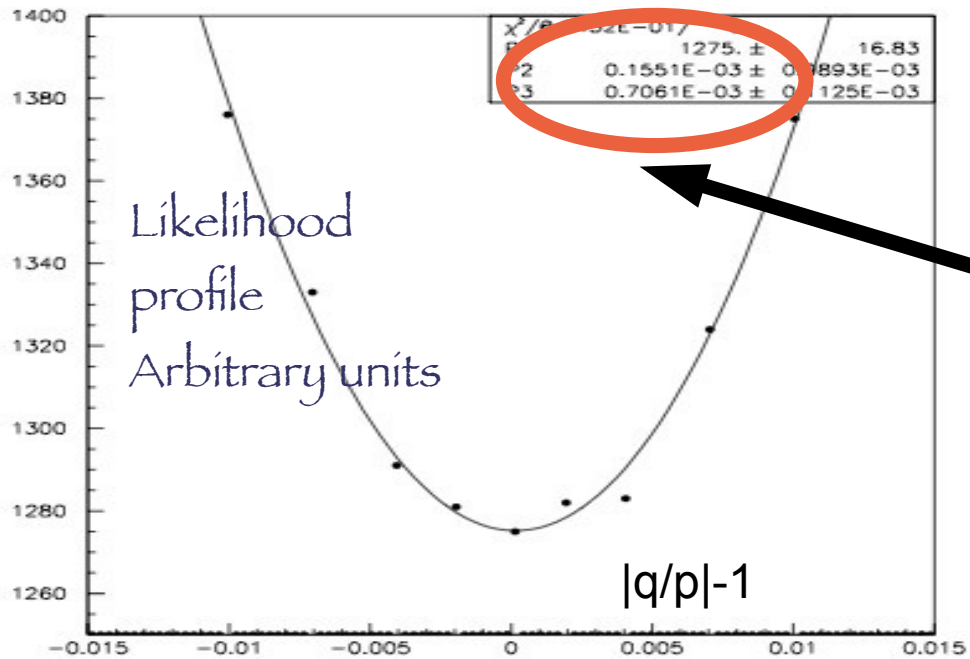
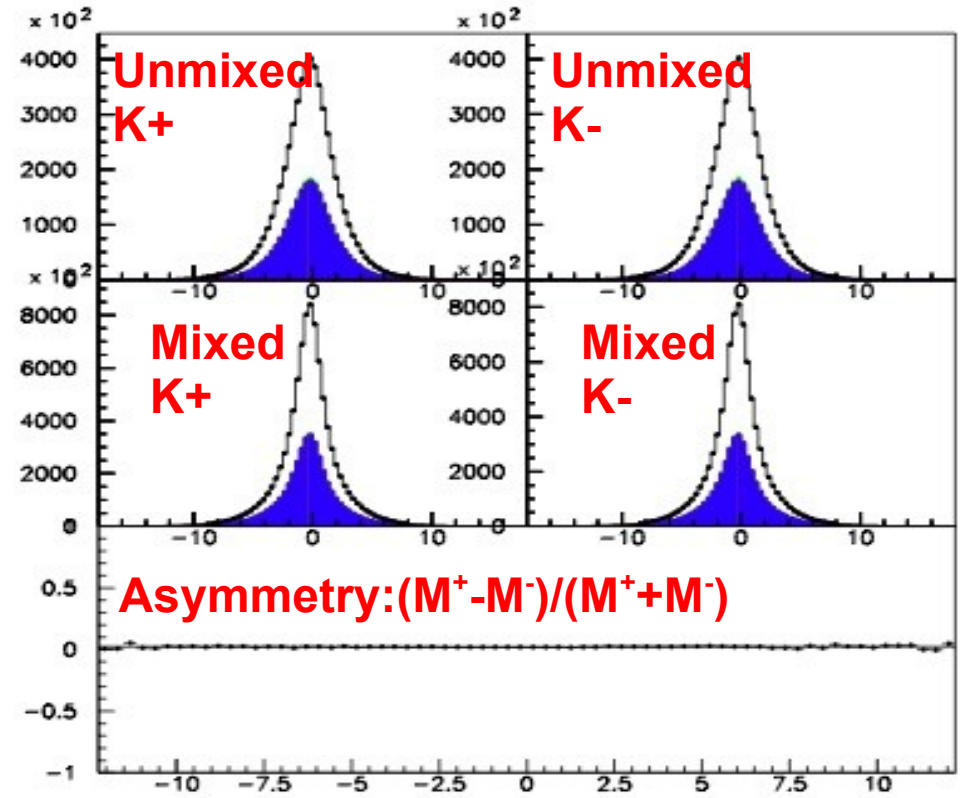
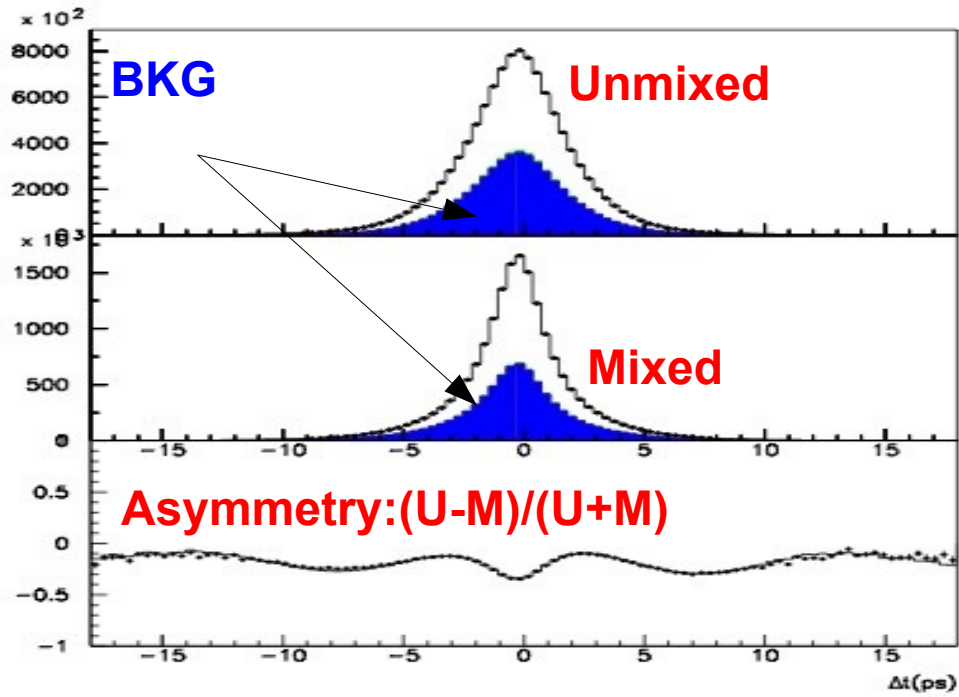


$P_K = 0.2/0.52 \text{ GeV}, \sigma\Delta t = 2.4/3.0 \text{ ps}$





# Results on $B^0$ Peaking+BKG

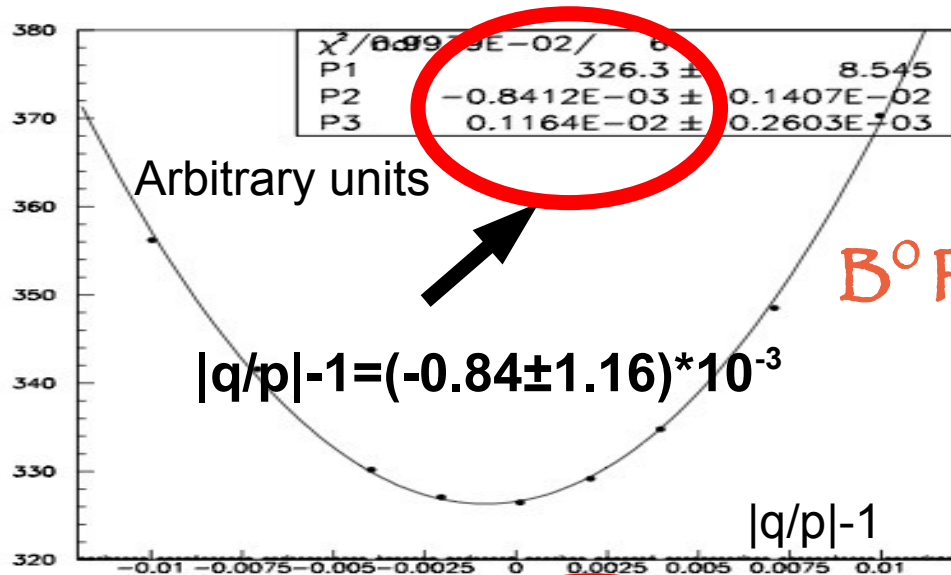


$$|q/p|-1 = (0.16 \pm 0.71) \cdot 10^{-3}$$

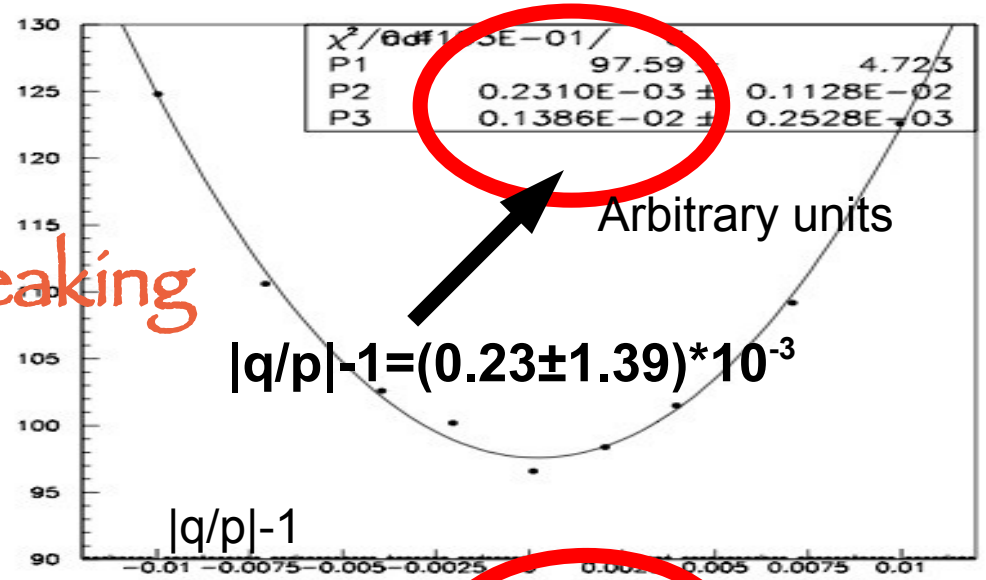
No Bias found on MC with  $|q/p|=1$

# Results on $B^0$ Peaking vs BKG

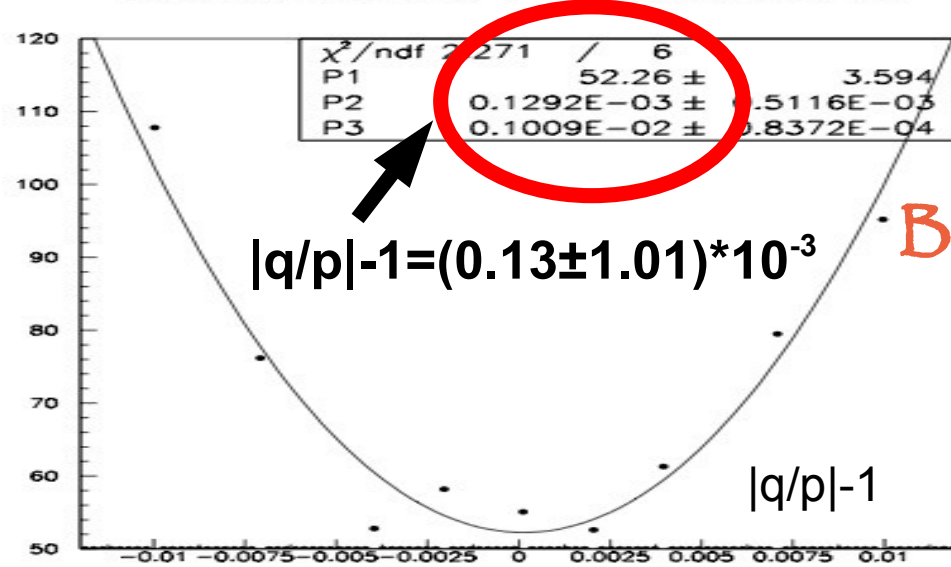
Only Btag



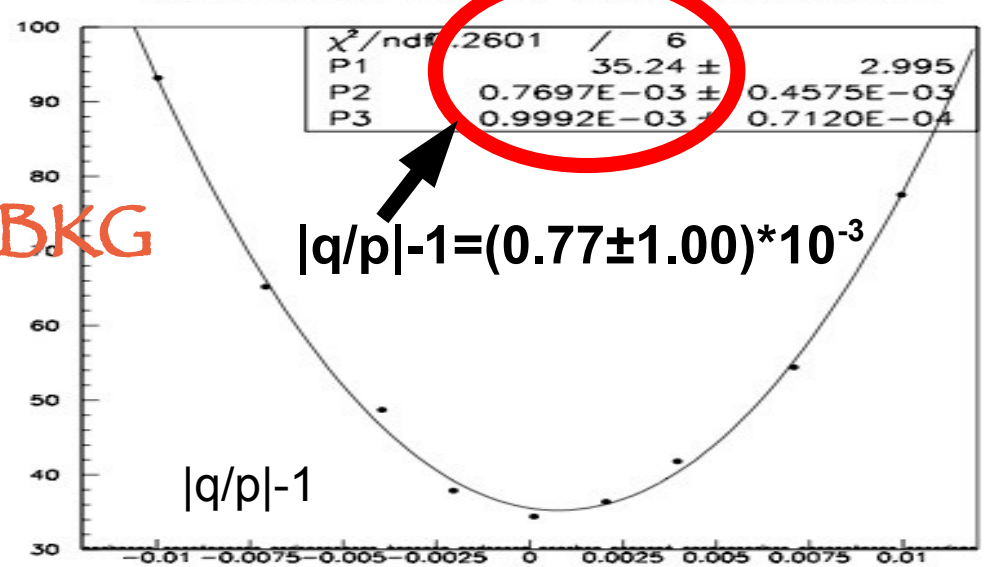
Btag + Dtag



$B^0$  Peaking

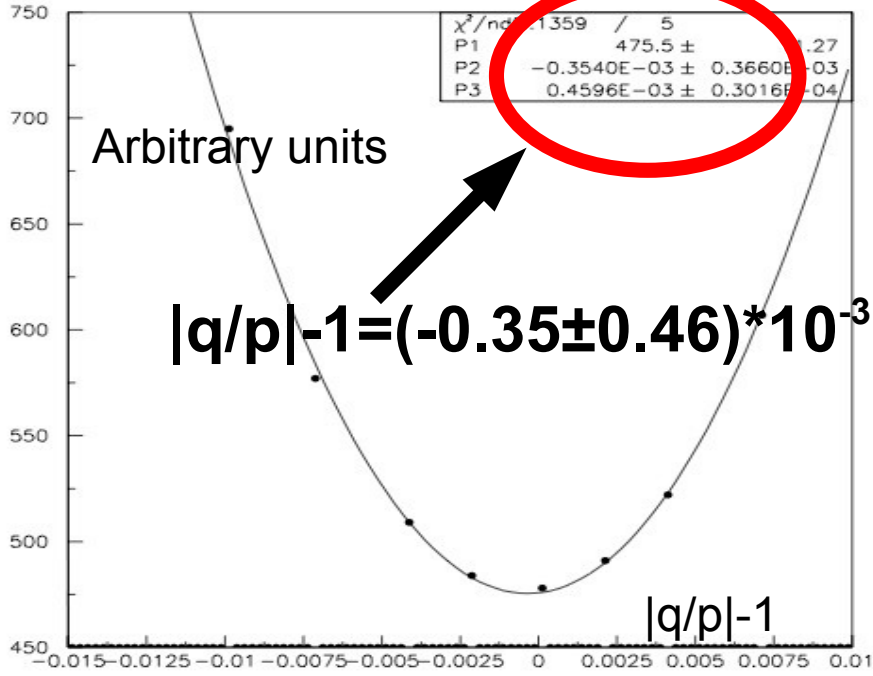
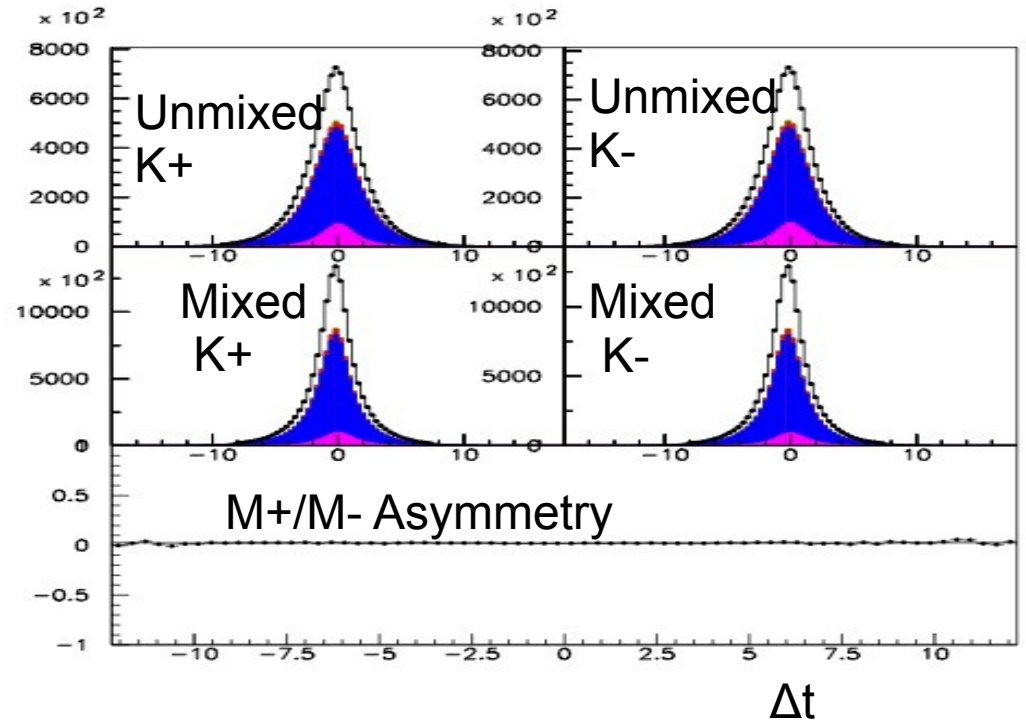
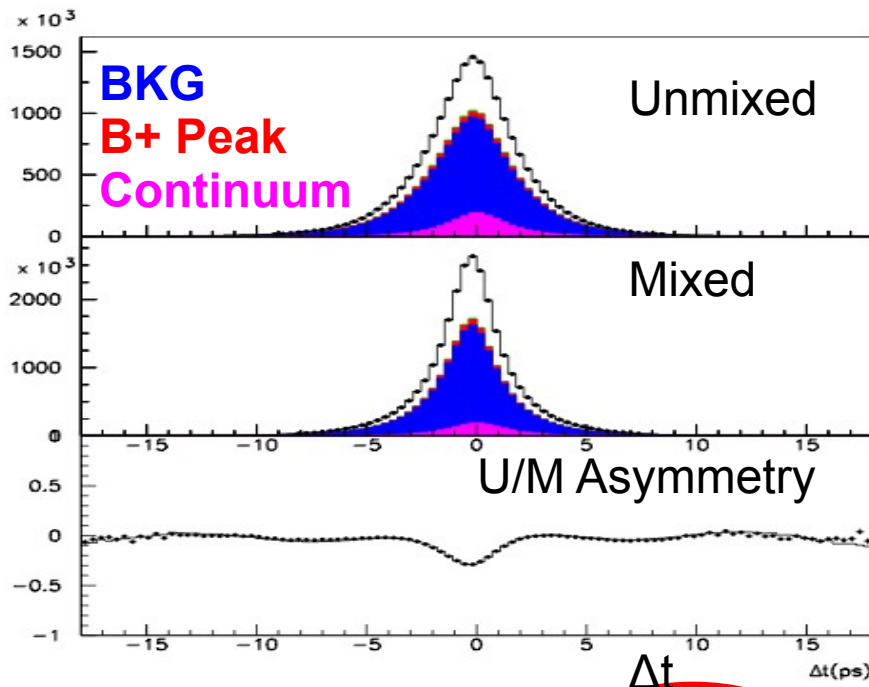


$B^0$  BKG



No Bias found in both the samples on MC with  $|q/p|=1$

# Results on $B^0 + B^+ + \text{Continuum}$ Full Fit



- Continuum generated with a Toy using as input the OffPeak data sample relevant distributions and normalized to the MC statistics.

No Bias found on MC with  $|q/p|=1$

# Results on Modified MC with $|q/p| \neq 1$

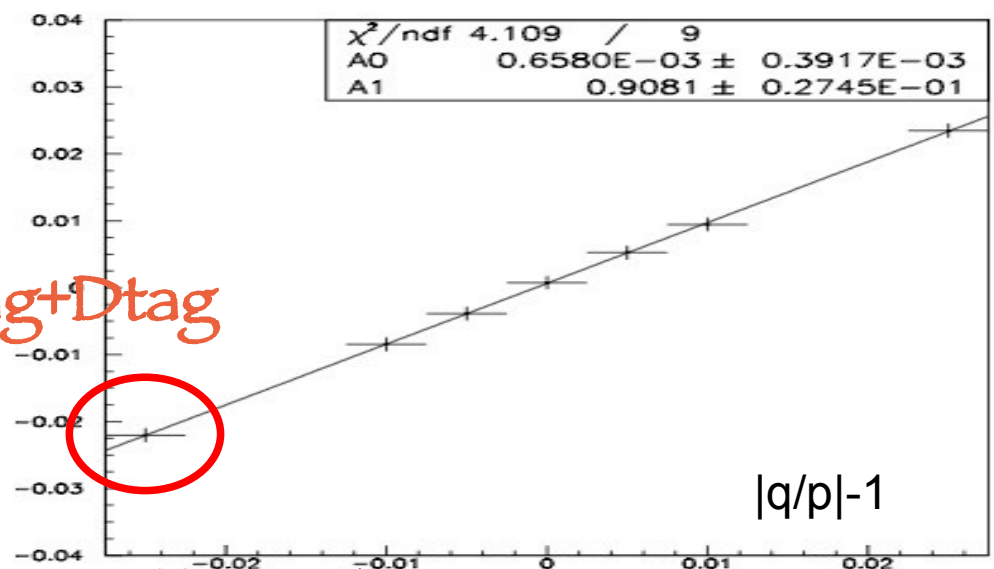
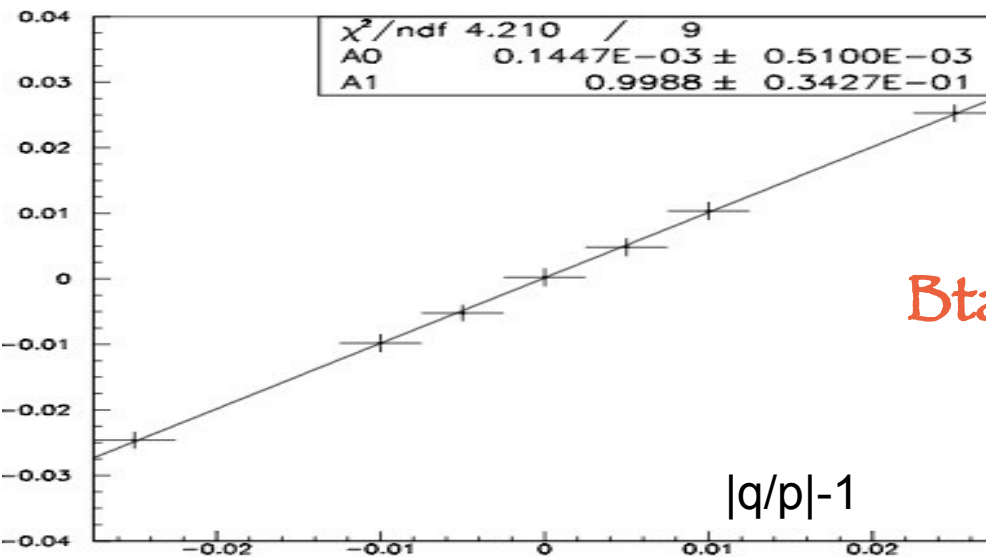
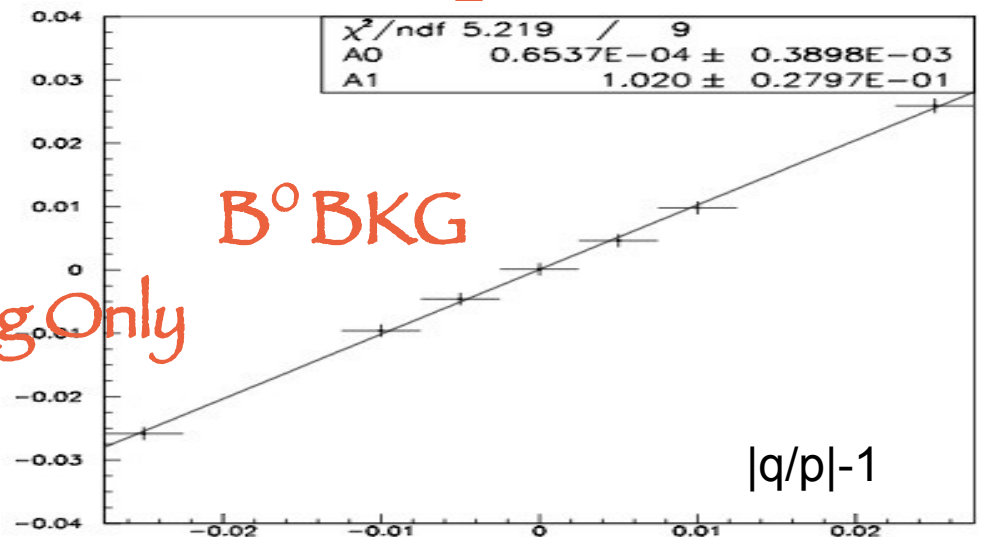
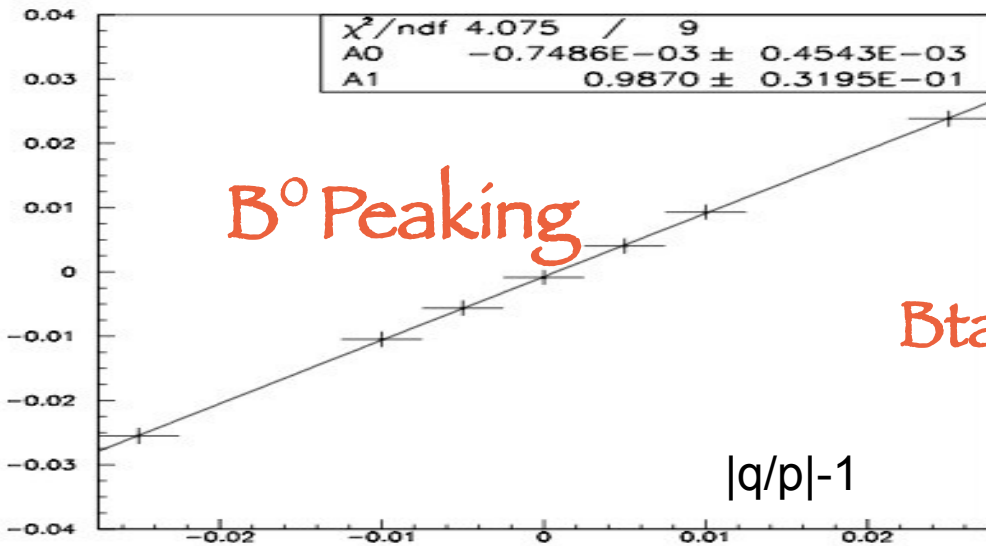
- $|q/p|$  measured from Semileptonic Asymmetry:

$$A_{SL} = \frac{N(B^0 B^0) - N(\bar{B}^0 \bar{B}^0)}{N(B^0 B^0) + N(\bar{B}^0 \bar{B}^0)}$$

$$A_{SL} = \frac{1 - |q/p|^4}{1 + |q/p|^4} \simeq 2 \left( 1 - \left| \frac{q}{p} \right| \right)$$

- MC with  $K = |q/p| - 1 \neq 0$  obtained by random rejecting a fraction  $F = 4K / (2K + 1)$  of mixed  $B^0 \bar{B}^0$  ( $K < 0$ ) or  $\bar{B}^0 B^0$  ( $K > 0$ ) events
- Fraction  $F/2$  of Unmixed events ( $B^0 B^0$ ) rejected to preserve the correct  $x_d = M / (U + M)$
- Rejection performed by exploiting the MC truth on  $B^0$  flavor
- This exercise checks correctness of algorithm, mistag, detector asymmetries and Dtag fraction determination

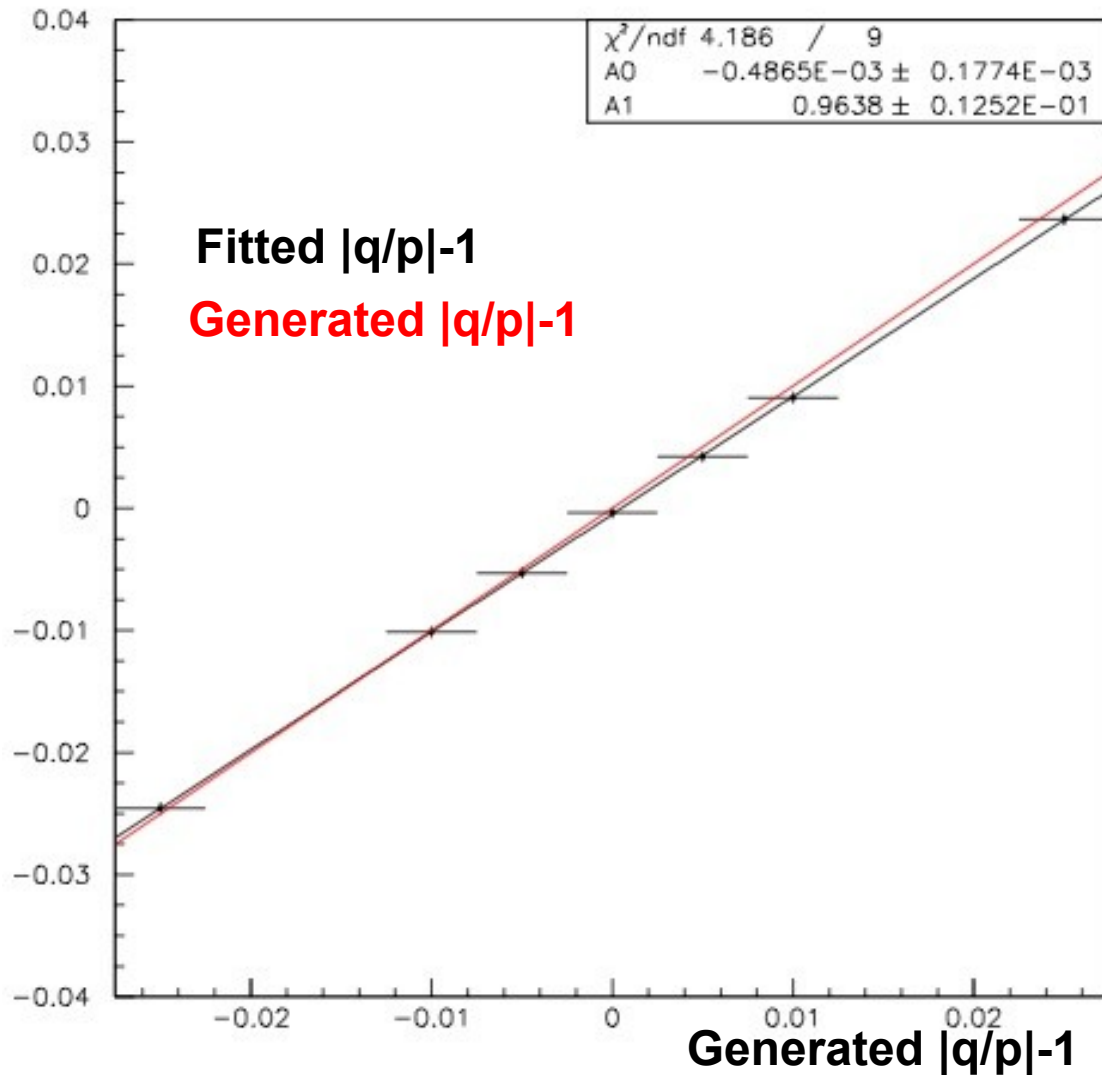
# Fitted vs Generated $|q/p|-1$



- Statistical errors correlated between different bins
- $B^0$  Peaking: no bias found
- $B^0$  BKG only ( $B_{\text{tag}}+D_{\text{tag}}$ ): 10% bias ( $2.7 \sigma$ ) on  $|q/p|-1$  for  $|q/p|-1 = -0.025$

# Fitted vs Generated $|q/p|-1$

## Full MC Fit

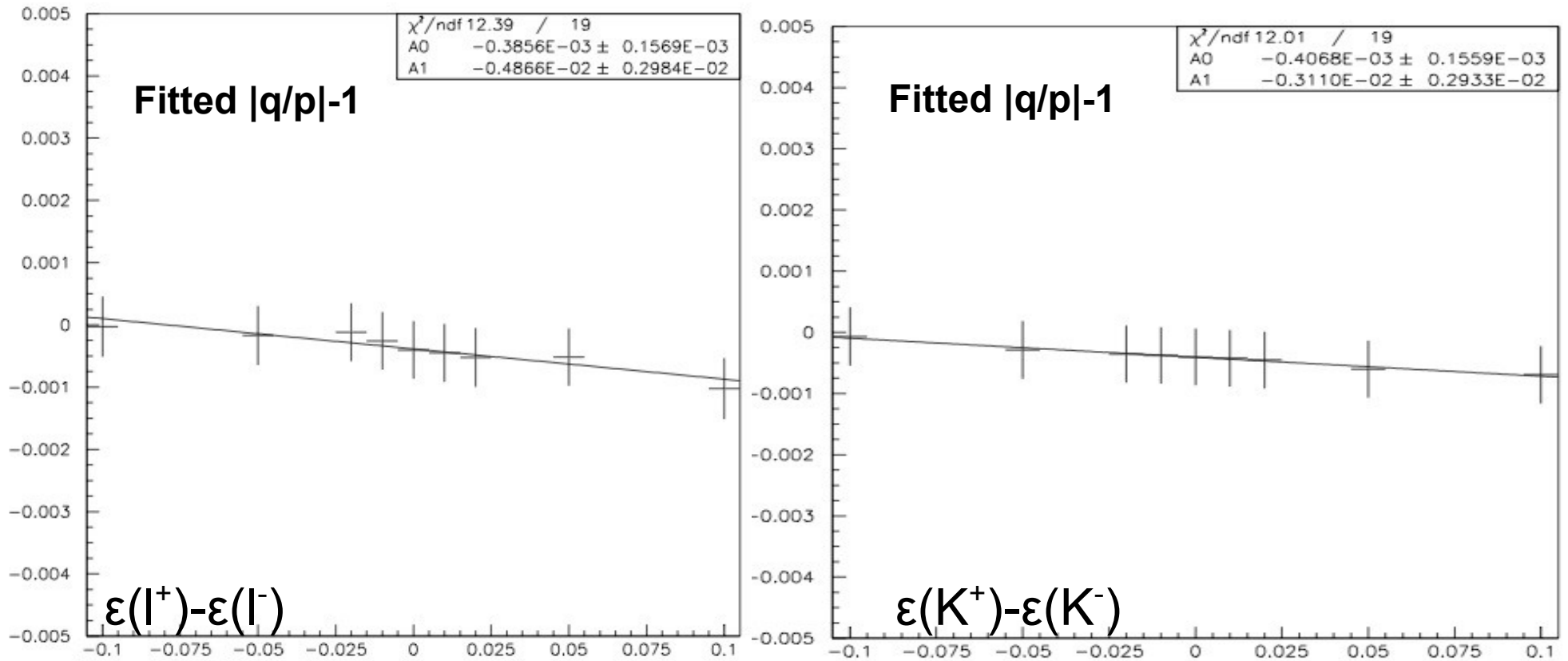


- Caveat: Only parameters correlated with  $|q/p|-1$  floated
- Resolution parameters fixed to reduce time consuming
- Statistical errors correlated between different bins
- Slope=0.96: ~4% relative bias on  $|q/p|-1$  found
- Effect negligible compared with the expected statistical error

# $lq/p_l$ vs detector Asymmetries

- Strategy of the measurement: disentangle the Physical vs Detector Asymmetries by exploiting all the available informations from different subsamples
- $lq/p_l$  and detector Asymmetries are strongly related in the PDF
- Test performed to look for possible bias on the  $lq/p_l$  determination produced by a not correct description of the Physical vs Detector Asymmetries interconnection in the Fit constraints:
  - Modify the MC in order to produce an artificial efficiency asymmetry by random rejecting positive or negative leptons/kaons from the selected sample
  - Artificial  $|\Delta\epsilon| = |\epsilon^+ - \epsilon^-| = 1\%, 2\%, 5\%, 10\%$  produced
- To be compared with:  
Reco Asymm( $l^+, l^-$ )  $\sim 0.5\%$ ; Tag Asymm( $K^+, K^-$ )  $\sim 1\%$  (fitted on MC)

# $|q/p|-1$ vs $\Delta\epsilon$ : Full MC Fit



- Statistical errors are correlated
- Observed bias  $< 0.001$  in all the  $\Delta\epsilon$  range of variation
- $\Delta\epsilon$  varied in a huge range wrt reasonable values
- The Fit correctly disentangles physical vs detector asymmetries
- Negligible systematic uncertainty estimated on Real Data (see later)



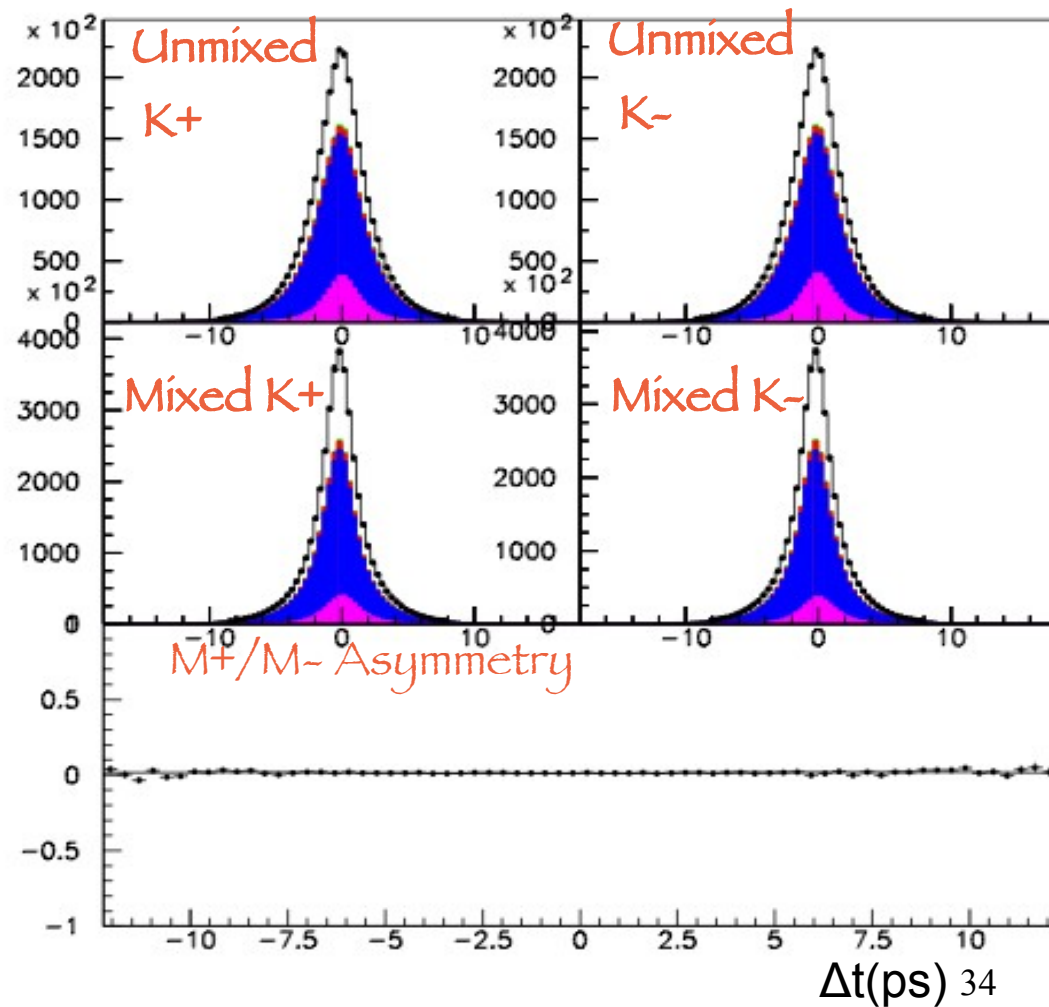
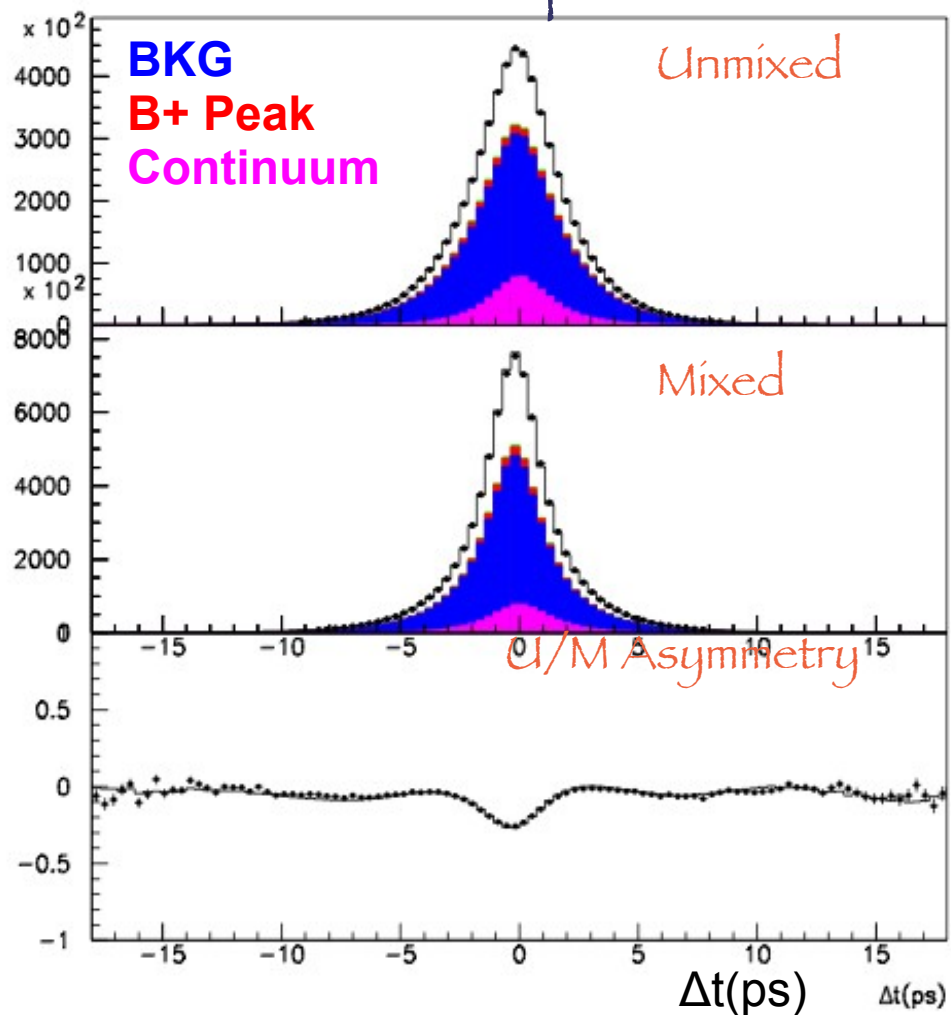
Real Data

BLIND Studies

# Preliminary BLIND Results

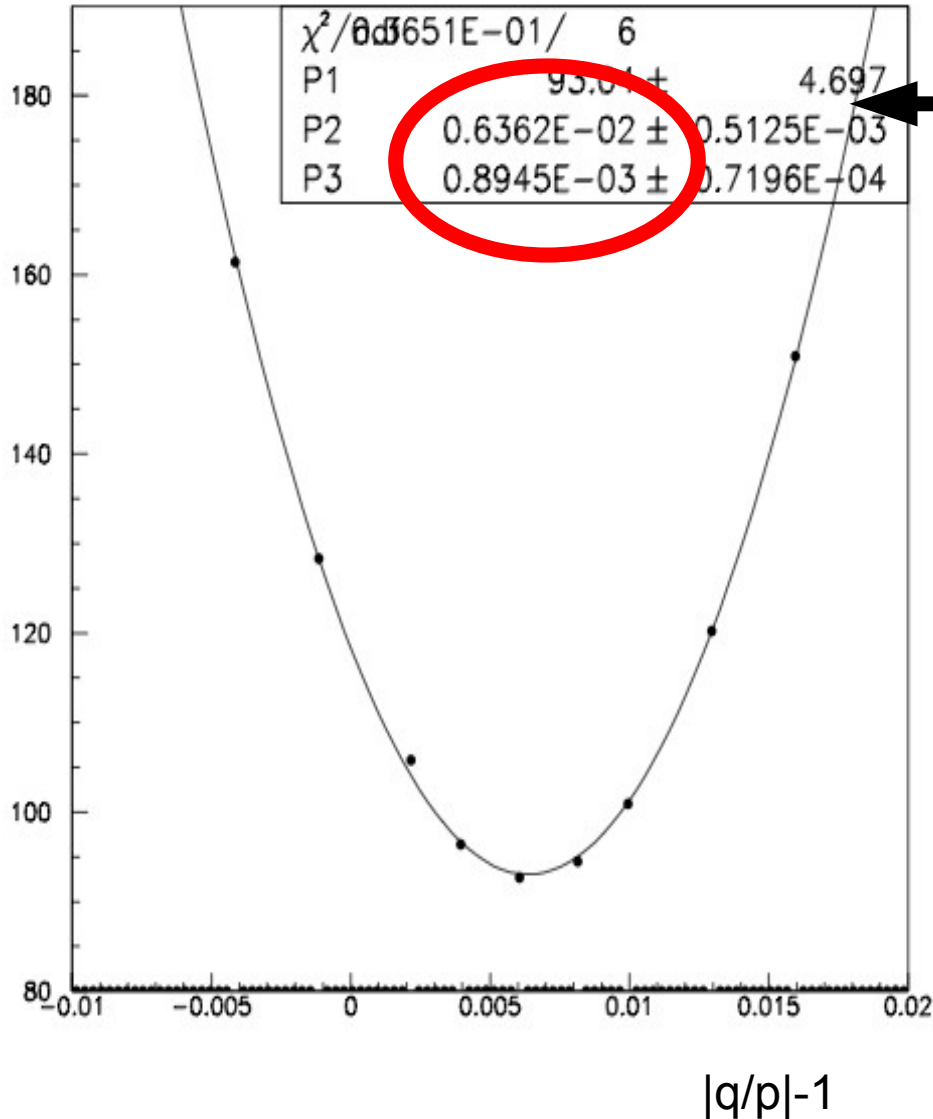
## Fitted $\Delta t$ Shapes

- Floated only parameters correlated with  $|q/p|$
- Fixed resolution parameters



# Preliminary BLIND Results

Arbitrary units



Blind Result:

$$|q/p|-1 = (6.36 \pm 0.89) \cdot 10^{-3}$$

- Only parameters correlated with  $|q/p|-1$  floated, resolution fixed
- Nice convergence reached
- Statistical error scales correctly wrt Real Data/MC statistics

# Preliminary Systematics:

## Dtag description

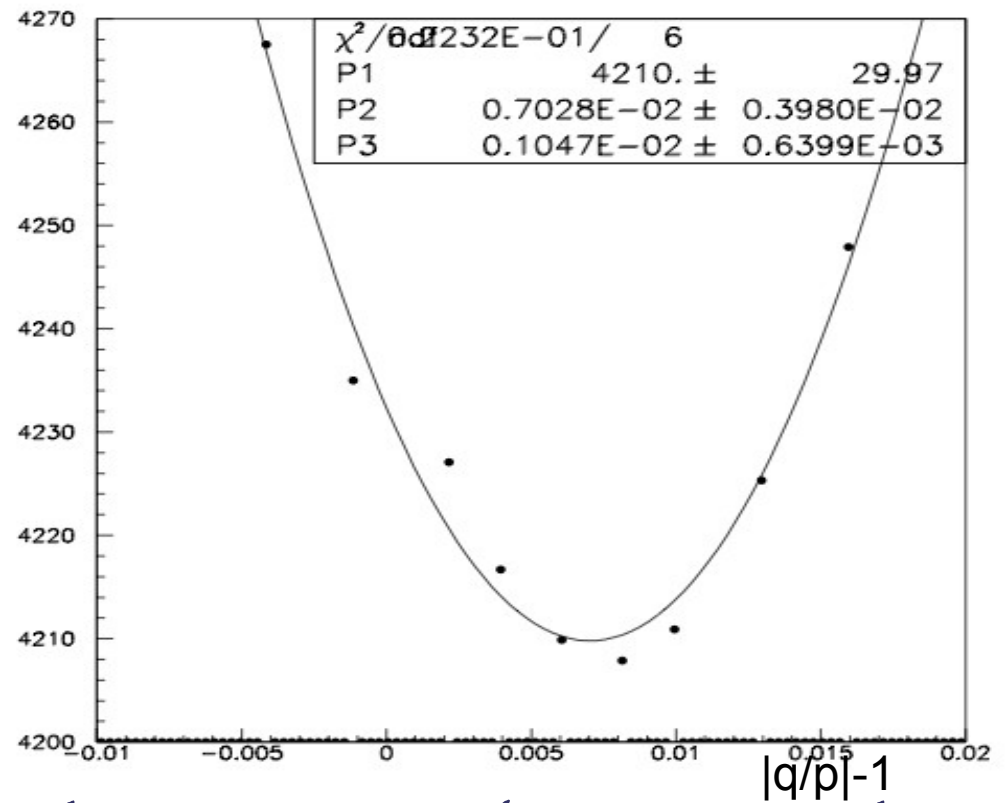
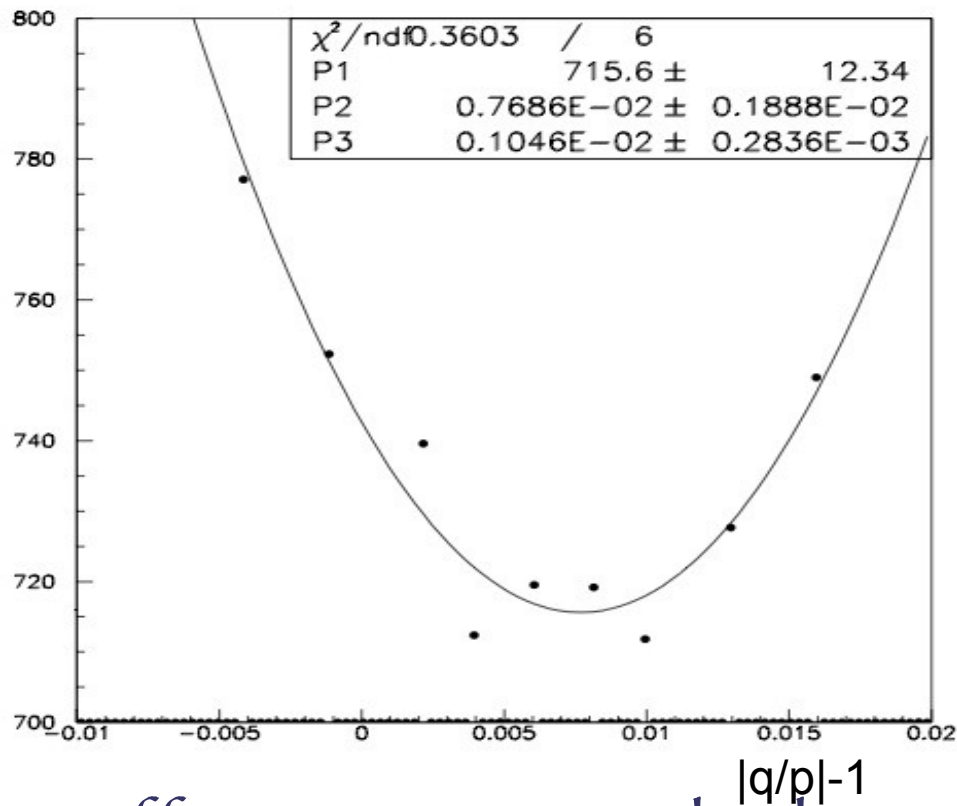
Dtag description is one of the few elements of the analysis not completely data-driven: source of systematic errors:

- Dtag  $\Delta t$  shape from Data/MC correction
  - Use alternatively  $\Delta t$  shape from High Purity selection on Real Data or from “inclusive” Dtag from MC
- Dtag Fraction in the  $B^+$  sample (Peaking & BKG) constrained to  $B^0$  one using ratios  $R_{MC}(P_K) = F_{Dtag}^{B^+} / F_{Dtag}^{B^0}$  from MC
- $R_{MC}$  depend on  $BR(B^{0/+} \rightarrow DX \rightarrow KY)$ 
  - Conservatively vary  $R_{MC}$  by 20%, to be optimized

# Dtag Systematics: $\Delta t$ shape

Dtag  $\Delta t$  shape from:

- High Purity selection on Real Data
- Inclusive Dtag from MC



• Difference wrt Standard Procedure (scans to be optimized):

→  $\Delta|q/p| = +1.3 \cdot 10^{-3}$

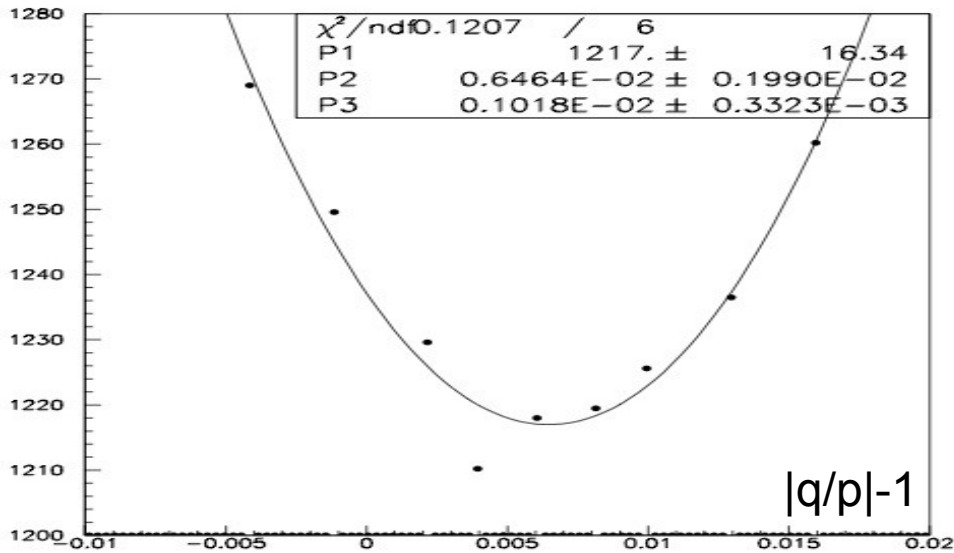
$\Delta|q/p| = +7 \cdot 10^{-4}$

# Dtag Systematics: $B^+$ sample fraction

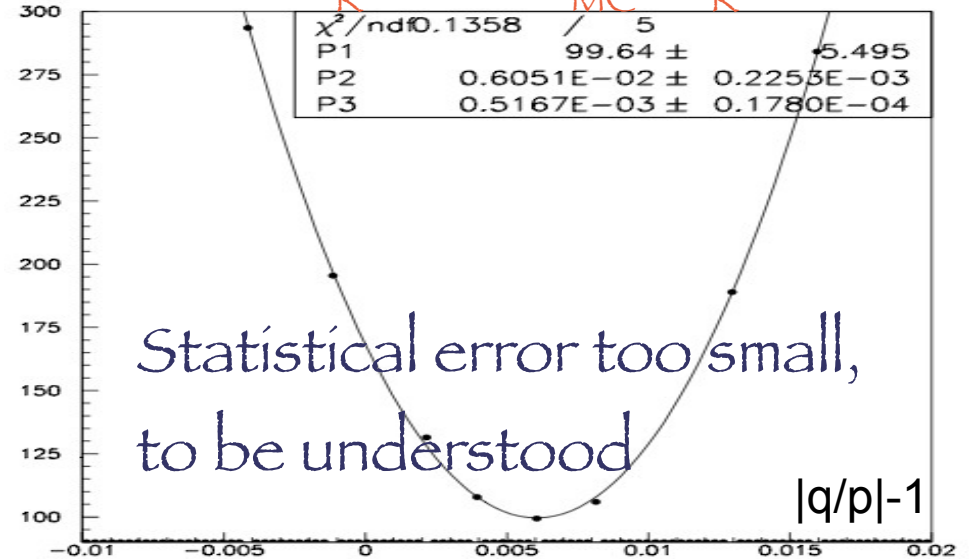
Dtag Fraction in the  $B^+$  sample:

- $R_{MC}(P_K) = F_{Dtag}^{B^+} / F_{Dtag}^{B^0}$  varied by  $\pm 20\%$

$$R(P_K) = 0.8 * R_{MC}(P_K)$$



$$R(P_K) = 1.2 * R_{MC}(P_K)$$



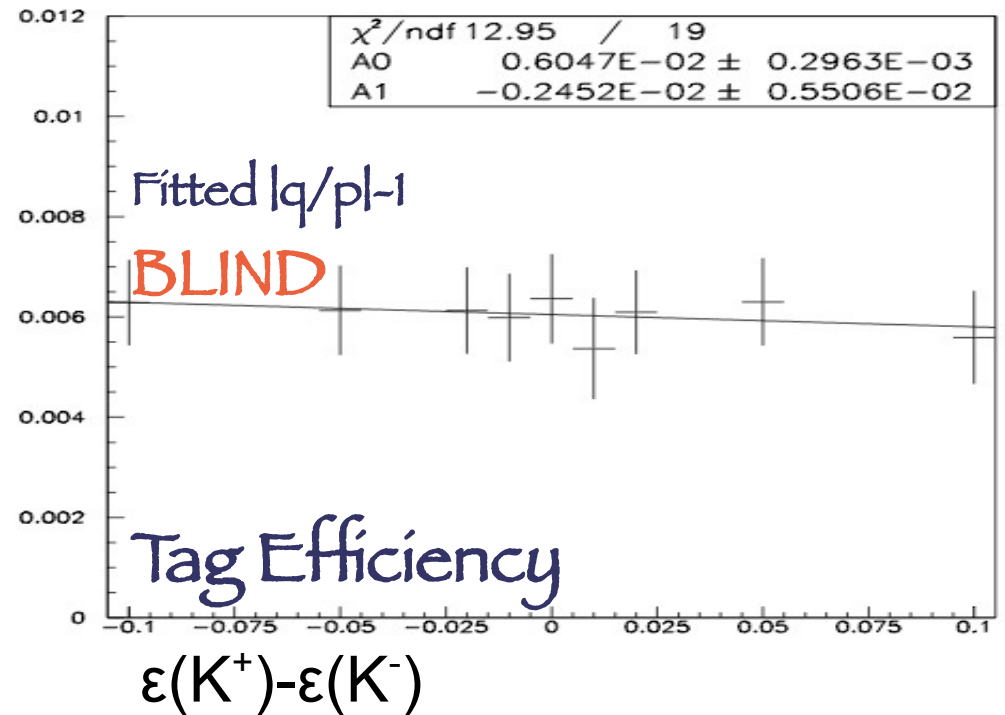
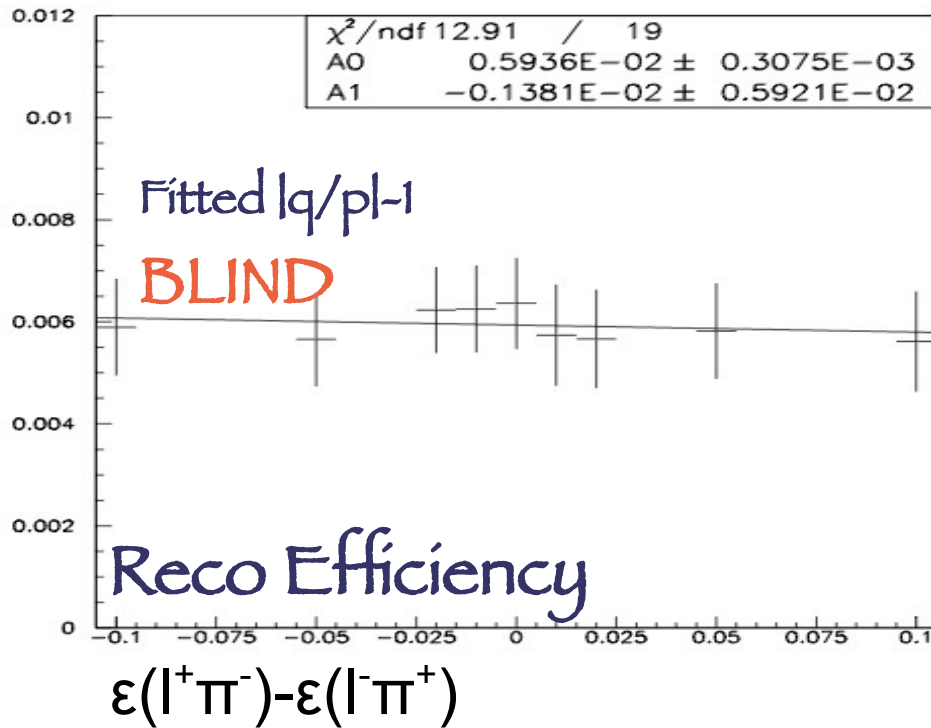
- Difference wrt Standard Procedure (to be optimized):

$$\rightarrow \Delta|q/p| = +1.0 \cdot 10^{-4}$$

$$\Delta|q/p| = -3.1 \cdot 10^{-4}$$

- Total preliminary systematic error from Dtag  $\Delta|q/p| = +1.3 \cdot 10^{-3}$   
 $-0.3 \cdot 10^{-3}$

# $|q/p|-1$ vs $\Delta\varepsilon$



- Same approach as for MC
- Observed  $|q/p|$  variation  $< 0.001$  in all the  $\Delta\varepsilon$  range
- The Fit correctly disentangles physical vs detector asymmetries
- Fitted  $A_{reco}(e+\mu) \sim 6.5 \cdot 10^{-3}$ ,  $A_{tag} \sim 1.5\%$ 
  - $\Delta\varepsilon(\text{Reco}) < 1.3\%$ ,  $\Delta\varepsilon(\text{Tag}) < 3\%$  (PID tables  $< 1\%$ ,  $\sim 1.5\%$ )
  - $\Delta|q/p|(\text{Reco}) < 2 \cdot 10^{-5}$ ,  $\Delta|q/p|(\text{Tag}) < 6 \cdot 10^{-5}$  (to be optimized)

# Double Counting Problem

$|q/p|$  and Detector Asymmetries are simultaneously obtained by applying Binomial-Constraints on:

a) Reconstructed Tagged+Untagged Events:

Constrains Reconstruction Asymmetry

b) Tagged Events divided in different categories

$(B^0, B^+) \times (B_{\text{tag}}, D_{\text{tag}}) \times (\text{Peaking}, \text{BKG}) \times (\text{Mixed}, \text{Unmixed})$ :

Constrains Physical and/or Detector Asymmetries

• Underestimation of statistical error due to double counting of events in the two different Binomial-Constraints has to be avoided

• Possible Solutions already investigated:

1) Remove Constraint a): introduce a  $|q/p|$  bias  $\sim 0.0015$

2) Modify the Likelihood using a Multinomial Approach: needs heavy debugging, not in time for ICHEP

3) **Proposal: estimate a statistical error correction using a Toy MC**



# Expected Final Errors

## Statistical Error:

- From fit with fixed resolution parameters  $\pm 0.9 \cdot 10^{-3}$
- Preliminary results obtained by floating all the parameters show a relative increase of  $\sim 10\%$
- Double counting studies show an increase of  $\sim 25\%$  by removing the constraint on total number of reconstructed events
  - Estimated  $\delta(|q/p|) \pm 1.25 \cdot 10^{-3}$  ( $\delta A_{SL} \sim 2.5 \cdot 10^{-3}$ )

## Systematic Uncertainties:

- Dtag description  $\pm 1.3 \cdot 10^{-3}$
- Detector Asymmetries  $\sim 0.1 \cdot 10^{-3}$
- Sample Composition from external fit to  $M_V^2$
- Resolution (SVT alignment); Fixed Parameters (?)
  - Rough Estimation  $\delta(|q/p|) \pm 1.8 \cdot 10^{-3}$  ( $\delta A_{SL} \sim 3.6 \cdot 10^{-3}$ )

# Conclusions

- Validation on MC Run1-Run6 Release 24, Analysis 51:
  - Full Fit on  $B^0+B^+$  + Continuum finalized
  - Negligible Analysis Bias found using a Modified MC with  $|q/p| \neq 1$
  - Fit is able to disentangle Physical vs Detector asymmetries
- Real Data:
  - $D_{tag} \Delta t$  shape optimized for Real Data
  - Preliminary Blind Results obtained with statistical error in agreement with MC predictions
  - Preliminary Systematic errors evaluated

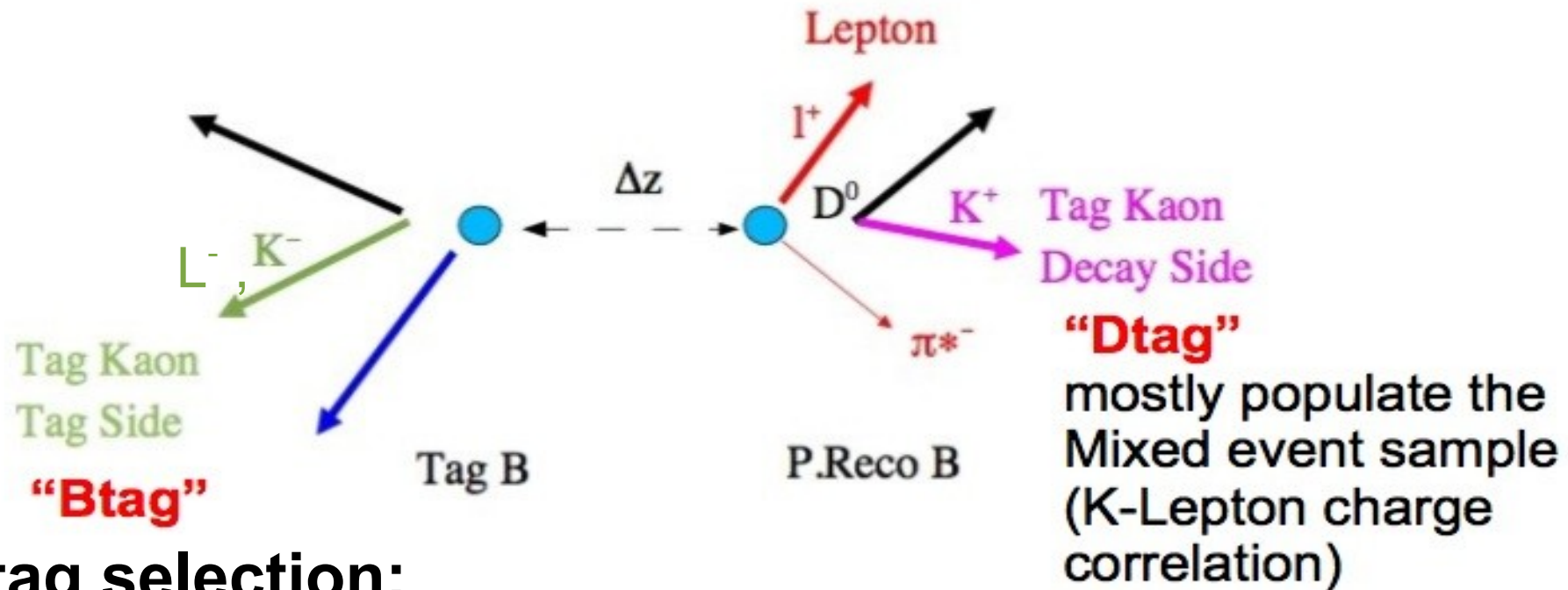
# Next Steps

## •Next Steps:

- Update the Documentation & Restart the Review process
- Reproduce MC/Real Data results by floating also resolution parameters
- Develop a Toy MC for the evaluation of the statistical error (double counting problem)
- Finalize systematic errors evaluation: sample composition from external fit, resolution parameterization, variation of (few) fixed parameters
- Cross checks:  $e/\mu$ , Mass Band/Side Band

Backup

# High Purity Dtag Selection



## Dtag selection:

- Look for same charge ( $L^+_{\text{Reco}}$ ,  $K^+$ ) pairs
- Opposite charge Tag Lepton  $L^-$  required to suppress Btag Mixed events  $B \rightarrow K^+$
- ( $L^+_{\text{Reco}}$ ,  $L^-_{\text{Tag}}$ ,  $K^+$ ) sample has Dtag-Purity=87%
- 13% Residual Btag contamination from Tag Side  $B \rightarrow D \rightarrow K^+$ , Tag Side  $B \rightarrow D \rightarrow L^-$ , Reco Side  $B \rightarrow D \rightarrow L^-$
- Purity can be increased from 87% to **94% ( $\epsilon \sim 5\%$ )** by requiring K tracks to be assigned to Reco Side according to some angular variables included in a likelihood ratio

# $\Delta t$ Dtag PDF Determination on Real Data

## Strategy:

- **High-Purity Dtag selection optimized with Purity =94%,  $\epsilon \sim 5\%$**
- Perform the same Dtag selection on MC & Real Data (OnPeak & OffPeak)
- Subtract residual Continuum BKG from OnPeak using Luminosity-rescaled selected OffPeak events
- Subtract residual Btag events ( $\sim 6\%$ ) using MC predictions
- **Compute Real Data PDFs for the four different Dtag classes ( $B^0, B^+$ )X(Peaking, BKG):**

$$\text{PDF}_{\text{Class } i}^{\text{DATA}} = \text{PDF}_{\text{Class } i}^{\text{MC}} * (\text{PDF}_{\text{High Purity Selection}}^{\text{DATA}} / \text{PDF}_{\text{High Purity Selection}}^{\text{MC}})$$

- Systematic error on Real Data from the comparison of the  $|q/p|$  results obtained using the calculated PDFs or the High Purity Selection PDFs
- Method checked on MC using Standard vs High Purity Selection PDFs

# MC Dtag $\Delta t$ PDF: Standard vs High Purity Selection

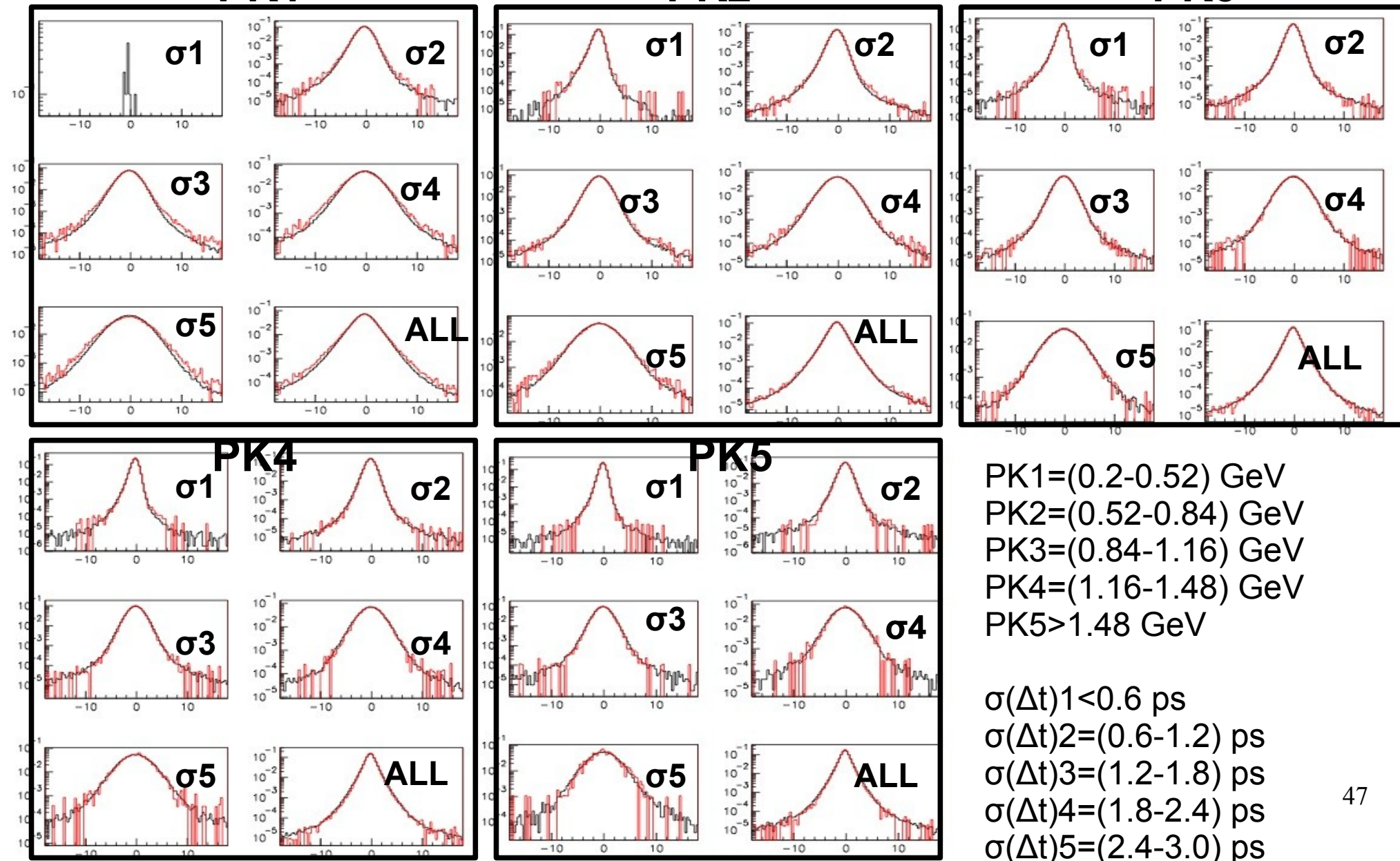
- Comparison in PK &  $\sigma(\Delta t)$  bins:

**STANDARD**  
**HIGH PURITY**

**PK1**

**PK2**

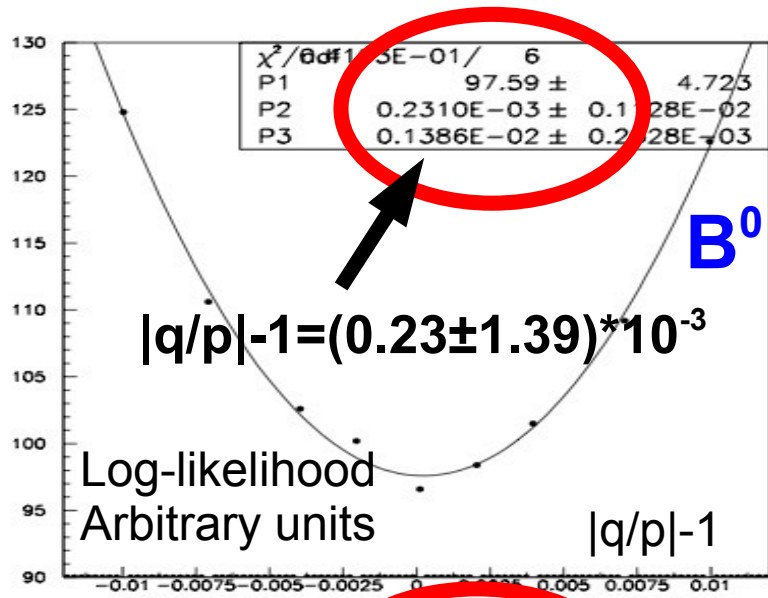
**PK3**



# MC Dtag $\Delta t$ PDF: Standard vs High Purity Selection

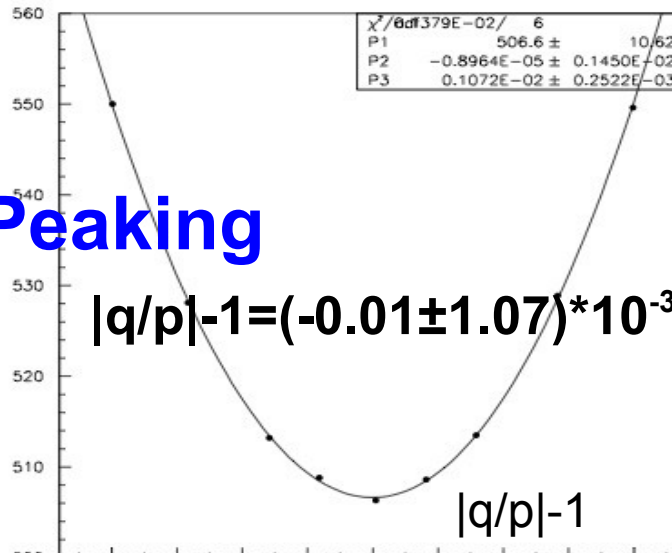
- Comparison of MC Fit results using the Standard or High Purity PDFs:

## Standard PDF



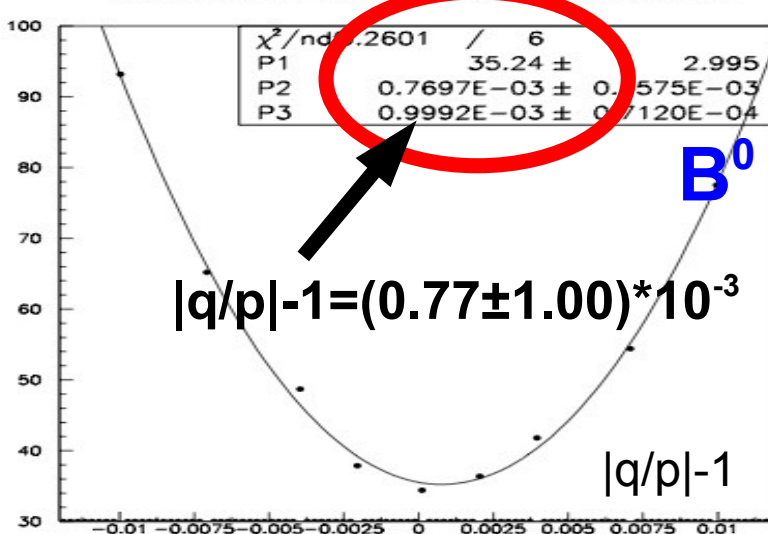
**B<sup>0</sup> Peaking**

## High Purity Selection

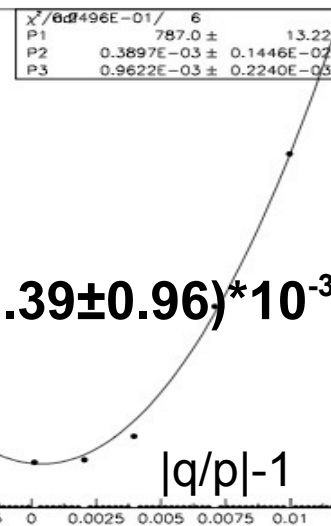


$\delta|q/p|$

**-0.24 \* 10<sup>-3</sup>**



**B<sup>0</sup> BKG**



**-0.38 \* 10<sup>-3</sup>**

**Effect ~ 1/3 of  
MC Statistical  $\sigma$**



# High Purity Dtag selection on Data & MC

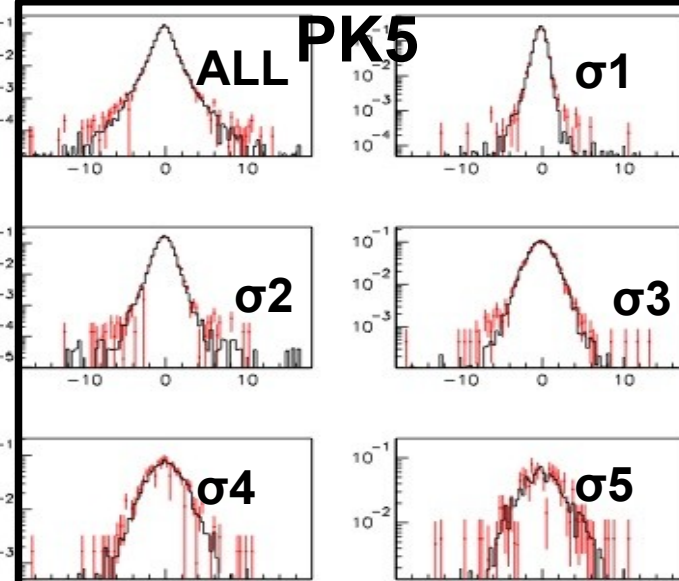
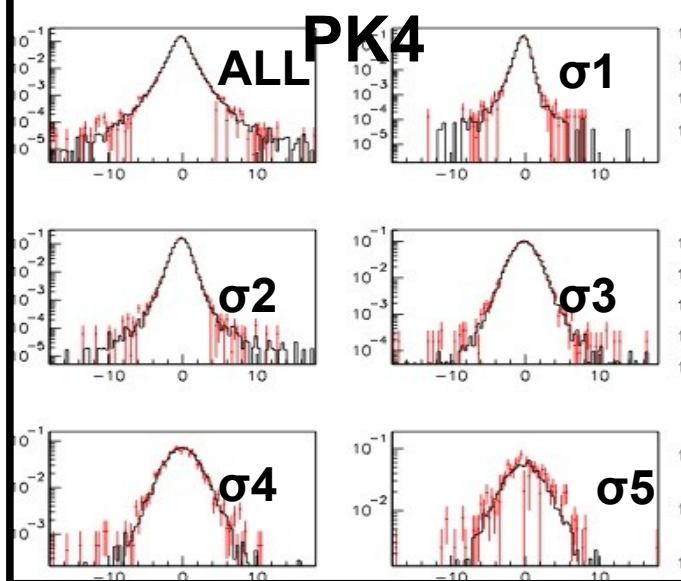
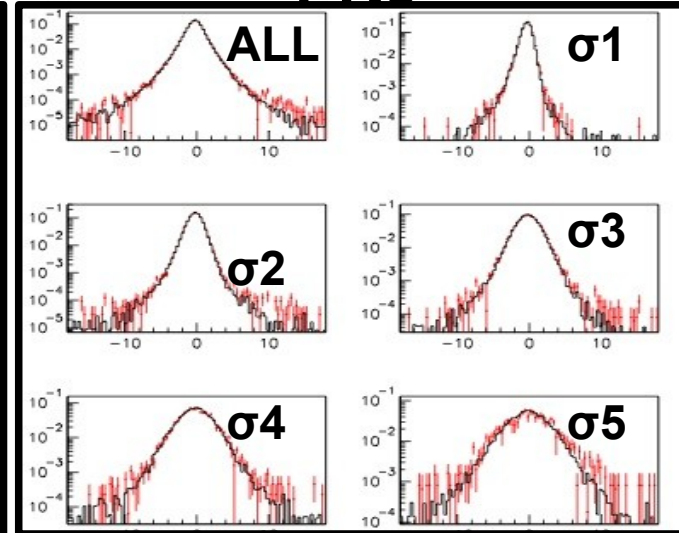
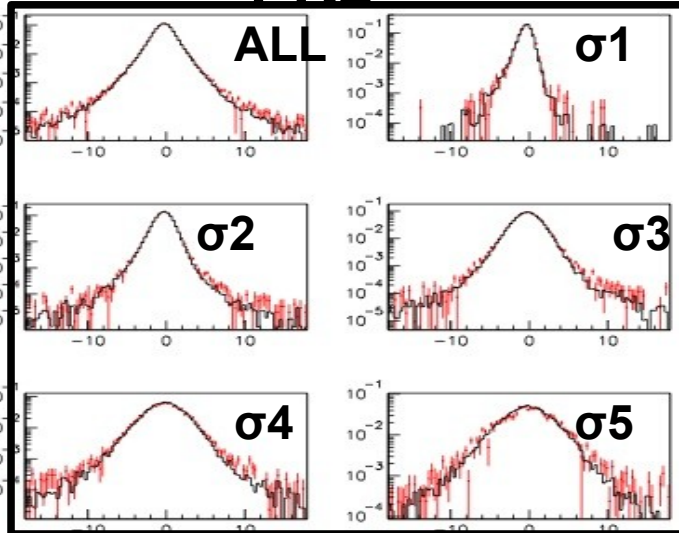
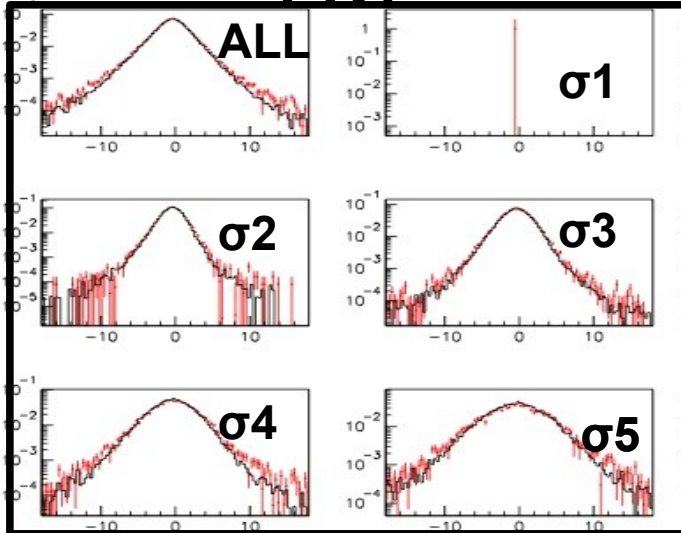
- Comparison in PK &  $\sigma(\Delta t)$  bins after Continuum & Btag Subtraction
- 264k events selected in Real Data

MC  
DATA

PK1

PK2

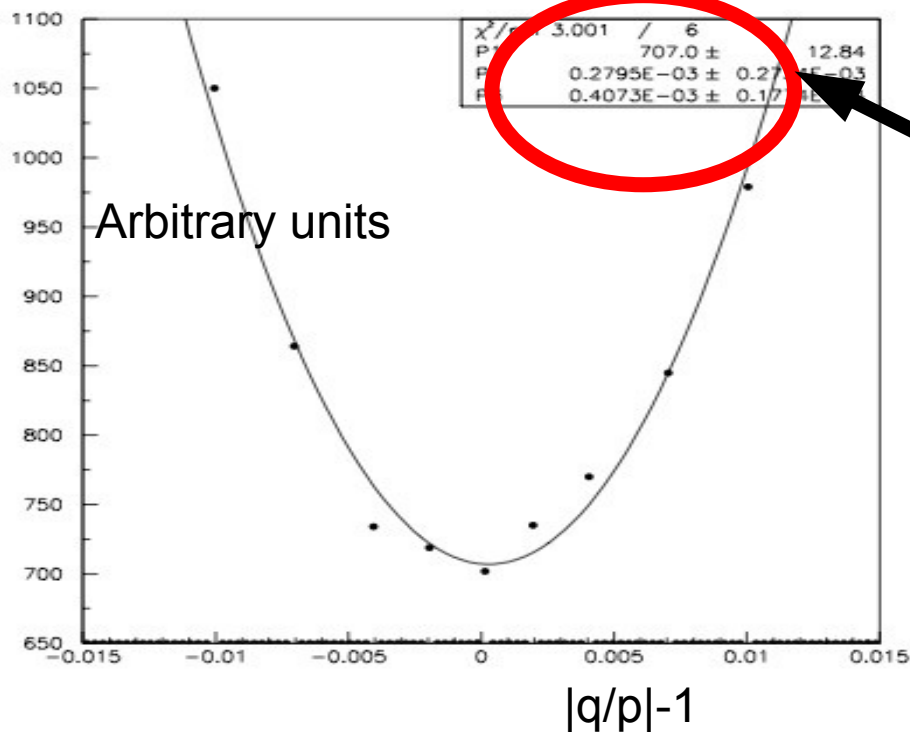
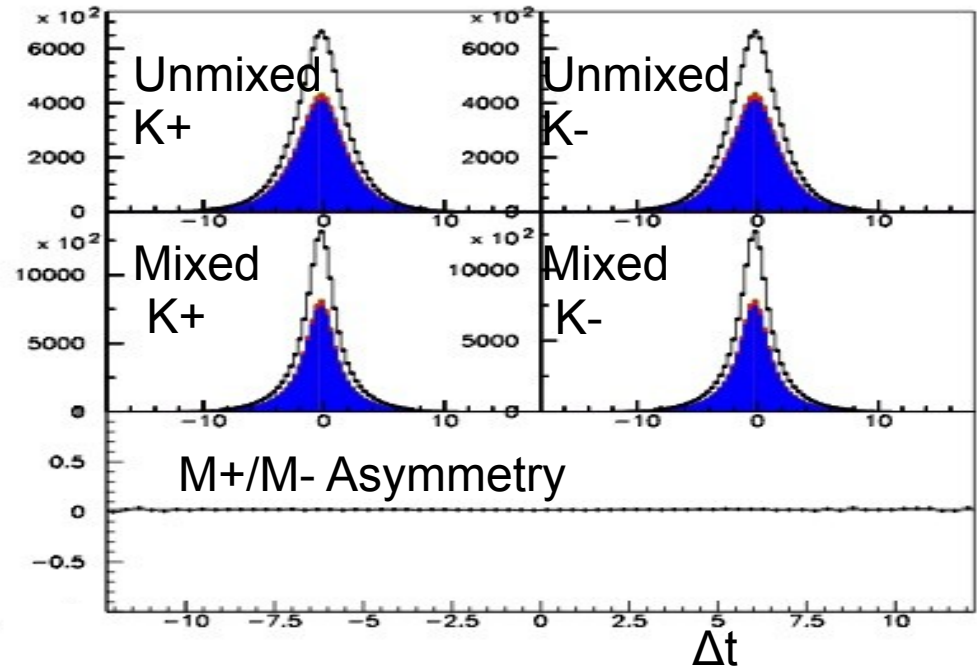
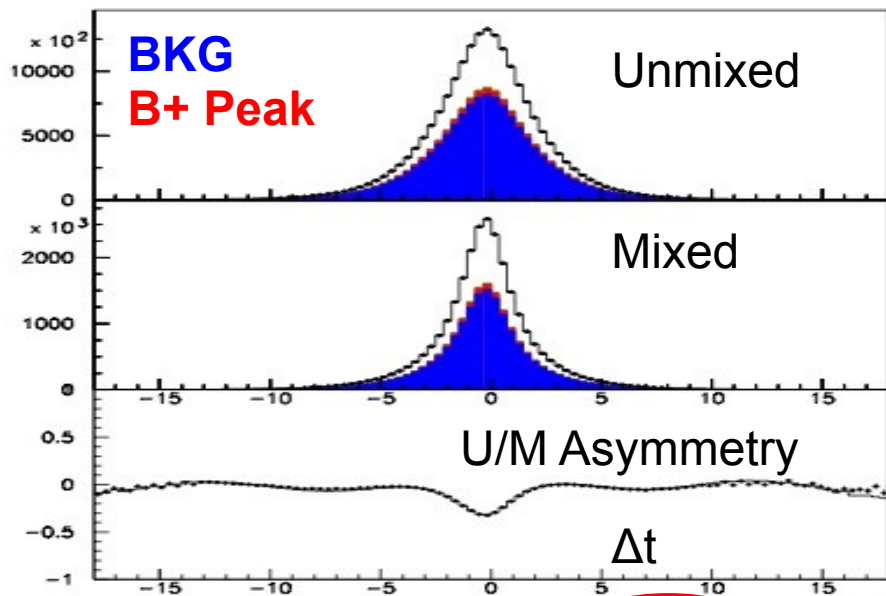
PK3



PK1=(0.2-0.52) GeV  
 PK2=(0.52-0.84) GeV  
 PK3=(0.84-1.16) GeV  
 PK4=(1.16-1.48) GeV  
 PK5>>1.48 GeV

$\sigma(\Delta t)_1 < 0.6$  ps  
 $\sigma(\Delta t)_2 = (0.6-1.2)$  ps  
 $\sigma(\Delta t)_3 = (1.2-1.8)$  ps  
 $\sigma(\Delta t)_4 = (1.8-2.4)$  ps  
 $\sigma(\Delta t)_5 = (2.4-3.0)$  ps

# Results on $B^0+B^+$ Peaking+BKG

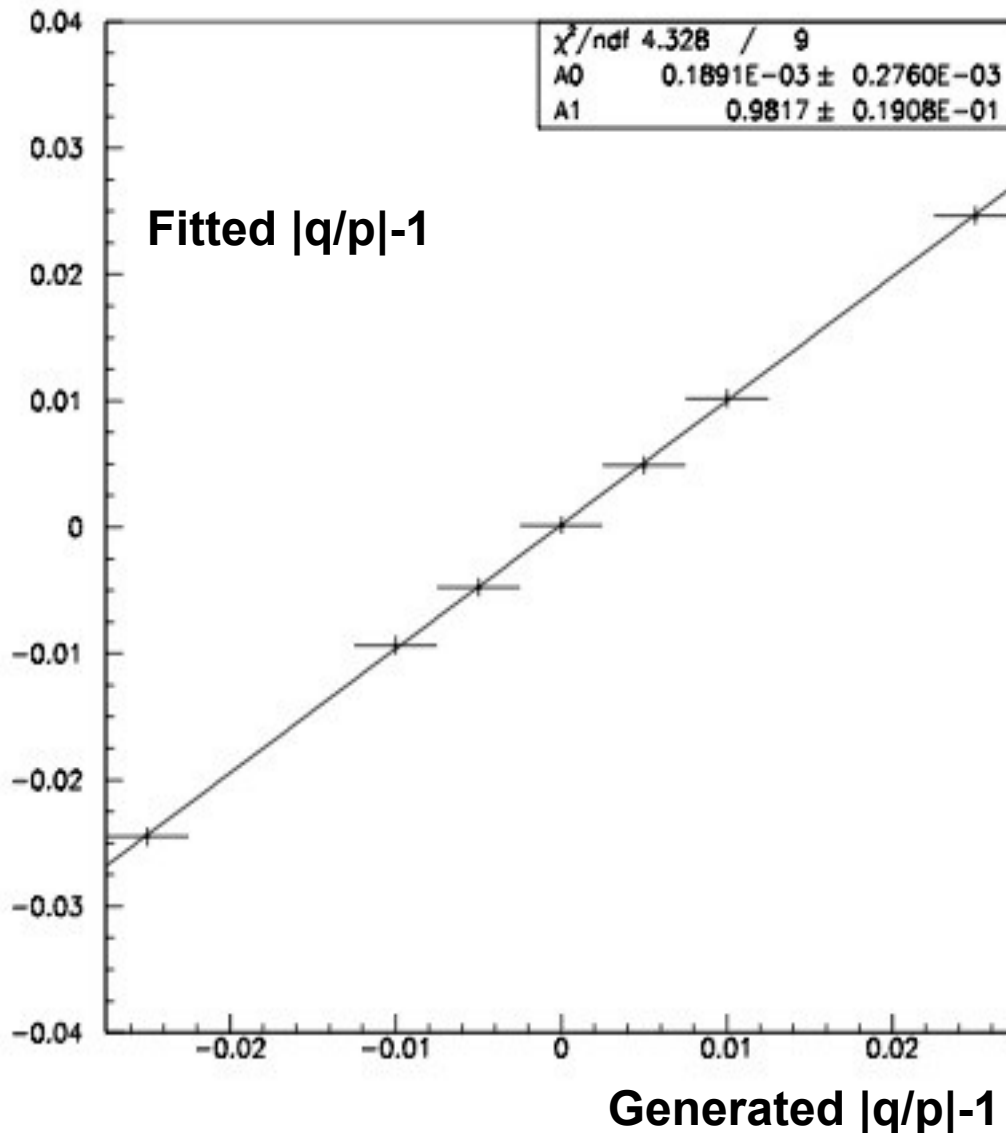


$$|q/p|-1=(0.28\pm 0.41)*10^{-3}$$

**No Bias found on MC with  $|q/p|=1$**

# Fitted vs Generated $K=|q/p|-1$

## $B^0$ Peaking+BKG Btag+Dtag



- Statistical errors correlated between different bins

- **Slope=0.98:**  
**~no bias on  $|q/p|-1$  found**

- Very wide  $|q/p|$  range as compared with the expectations

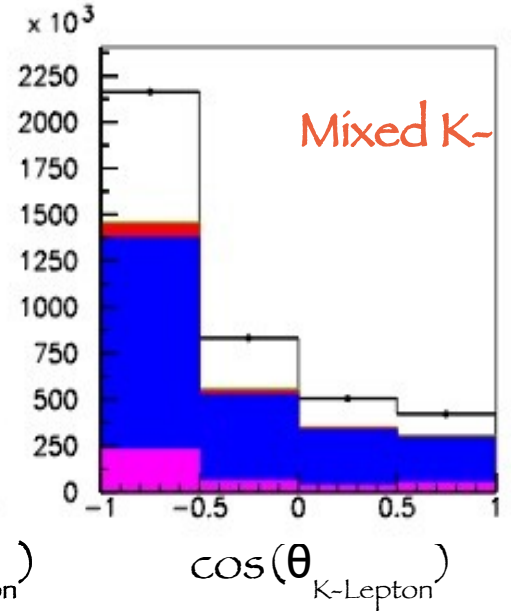
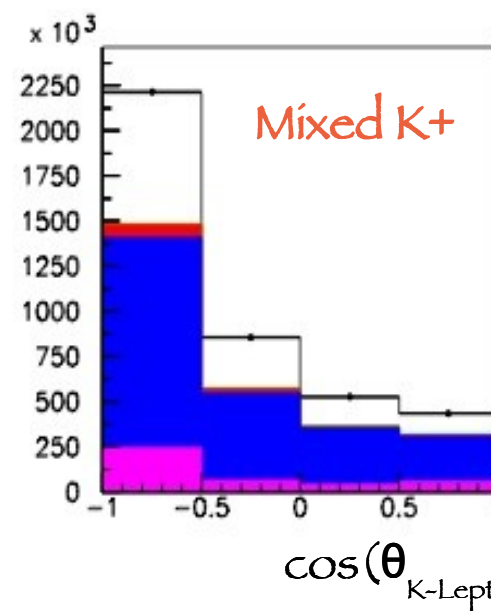
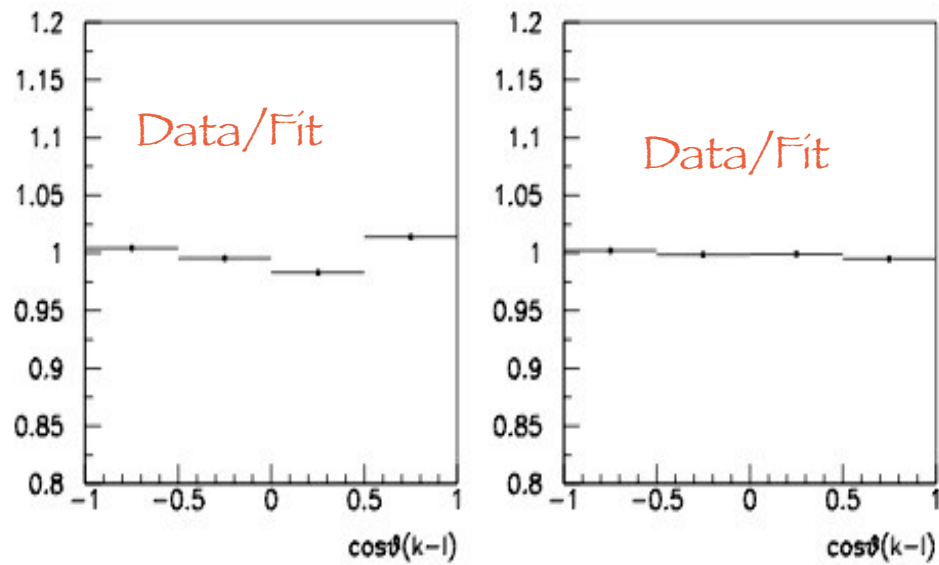
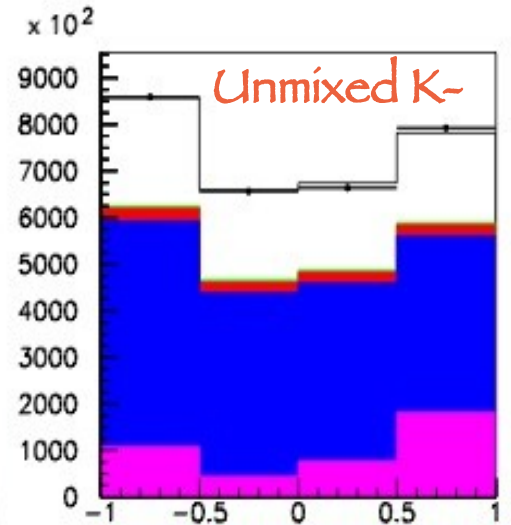
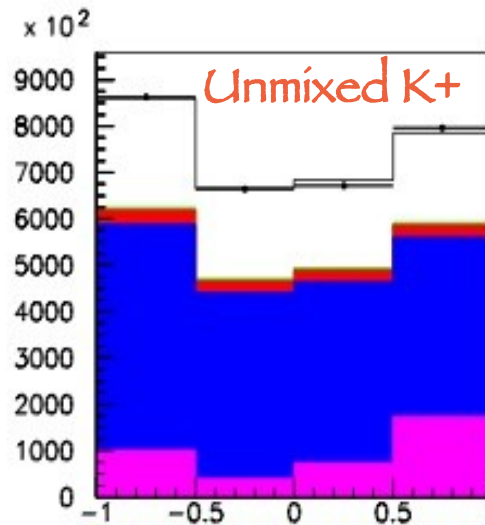
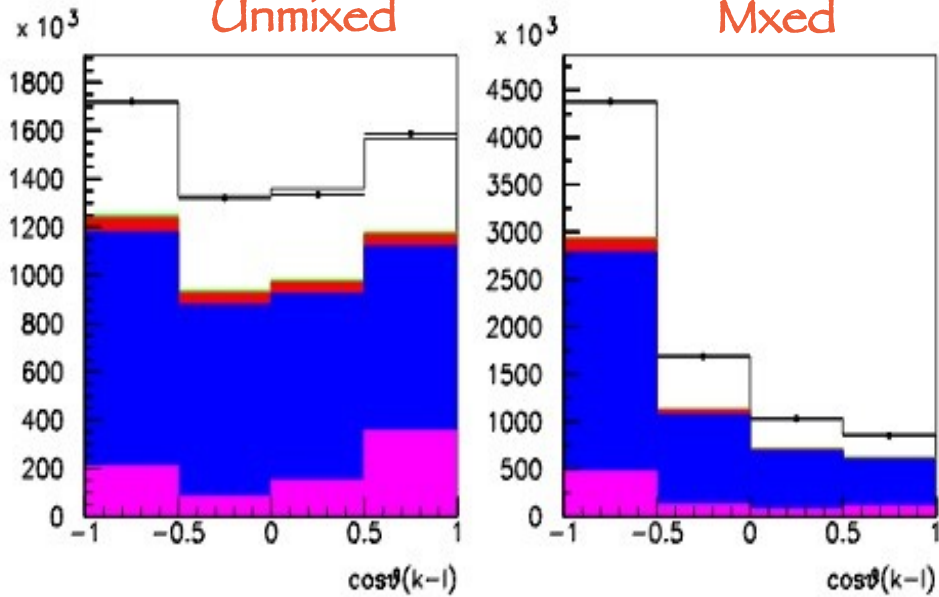
# Preliminary BLIND Results

Fitted  $\cos(\theta_{K\text{-Lepton}})$  Shapes

**BKG**  
**B+ Peak**  
**Continuum**

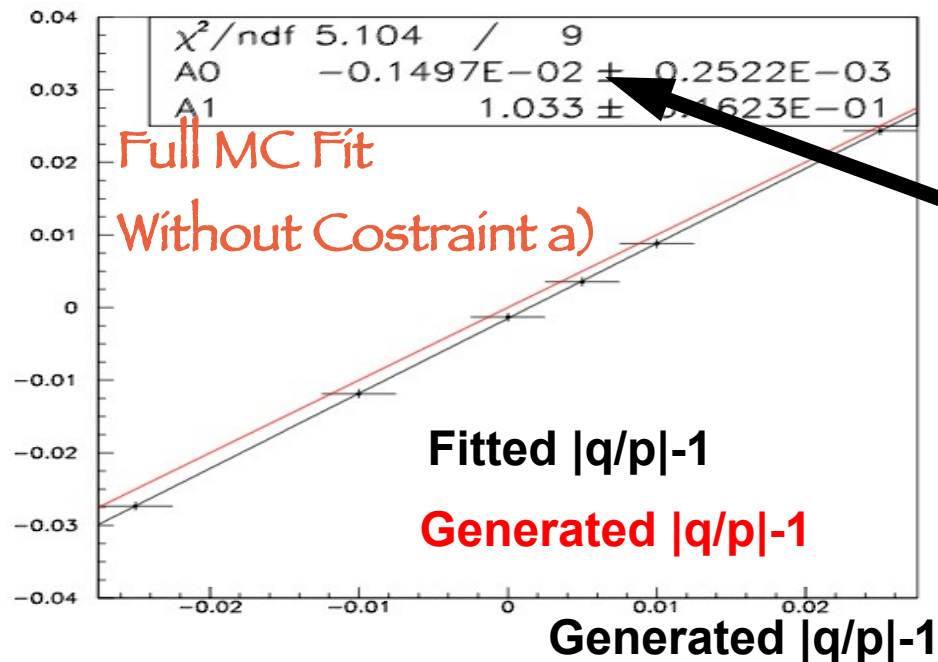
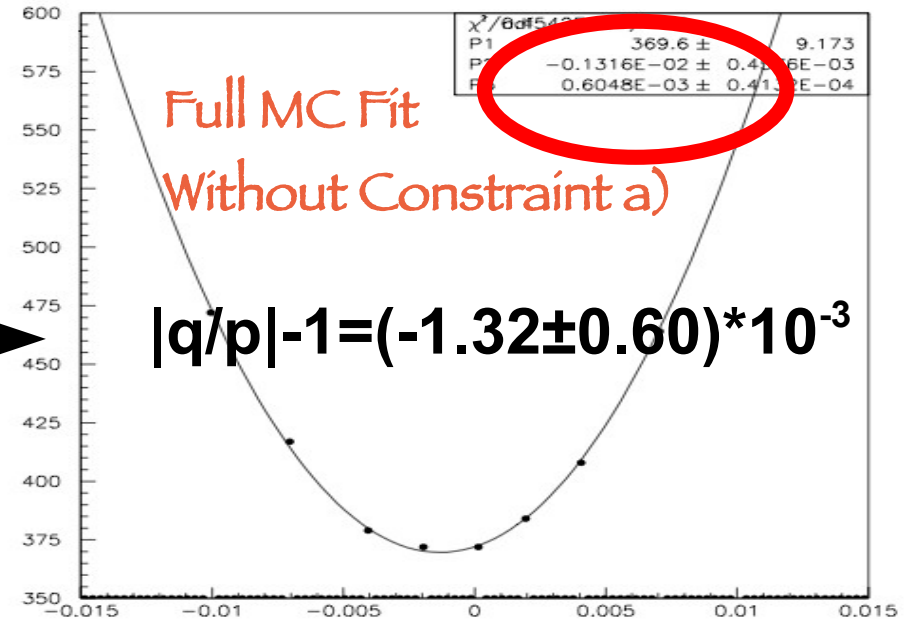
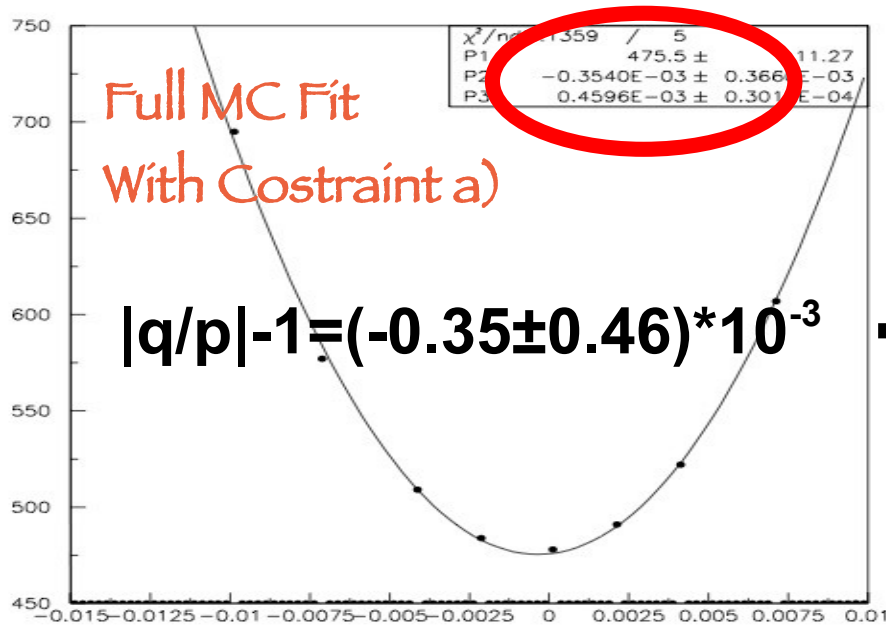
Unmixed

Mxed



# Double Counting Problem

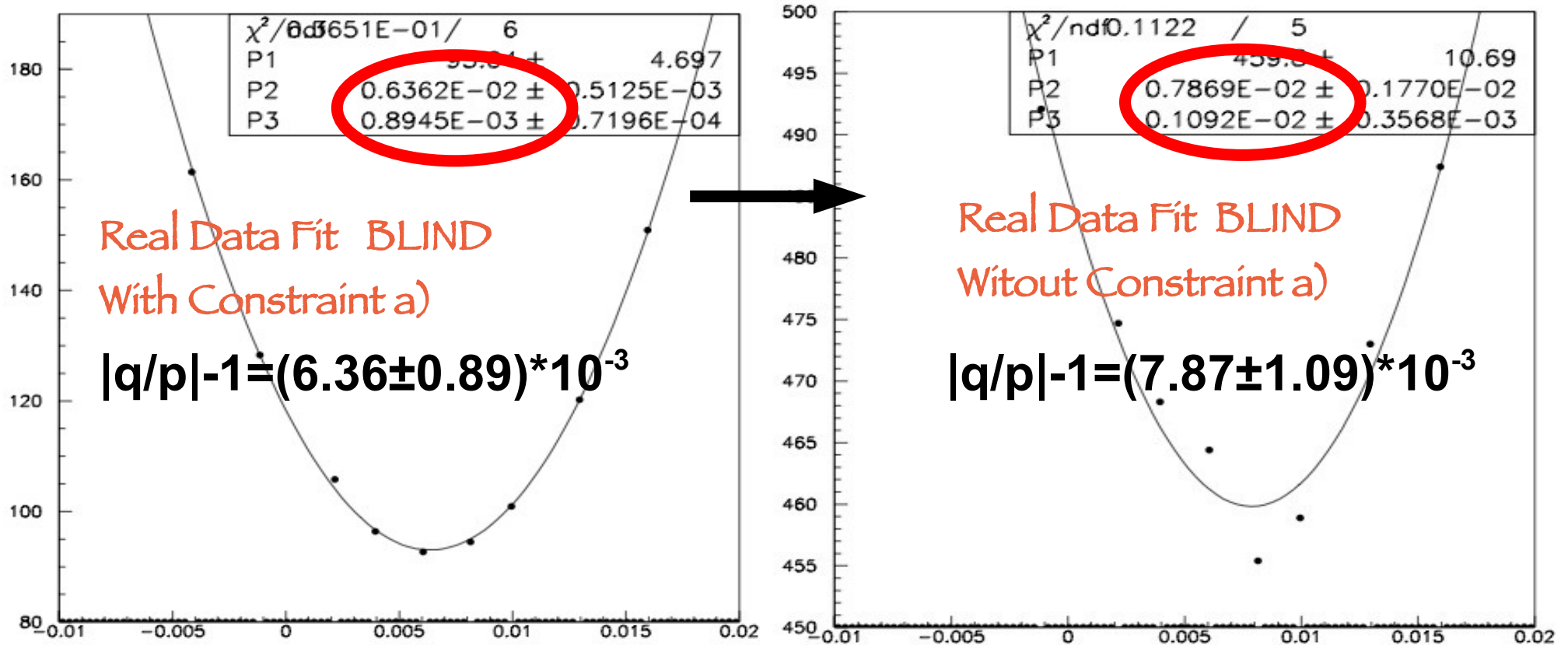
Solution 1): MC Test removing Constraint a)



- Statistical error increases by 30%
- Bias  $\sim 0.0015$  on  $|q/p|$  for  $|q/p| \sim 1$ 
  - Constraint a) is very useful to disentangle Physical vs Detector Asymmetries

# Double Counting Problem

Solution 1): Real Data Test removing Constraint a)



- Statistical error increases by 22%
- Central Value moves by  $-1.5 * 10^{-3}$  in the opposite direction wrt MC
  - Do not remove Constraint a)

# Double Counting Problem

Solution 2): Multinomial Constraint

- For every  $(l^+, l^-) \times (B^0, B^+) \times (\text{Peaking}, \text{BKG})$  category:

$$L = \frac{v^N e^{-v}}{N!} \frac{N!}{NBt^{Mix}! NBt^{Unm}! NDt^{Mix}! NDt^{Unm}! NNt!} \times$$

$$P(Bt^{Mix})^{NBt^{Mix}} P(Bt^{Unm})^{NBt^{Unm}} P(Dt^{Mix})^{NDt^{Mix}} P(Dt^{Unm})^{NDt^{Unm}} P(Nt)^{NNt}$$

$$N = NBt^{Mix} + NBt^{Unm} + NDt^{Mix} + NDt^{Unm} + NNt$$

- Poissonian term constrains the Reconstruction Asymmetry
- Different probabilities are proportional to the corresponding tagging efficiencies:

$$P(Bt) \propto \epsilon(Bt); P(Dt) \propto \epsilon(Dt) \quad P(Nt) = 1 - \epsilon(Bt) - \epsilon(Dt)$$

- Fit in addition also the Tagging Efficiencies  $\epsilon(Bt)$  and  $\epsilon(Dt)$  for  $B_{tag}$  and  $D_{tag}$  events

- Strategy not ready in time for summer conferences
- Proposal: use a Toy MC for the determination of the statistical error

# Event Statistics

MC statistics: ~47 Mevents

B0 Btag Mixed Events

$\delta q/p _{\text{stat}}$	Limit	Meas.	Corrected (expected)
-----------------------------	-------	-------	-------------------------

Signal	1519576		
--------	---------	--	--

Combinatorial	2002682		
---------------	---------	--	--

Total	3522258	$2.7 \cdot 10^{-4}$	$4.6 \cdot 10^{-4}$	$6.6 \cdot 10^{-4}$
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Data statistics: ~14 Mevents

B0 Btag Mixed	~1174000	$4.6 \cdot 10^{-4}$	$8.9 \cdot 10^{-4}$	$1.25 \cdot 10^{-3}$
---------------	----------	---------------------	---------------------	----------------------